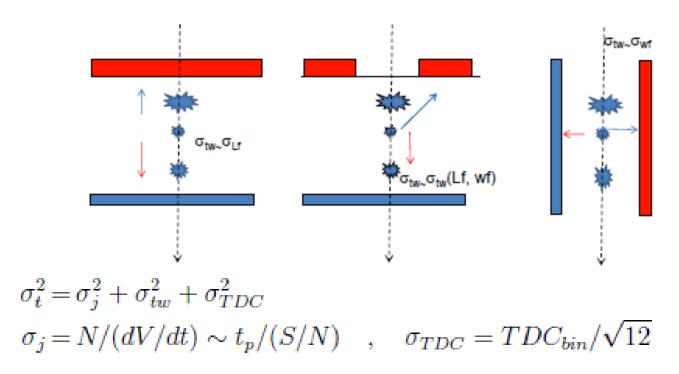
Timing in 3D detectors

Timing in different detectors

- Time walk component includes
- Weighting field contribution
- Landau fluctuations in shape of the signal (limiting 50 um LGAD time resolution to 25 ps)
- Landau fluctuations in height correctable with ToA-ToT or CFD

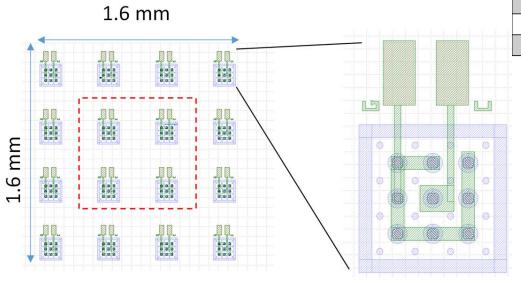


Limitations of LGAD

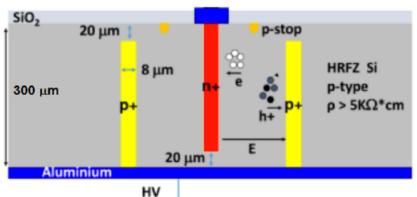
LGADs are now considered as candidates for 4D tracking, but:

- radiation hardness is a problem
- fill factor is a problem, especially when the cell size decreases
 (1.3 mm2 87% with 100 um gap between the pads)

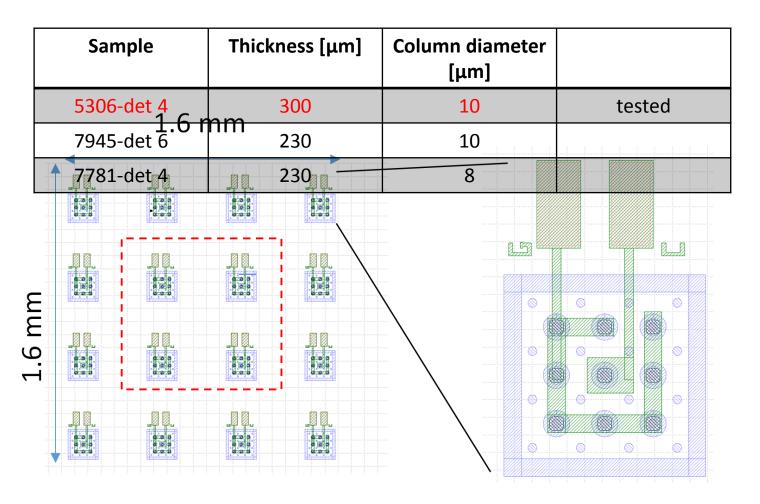
How about 3D for timing?



Sample	Thickness [μm]	Column diameter [µm]	
5306-det 4	300	10	tested
7945-det 6	230	10	
7781-det 4	230	8	

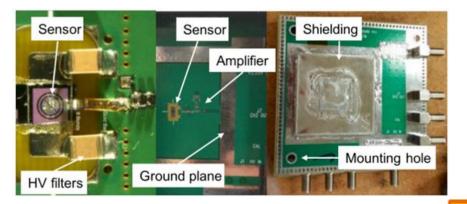


First Measurements – CNM samples

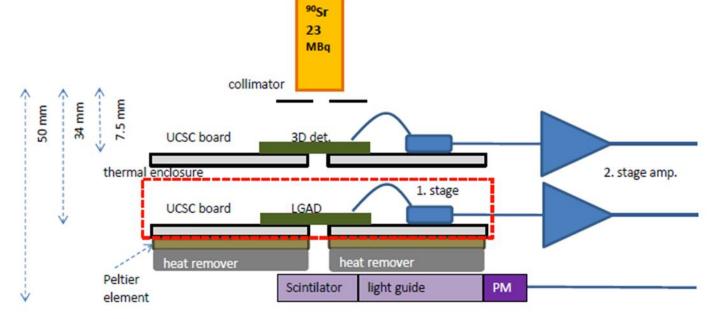


HGTD timing telescope

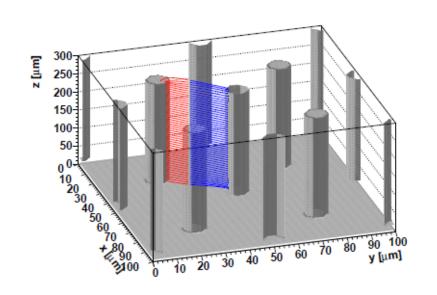
UCSC timing boards used for measuring the signal followed by 35 dB Particulars amp

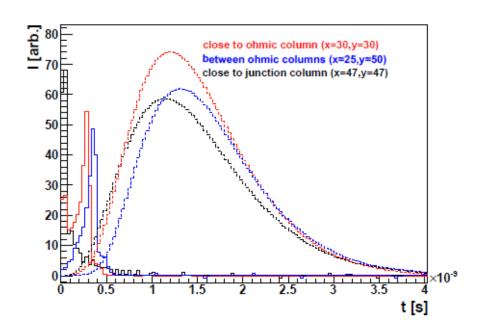


- required hits with very low threshold of 15 mV in both planes (extremely low rate ~1000 in ~20 h)
- no Scintilator+PM were used
- 3D detectors were not cooled in first tests



Simulation of detectors





- p-type bulk ($N_{eff} = -1.4 \cdot 10^{12} \text{ cm}^{-3}$)
- n-type collection
- different geometries 1E, holes r=4 μm
- -20oC
- no trapping, no multiplication
- CR-RC3 shaping with 1.2 ns peaking time interestingly this is not crucial

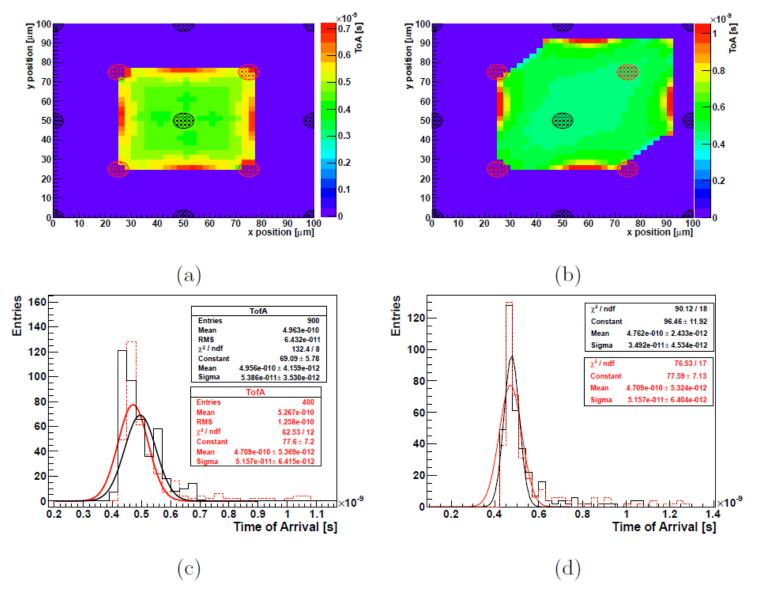
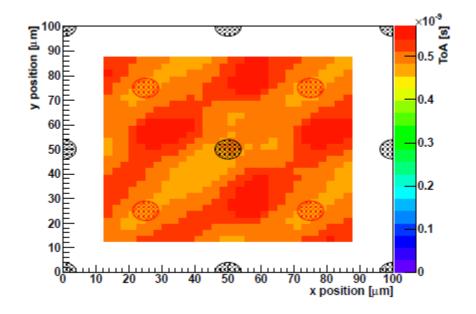
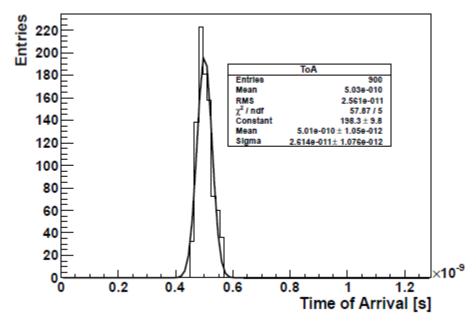


Fig. 4. (a) Time of arival for differnt hit positions at 50 V, 27°C and constant fraction of 25% for a tracks under small angle. (b). Distribution of time of arival for the tracks crossing the detector cell with a Gaussian fit to the peak of the distribution.





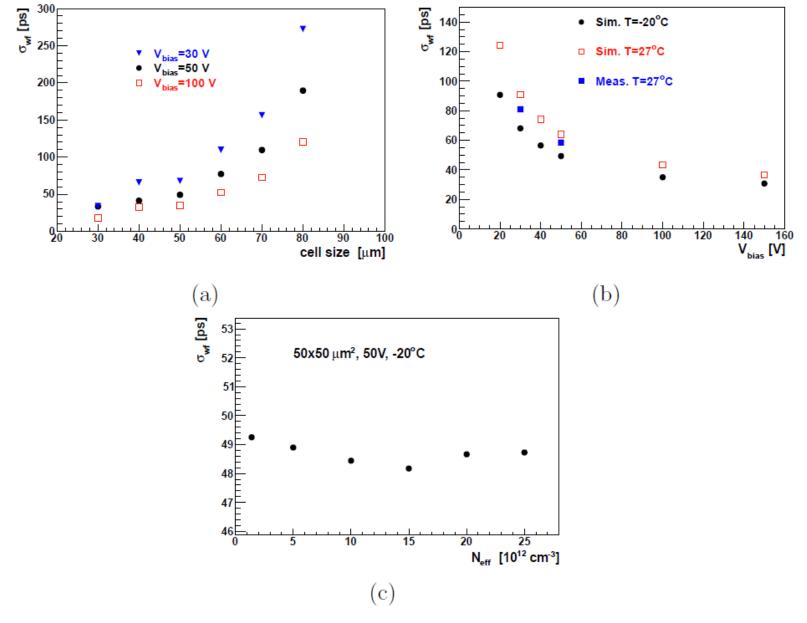
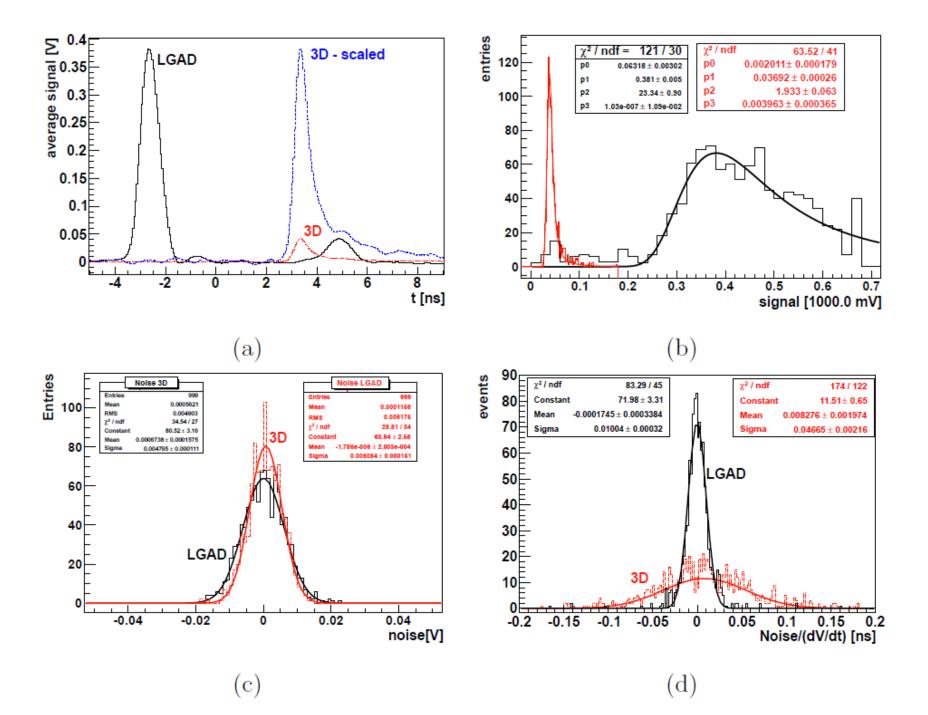
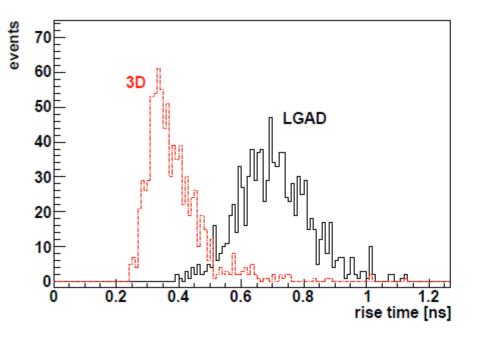
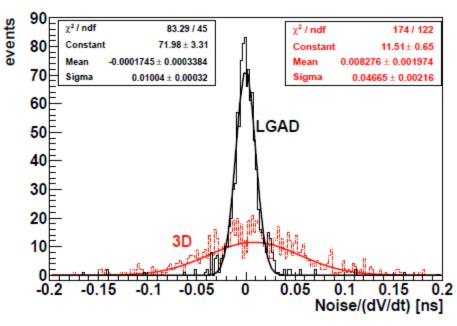


Fig. 6. (a) Time resolution dependence on a cell length of a square cell for different bias voltages at -20C. (b) Time resolution dependence on bias voltage for a 50×50 $\mu\mathrm{m}^2$ cell at different temperatures.







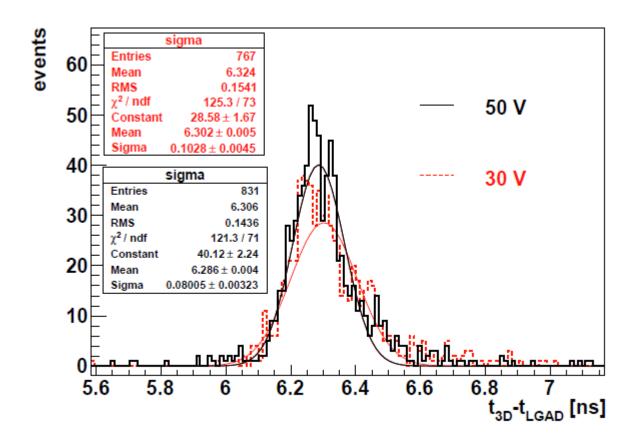


Fig. 10. Time resolution

$$\sigma_t^2 = \sigma_{LGAD}^2 + \sigma_{3D}^2 \to \sigma_{3D} = \sqrt{80^2 \text{ps}^2 - 26^2 \text{ps}^2} = 75 \text{ ps}$$

$$\sigma_{wf}^2 \approx \sigma_{3D}^2 - \sigma_{3D,j}^2 \to \sigma_{wf} \approx \sqrt{75^2 \text{ps}^2 - 47^2 \text{ps}^2} \approx 58 \text{ ps}$$