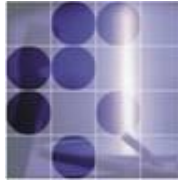


BOŠTJAN GOLOB

*UNIVERSITY OF LJUBLJANA/JOŽEF STEFAN
INSTITUTE
& BELLE/BELLE II COLLABORATION*



UNIVERSITY
OF LJUBLJANA



“JOŽEF STEFAN”
INSTITUTE

**BELLE II:
INTRODUCTION**

INTRODUCTION

MISSING ENERGY

(SEMI)INCLUSIVE DECAYS

NEUTRALS

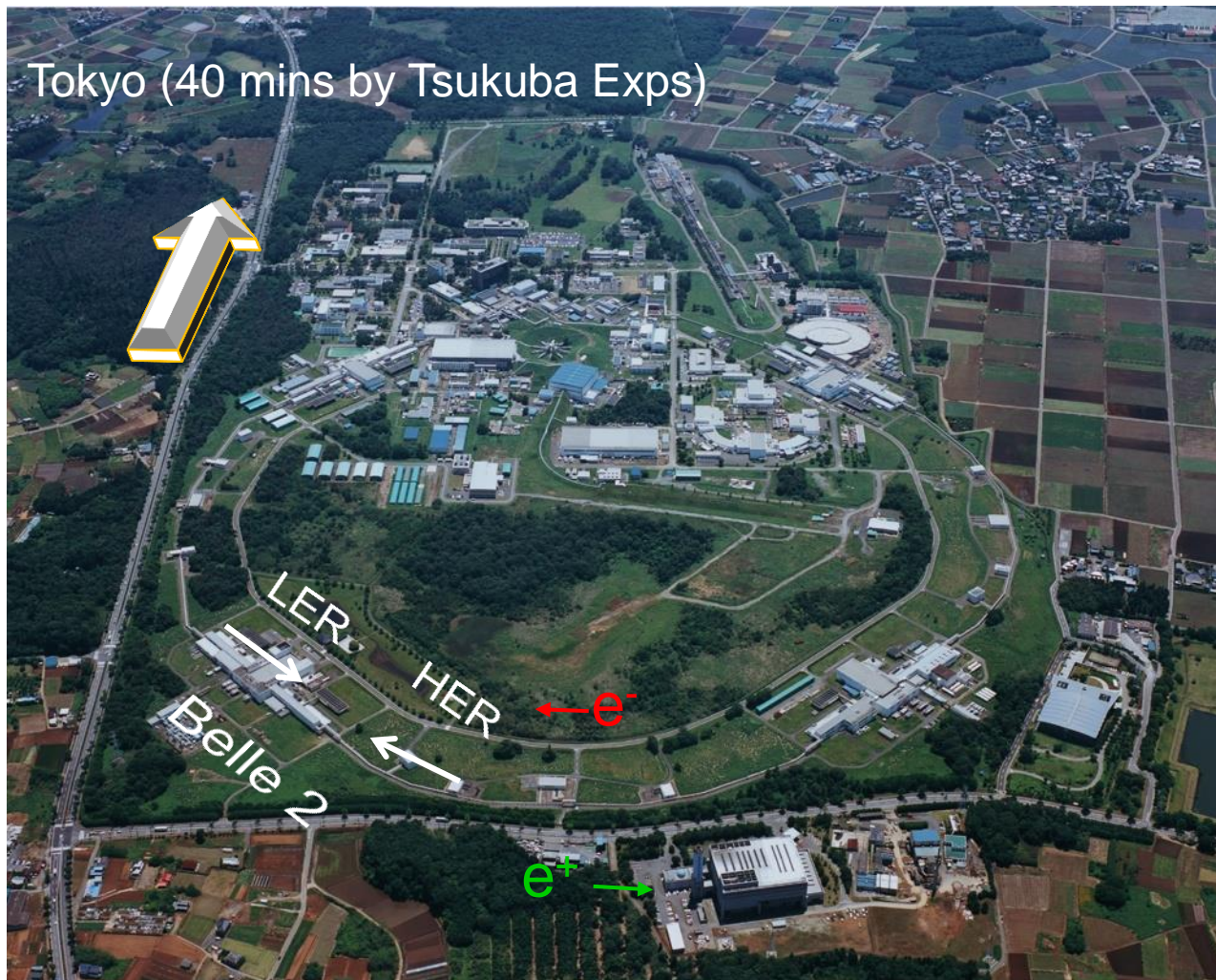
SUMMARY & FUTURE
(BELLE PERSPECTIVE)

MIAPP, FLAVOUR PHYSICS WITH HIGH-LUMINOSITY EXPERIMENTS

ACCELERATOR

“SUPERKEKB”

Tokyo (40 mins by Tsukuba Exps)



SUPERKEKB:

e^- (HER): 7.0 GeV

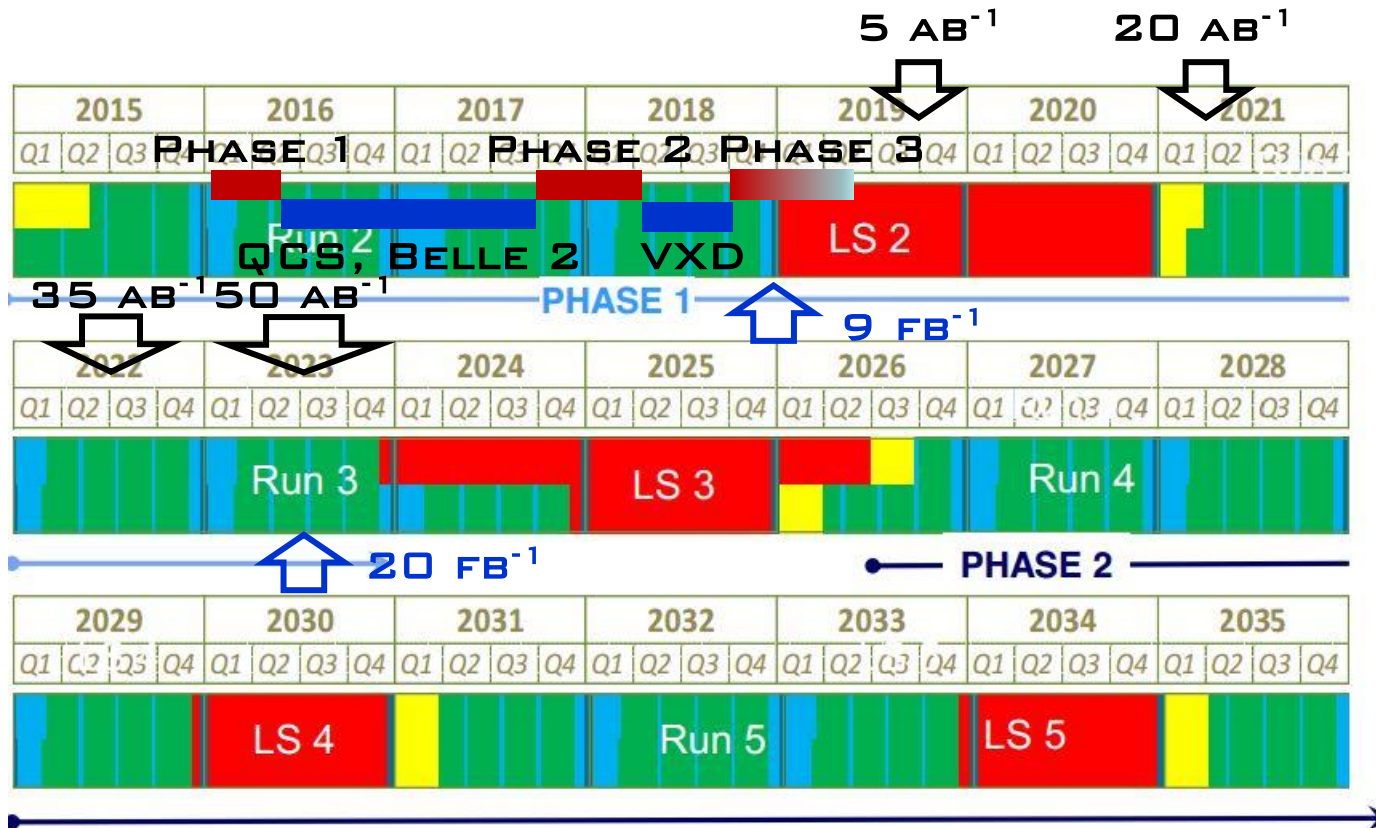
e^+ (LER): 4.0 GeV

$$E_{\text{CMS}} = M(Y(4S))c^2$$

$$dN_F/dt = \sigma(e^+e^- \rightarrow f) \mathcal{L}$$

$$\mathcal{L} = 8 \times 10^{35} \text{ cm}^{-2} \text{ s}^{-1}$$

SUPER KEKB LUMINOSITY PLANNING



PHASE 1:
w/o QCS
w/o BELLE 2

PHASE 2:
w/ QCS
w/ BELLE 2
(NO VXD)

PHASE 3:
FULL BELLE 2

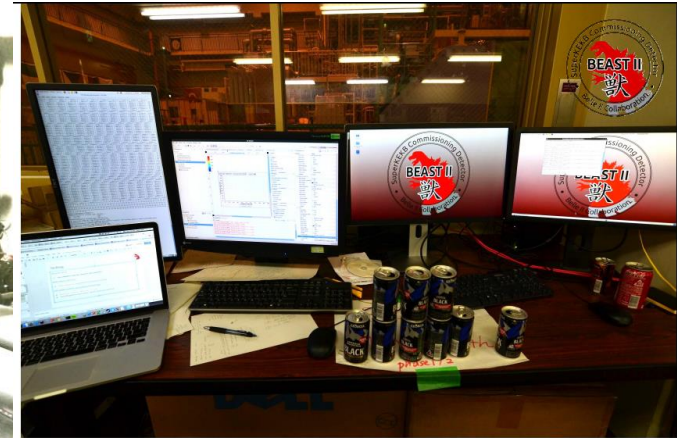
BELLE 2 PLANNING

P. KRIŽAN, NOV 11 AFTERNOON

BEAST PHASE I: SIMPLE BACKGROUND
COMMISSIONING DETECTOR
(DIODES, TPCs,
CRYSTALS). NO FINAL
FOCUS (I.E. NO
LUMINOSITY, SINGLE
BEAM BACKGROUND
STUDIES POSSIBLE).



FEB – JUN 2016



BEAST PHASE II: MORE
ELABORATE INNER BACKGROUND
COMMISSIONING DETECTOR & FULL BELLE II
OUTER DETECTOR.
SUPERCONDUCTING FINAL FOCUS, NO VERTEX
DETECTORS.

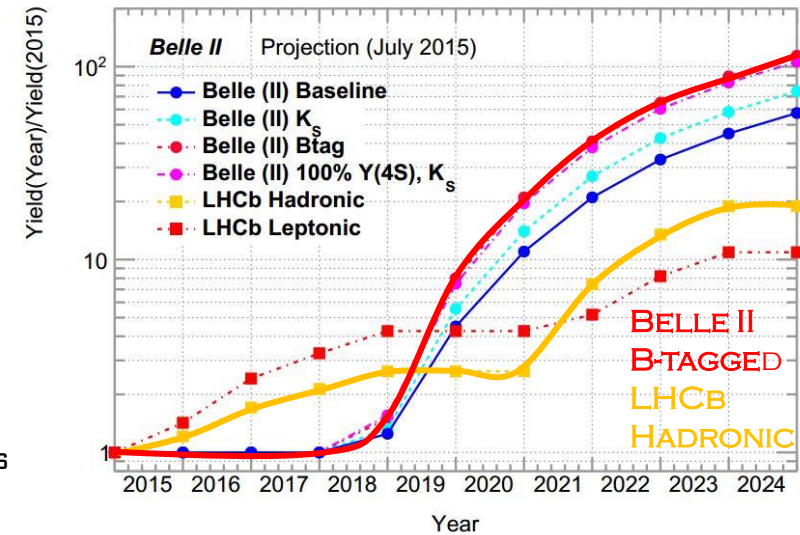
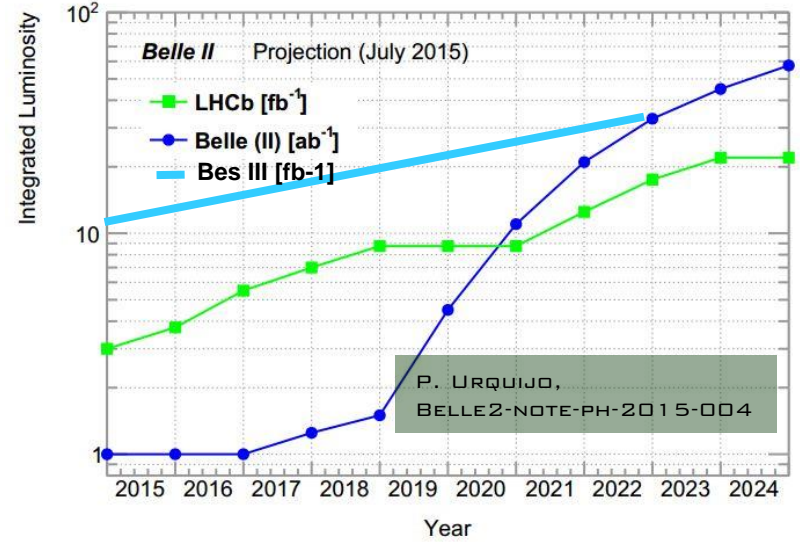
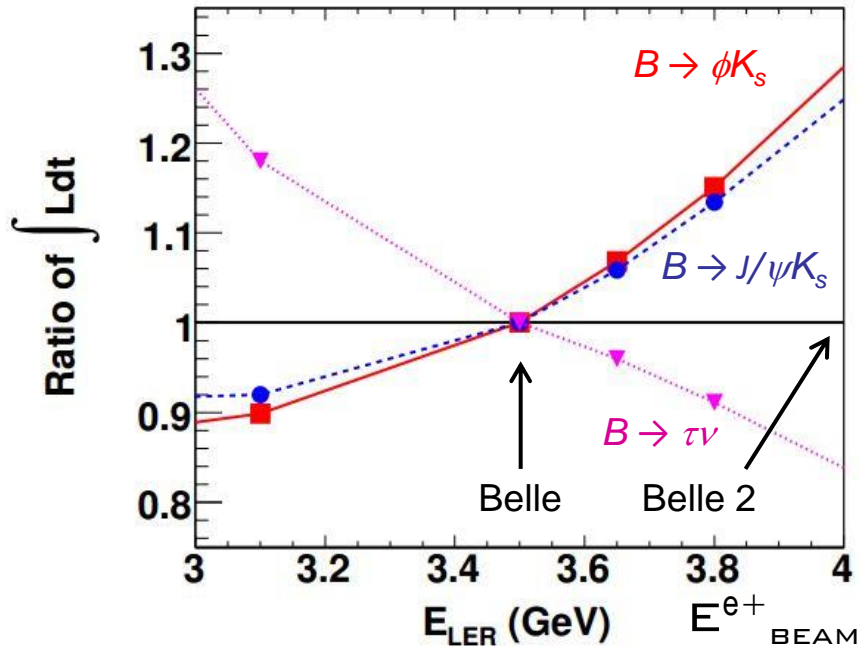
OCT 2017 –
JAN 2018

PHYSICS RUNNING

OCT 2018 →

E_{miss}

LUMI RATIO FOR SAME SENSITIVITY



RELATIVE YIELD INCREASE

E_{BEAM}^{e-} FROM $Y(4S)$ MASS

B. GOLOB, K. TRABELSI, P. URQUIJO, BELLE2-NOTE-PH-2015-002

BELLE 2: IMPROVED K_S RECONSTR.;

IMPROVED HADR. B TAGGING;

LHCb: $\sigma \propto \sqrt{s}$;

RUN 2 50% LESS EFF. FOR HADRONIC TRIGGERS THAN RUN 1;

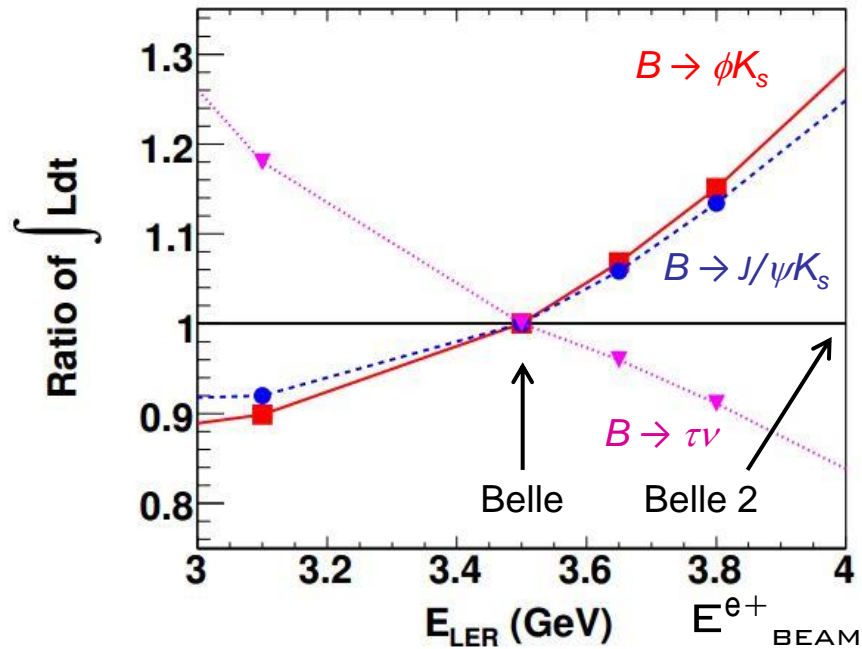
RUN 3 INCREASE EFF. FOR HADR. TRIGGERS BY 2X W.R.T. RUN 1;

LHCb EPJC 73, 2373

E_{miss}

INTRODUCTION

LUMI RATIO FOR SAME SENSITIVITY

 E^{e-}_{BEAM} FROM $Y(4S)$ MASS

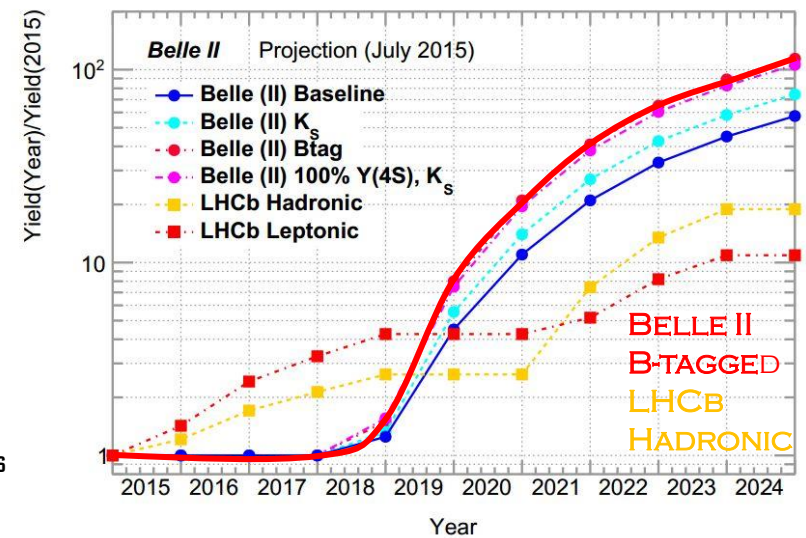
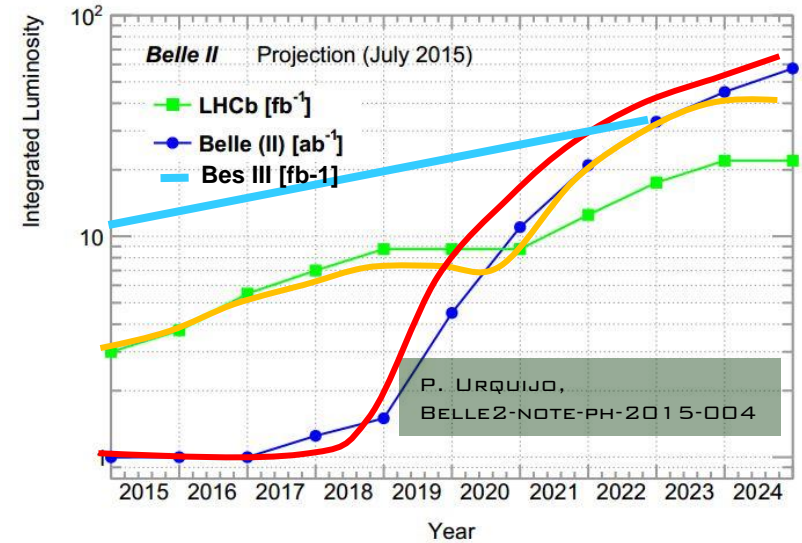
B. GOLOB, K. TRABELSI, P. URQUIJO, BELLE2-NOTE-PH-2015-002

BELLE 2: IMPROVED K_S RECONSTR.;

IMPROVED HADR. B TAGGING;

LHCb: $\sigma \propto \sqrt{s}$;RUN 2 50% LESS EFF. FOR HADRONIC TRIGGERS
THAN RUN 1;RUN 3 INCREASE EFF. FOR HADR. TRIGGERS BY
2X W.R.T. RUN 1;

LHCb EPJC 73, 2373



RELATIVE YIELD INCREASE

EARLY RUNNING

- NEED TIME FOR CALIBRATION OF DETECTORS AT $Y(4S)$;
- MEASUREMENTS NOT REQUIRING SOPHISTICATED PID AND/OR VERTEX DETERMINATION;
- MAXIMIZE IMPACT ON EXISTING DATA SAMPLES (E.G. $Y(3S)$);

DARK MATTER

$$e^+e^- \rightarrow \gamma A' \rightarrow \gamma \chi\chi$$

$$(M_\chi < M_{A'}/2)$$

SINGLE γ TRIGGER REQUIRED;
SIMPLIFIED: SINGLE γ , $E_\gamma > E_{CUT}$;

HIGH BKG,
HIGH TRIGGER RATE

LOW ε

E_{CUT}

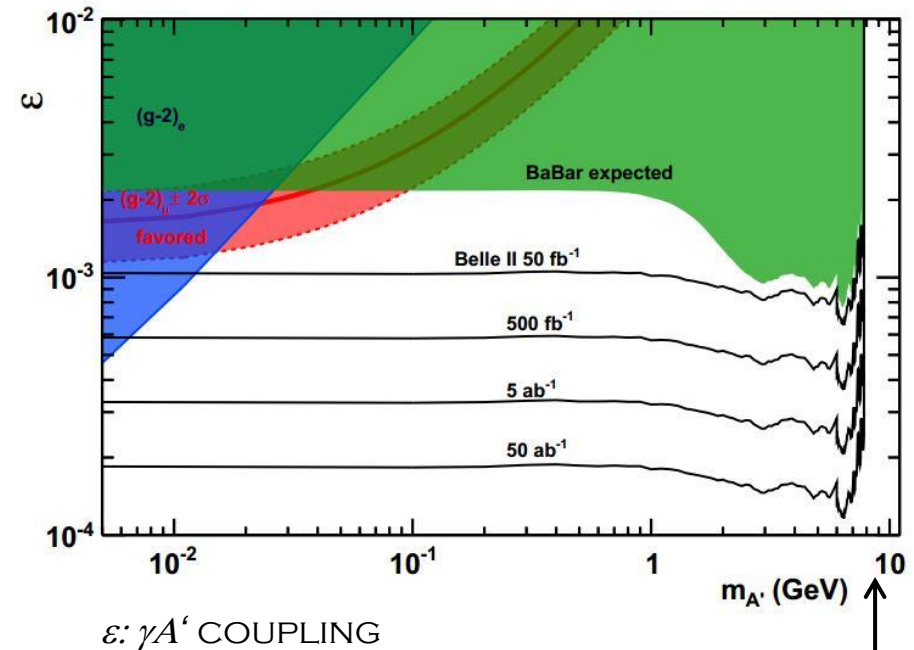
MAIN BACKGROUNDS:

$$e^+e^- \rightarrow \gamma e^+e^-$$

$$e^+e^- \rightarrow \gamma\gamma$$

P. URQUIJO, NOV 1 MORNING

A. BONDAR ET AL., BELLE2-NOTE-PH-2015-003



$$M_{A'} < \sqrt{s - 2\sqrt{s}E_{cut}}$$

METHODS AND PROCESSES WHERE BELLE 2 CAN PROVIDE
IMPORTANT INSIGHT INTO NP COMPLEMENTARY TO OTHER EXPERIMENTS:

E_{MISS} :
 $\mathcal{B}(B \rightarrow \tau\nu)$, $\mathcal{B}(B \rightarrow X_c\tau\nu)$, $\mathcal{B}(B \rightarrow h\nu\nu)$, ...

(SEMI)INCLUSIVE:

$\mathcal{B}(B \rightarrow s\gamma)$, $A_{CP}(B \rightarrow s\gamma)$, $\mathcal{B}(B \rightarrow s\ell\ell)$, ...

NEUTRALS:

$S(B \rightarrow K_S\pi^0\gamma)$, $S(B \rightarrow \eta'K_S)$, $S(B \rightarrow K_SK_SK_S)$, $\mathcal{B}(\tau \rightarrow \mu\gamma)$, $\mathcal{B}(B_s \rightarrow \gamma)$, ...

DETAILED DESCRIPTION OF PHYSICS PROGRAM AT BELLE 2 IN:

A.G. AKEROYD ET AL., ARXIV: 1002.5012

B.G., K, TRABELSI, P. URQUIJO, BE LLE2-NOTE- PH-2015-002

IMPACT OF BELLE II ON FLAVOR PHYSICS

SuperB

B. O'LEARY ET AL., ARXIV: 1008.1541

Progress Reports

P. URQUIJO, BE LLE2-NOTE- PH-2015-002

BELLE II - LHCb MEASUREMENT
EXTRAPOLATION COMPARISONS

Physics

Physics at Super B Factory

ED. A.J. BEVAN, B. GOLOB, TH. MANNEL, S. PRELL, AND B.D. YABSLEY,
EUR. PHYS. J. C74 (2014) 3026

ALSO:

B2TIP REPORT TO BE PREPARED

$$B \rightarrow \tau \nu, H \nu \nu, X_C \tau \nu, \dots$$

POSSIBLE TO RECONSTRUCT
EVENTS WITH ν 'S;

FULLY (PARTIALLY) RECONSTRUCT
 B_{TAG} ;

RECONSTRUCT H^\pm FROM B_{SIG} ;

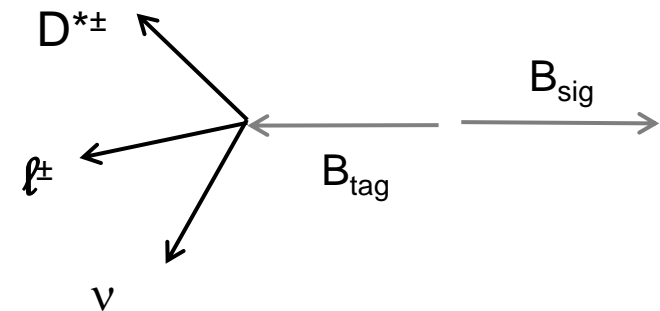
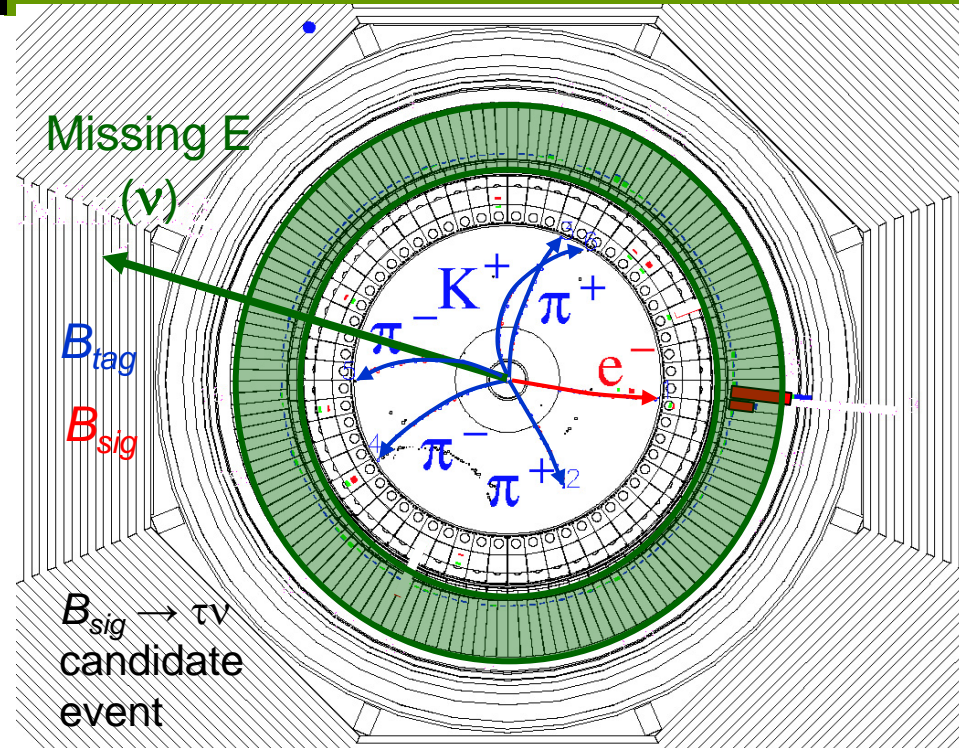
NO ADDITIONAL ENERGY IN
EM CALORIM.;

SIGNAL AT $E_{ECL} \sim 0$;

PARTIAL RECONSTRUCTION (SEMILEPTONIC TAGGING):

$$\cos \theta_{B-D^* \ell} \equiv \frac{2E_{beam} E_{D^* \ell} - m_B^2 - M_{D^* \ell}^2}{2|\vec{p}_B| \cdot |\vec{p}_{D^* \ell}|}$$

$$\epsilon_{TAG} \sim 1\%$$



E_{miss}

$$B \rightarrow D^* \tau \nu$$

A. ZUPANG, NOV 11 MORNING

 $\ell = e, \mu$ BELLE, ARXIV:1603.06711, 700 FB^{-1}

$$R(D^{(*)})$$

$$R(D)_{\text{SM}} = 0.300 \pm 0.008$$

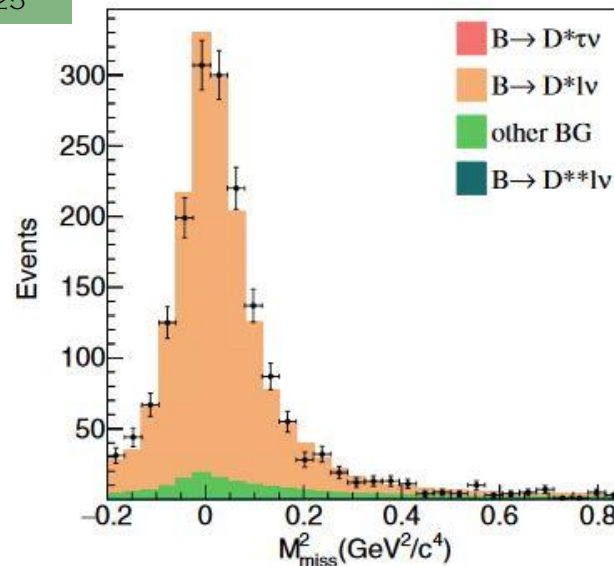
H. NA ET AL., PHYS.REV.D 92, 054410 (2015)

$$R(D^*)_{\text{SM}} = 0.252 \pm 0.003$$

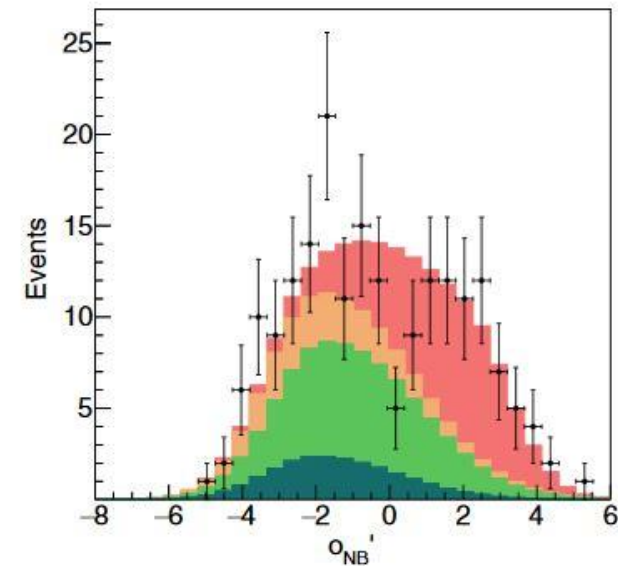
S.FAJFER ET AL., PHYS.REV.D 85(2012) 094025

USE NN WITH M_{MISS}^2 ,
 E_{VIS} , $\cos \theta_{B-D^* \ell}$ SIG.

DATA SAMPLE WITH
 LOW M_{MISS}^2 USED TO
 FIT THE BACKGROUND
 CONTRIBUTION



SIGNAL IS TO THE
 RIGHT \rightarrow



NN OUTPUT FOR DATA
 WITH $M_{\text{MISS}}^2 >$
 0.85 GeV^2

E_{miss}

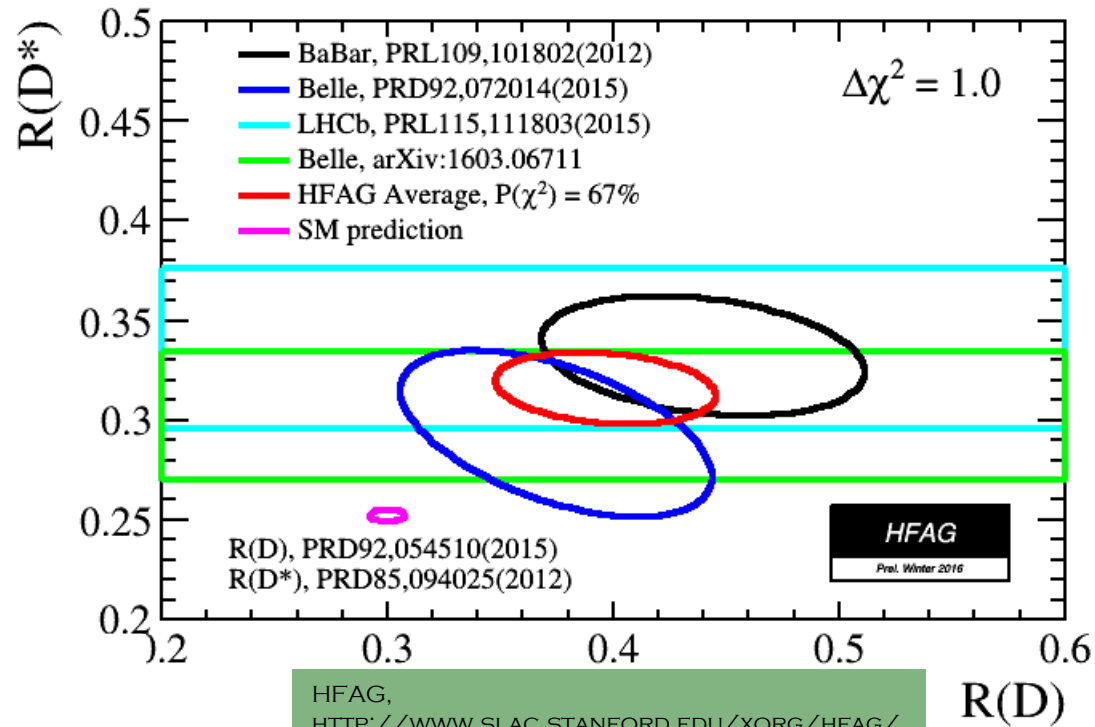
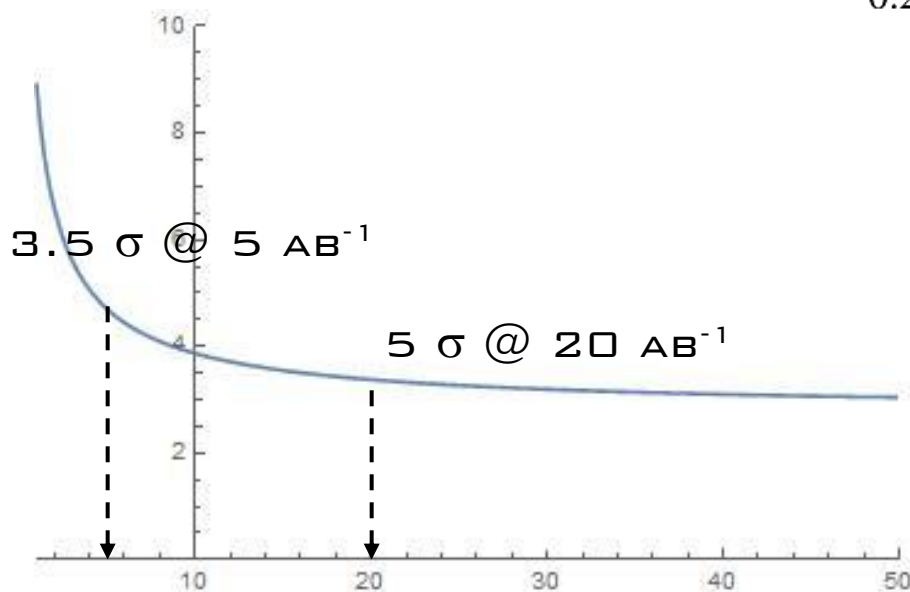
MISSING ENERGY

$$B \rightarrow D^* \tau \nu$$

$$R(D^*) = 0.302 \pm 0.030 \pm 0.011$$

BELLE, ARXIV:1603.06711, 700 FB^{-1}

$$\sigma(R(D^*)) / R(D^*) [\%]$$

4 σ DISCREPANCY WITH SM

$$B \rightarrow \tau \nu$$

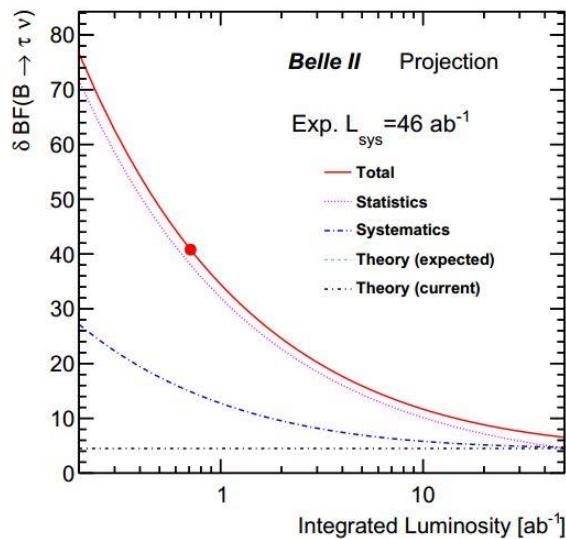
$$\mathcal{B}(B^+ \rightarrow \tau^+ \nu) = (0.72 \pm 0.26 \pm 0.11) \cdot 10^{-4}$$

BELLE, PRL 110, 131801 (2013), 700 FB^{-1}

$$\mathcal{B}(B^+ \rightarrow \tau^+ \nu) = (1.25 \pm 0.28 \pm 0.27) \cdot 10^{-4}$$

BELLE, ARXIV:1503.05613, 700 FB^{-1}

MAIN SYST. IS REDUCIBLE: BKG. ECL
SHAPE, $\varepsilon B_{\text{TAG}}$)



P. URQUIJO,
BELLE2-NOTE-PH-2015-002

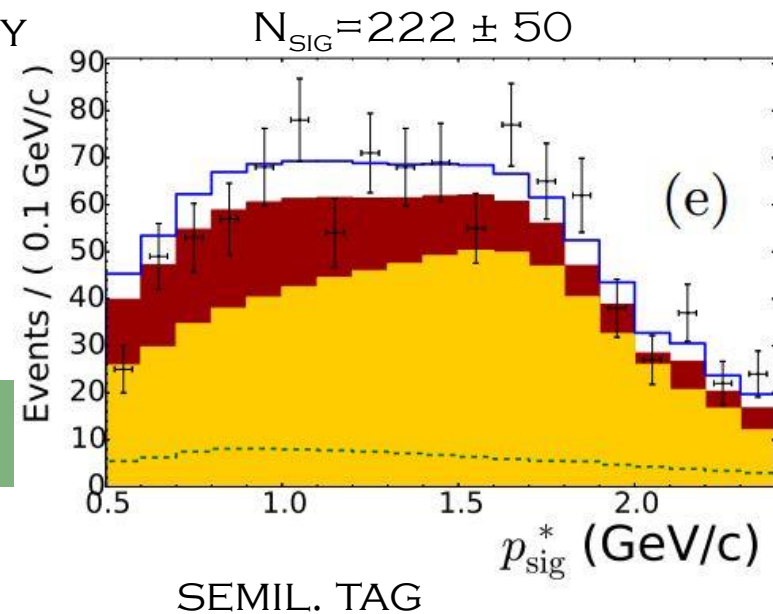
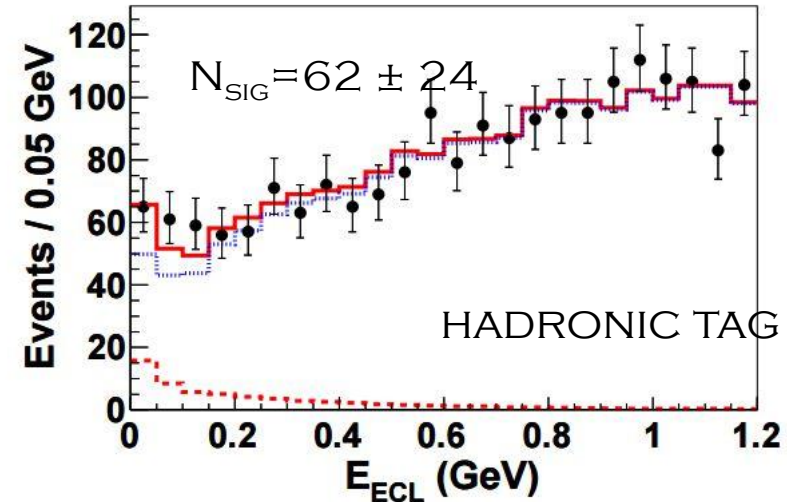
PROJECTED ACCURACY
ON $\mathcal{B}(B^+ \rightarrow \tau^+ \nu)$

CORRESPONDING $|V_{UB}|$
UNCERTAINTY (EXP.):

SEMIL. TAG, 50 AB^{-1} : 4.5%
HADR. TAG, 50 AB^{-1} : 3.5%

5×10^{-6}

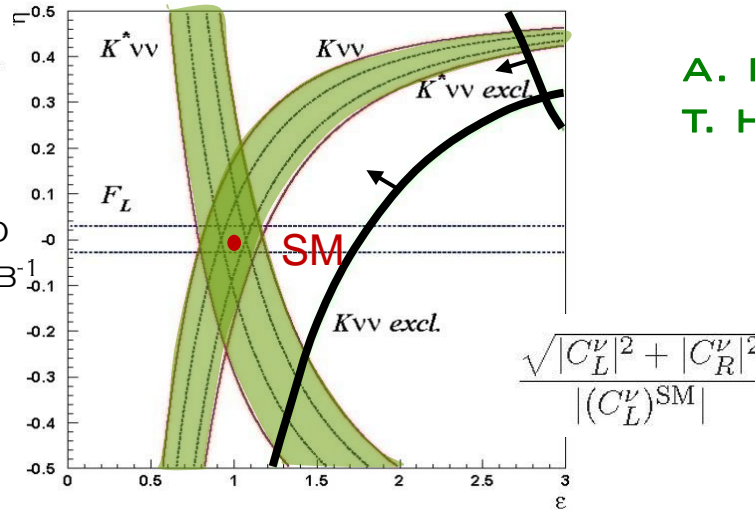
B. GOLOB, K. TRABELSI,
P. URQUIJO,
BELLE2-NOTE-PH-2015-002



$B \rightarrow K(^*)\nu\nu$ BR'S EXPECTED TO BE „MEASURED“ TO
30%

$$\frac{-\text{Re}(C_L^\nu C_R^{\nu*})}{|C_L^\nu|^2 + |C_R^\nu|^2}$$

■
APPROX. EXPECTED
PRECISION @ 50 AB⁻¹



W. ALTMANSHOFER ET AL., ARXIV:0902.0160

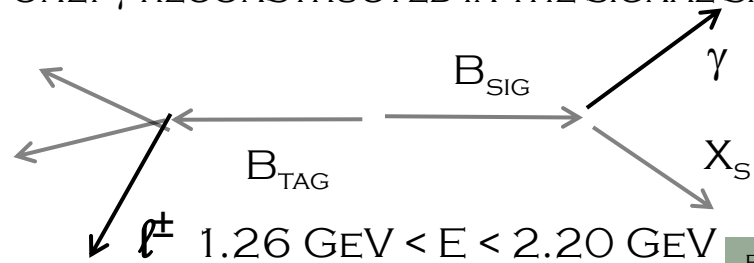
A. ISHIKAWA, NOV 9 AFTERNOON
T. HURTH, NOV 14 MORNING

$$B \rightarrow S(+D) \gamma$$

EXPERIMENTAL CHALLENGE:

HUGE BKG;

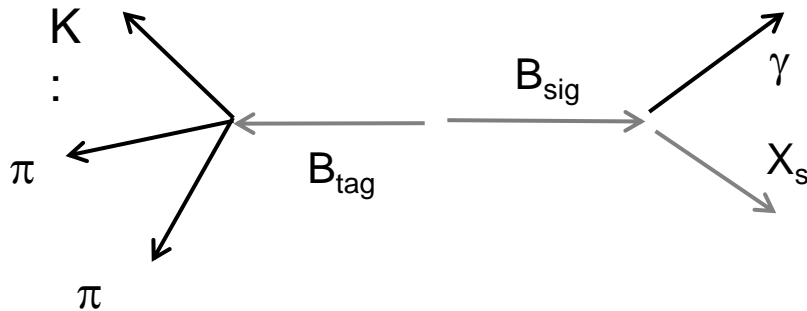
ONLY γ RECONSTRUCTED IN THE SIGNAL SIDE



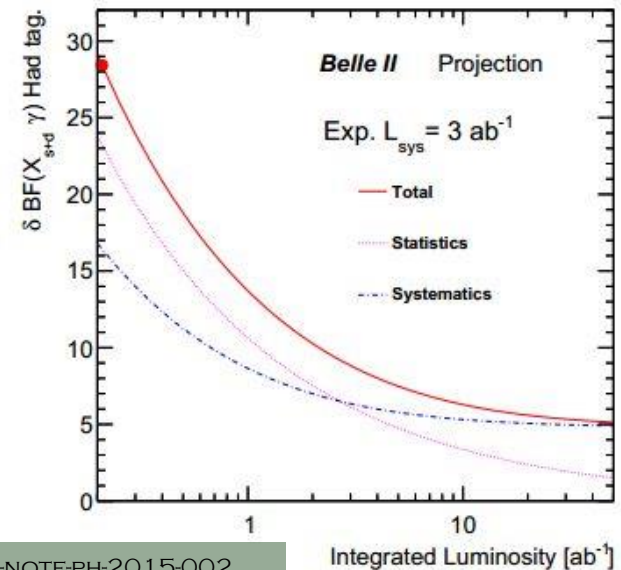
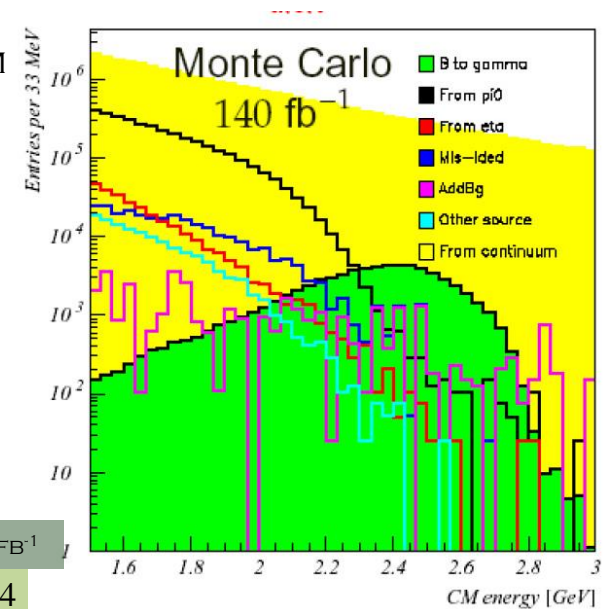
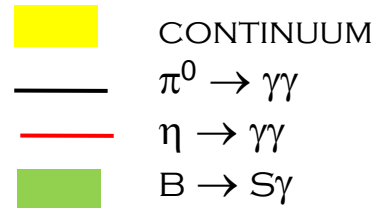
BELLE, PRL 103, 241801, (2008), 605 FB^{-1}

$$Br(B \rightarrow X_s \gamma; 1.7 \text{ GeV} < E_\gamma) = (3.47 \pm 0.15 \pm 0.40) \cdot 10^{-4}$$

DIFFERENT METHOD: HADRONIC TAGGING (= FULL RECONSTRUCTION OF B_{TAG});
REDUCTION OF SYSTEM. UNCERTAINTY ON THE ACCOUNT OF LOWER EFFICIENCY ($\epsilon_{HAD} \sim 0.5\%$);



B. GOLOB, K. TRABELSI, P. URQUIJO,, BELLE2-NOTE-PH-2015-002



$B \rightarrow D \gamma$

WITHIN SM: $BR(B \rightarrow D\gamma) / BR(B \rightarrow S\gamma) = (3.8 \pm 0.5) \cdot 10^{-2}$

(RATIO CAN BE USED TO DETERMINE $|V_{TD}/V_{TS}|$)

$$BR(B \rightarrow S\gamma) = 3.4 \cdot 10^{-4}$$

$BR(B \rightarrow D\gamma)$ SHOULD BE MEASURED WITH AN ACCURACY OF $\sim 2 \cdot 10^{-6}$

T. HURTH ET AL., NUCL.PHYS. B704, 56 (2005)

SUM OF EXCLUSIVE MODES: $\sigma(Br(d\gamma)) = (\pm 3 \pm 1) \cdot 10^{-7}$ LOW X_D MASS REGION

BABAR, PRD82, 051101 (2010), 0.4AB-1

$\sigma(Br(d\gamma)) = (\pm 20 \pm 22) \cdot 10^{-7}$ HIGH X_D MASS REGION

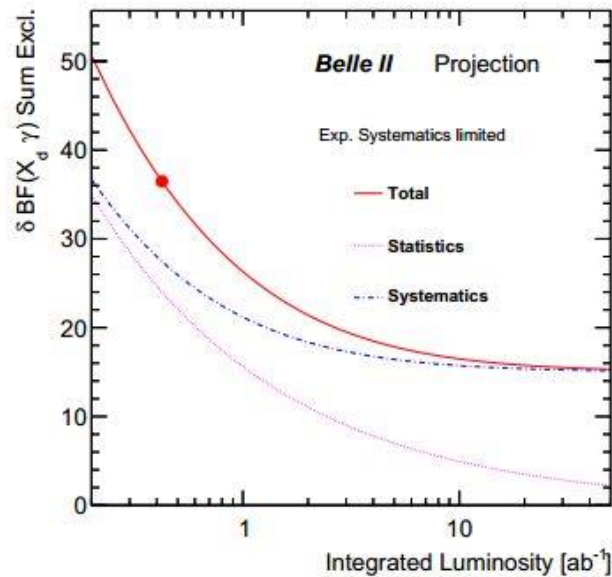
LARGEST SYST. UNCERTAINTY:

$B \rightarrow S \gamma$ BKG.;

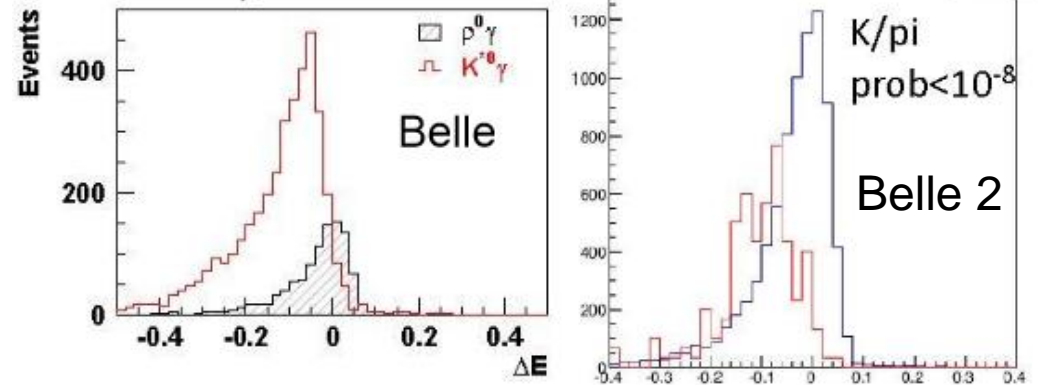
MISSING (≥ 5 BODY) MODES;

SIGNIFICANT IMPROVEMENT NECESSARY

BELLE/BELLE 2 FULL SIMULATION:



15%



$$B^0 \rightarrow K^*(K\pi)\gamma, B^0 \rightarrow \rho(\pi\pi)\gamma,$$

$$\Delta E = E_{B^*} - E_{BEAM}$$

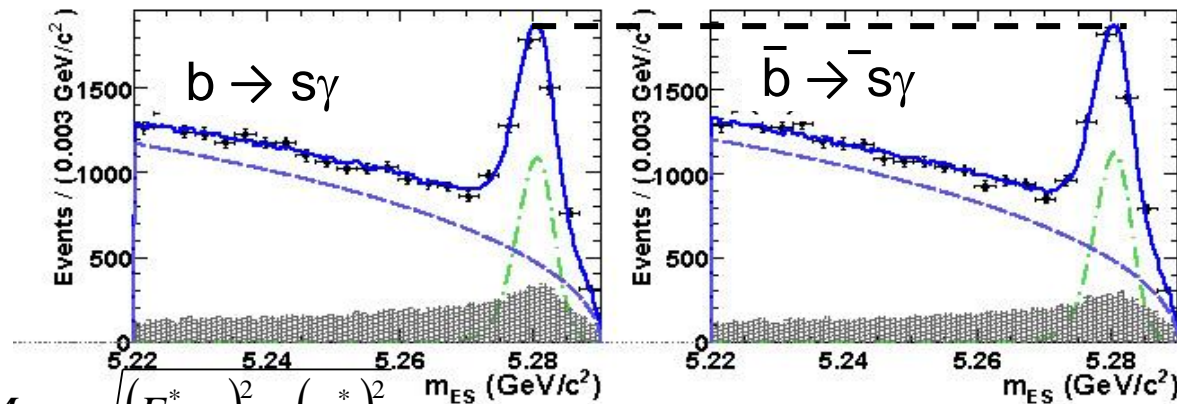
$B \rightarrow s\gamma$

DIRECT CPV

SEMI-INCLUSIVE, SUM OF MANY
EXCLUSIVE STATES:
ALL FLAVOR SPECIFIC FINAL
STATES;

BABAR, PRL 101, 171804(2008), 350 FB⁻¹

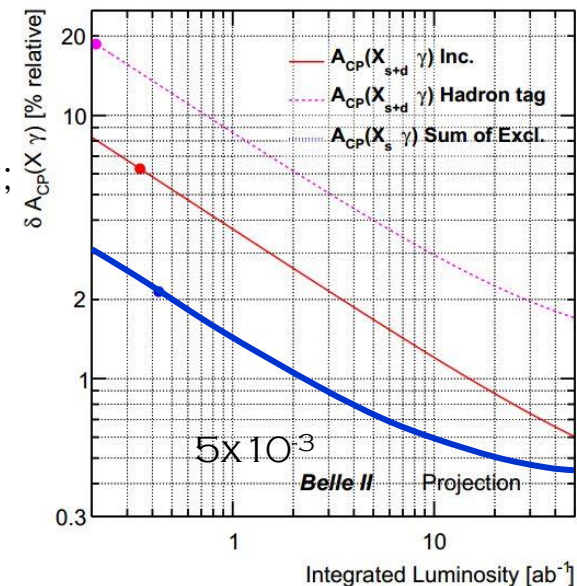
$$\frac{N_b - N_{\bar{b}}}{N_b + N_{\bar{b}}} = \langle D \rangle A_{CP} + \Delta D + A_{det}$$



$$M_{bc} = \sqrt{(E_{beam}^*)^2 - (p_B^*)^2}$$

A_{DET} : CAREFUL STUDY OF
 K/π ASYMMETRIES IN (P, θ_{lab})
USING D DECAYS OR INCLUSIVE
TRACKS FROM FRAGMENTATION;

LOTS OF WORK ON SYSTEM.,
→ FEW 10^{-3}
EXP. SENSITIVITY



$\langle D \rangle$: AVERAGE DILUTION DUE TO
FLAVOUR MISTAG, ~ 1

ΔD : DIFFERENCE BETWEEN
FLAVOUR MISTAG FOR
B AND \bar{B} , $\ll 1$

A_{DET} : DETECTOR INDUCED
ASYMMETRY

$$A_{CP} = (-0.8 \pm 2.9)\% \quad \text{HFAG, 2014}$$

$$\text{SM: } A_{CP} \sim (0.44 \pm_{0.14}^{0.24})\%$$

T. HURTH ET AL., NUCL. PHYS. B704, 56 (2005)

A. LENZ, OCT 26 MORNING

L. LIGIOI, OCT 26 AFTERNOON

T. HURTH, NOV 14 MORNING

DCPV PUZZLE:

TREE+PENGUIN PROCESSES, $B^{+(0)} \rightarrow K^+ \pi^{0(-)}$

$$\Delta A_{K\pi} = A(K^+ \pi^-) - A(K^+ \pi^0) = -0.147 \pm 0.028$$

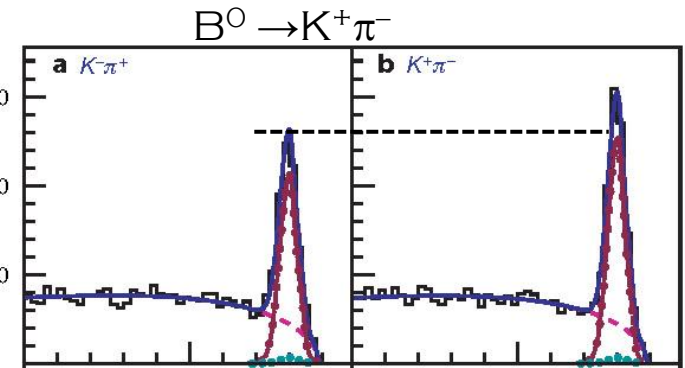
BELLE, NATURE 452, 332 (2008), 480 FB^{-1}

$$I_{K\pi} \mathcal{B}(B^0 \rightarrow K^+ \pi^-)$$

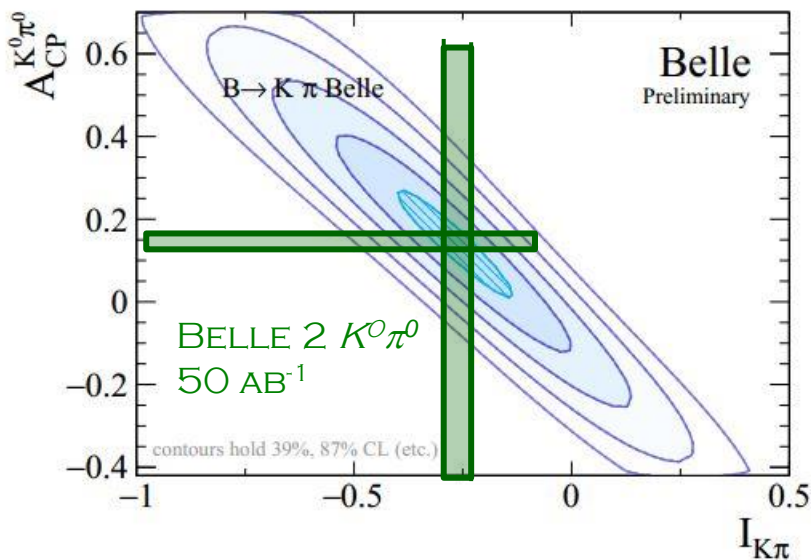
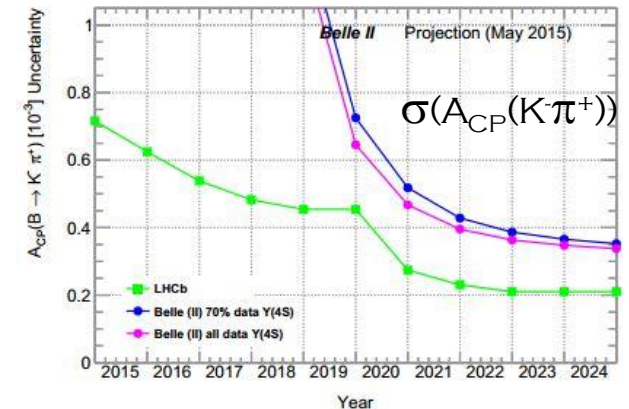
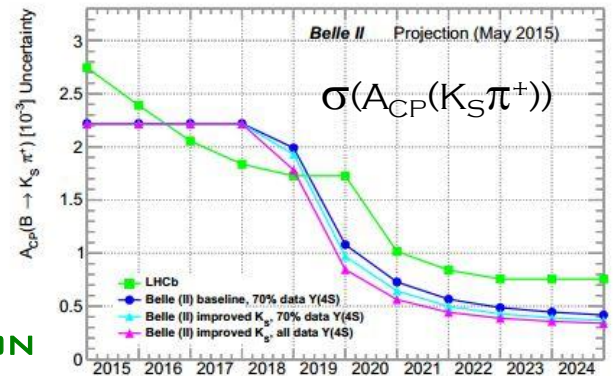
$$= A_{CP}^{K^+ \pi^-} \cdot \mathcal{B}(B^0 \rightarrow K^+ \pi^-) + A_{CP}^{K^0 \pi^-} \cdot \mathcal{B}(B^+ \rightarrow K^0 \pi^-) \frac{\tau_{B^0}}{\tau_{B^+}} - 2A_{CP}^{K^0 \pi^0} \cdot \mathcal{B}(B^0 \rightarrow K^0 \pi^0) + 2A_{CP}^{K^+ \pi^0} \cdot \mathcal{B}(B^+ \rightarrow K^+ \pi^0) \frac{\tau_{B^0}}{\tau_{B^+}}$$

M. GRONAU, PLB627, 82 (2005);

D. ATWOOD, A. SONI, PRD58, 036005 (1998)



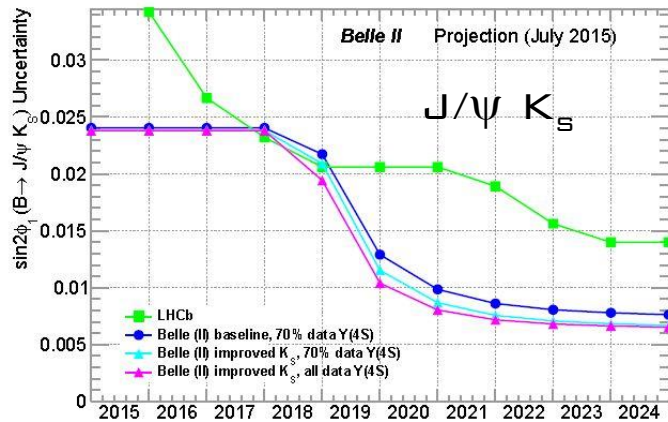
A A

P. GOLDENZWEIG,
NOV 8 AFTERNOON

B. GOLOB, K. TRABELSI, P. URQUIJO,, BELLE2-NOTE-PH-2015-002

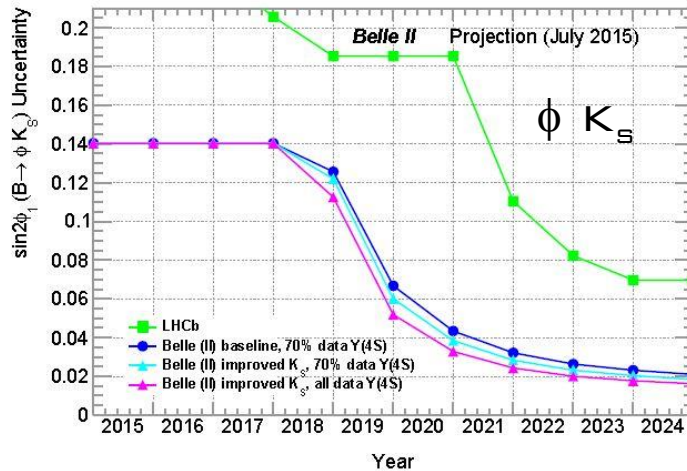
CPV IN $B \rightarrow SQQ$

SOME UNCERTAINTIES CANCEL IN ΔS
 (VTX RECONSTR., FLAVOR TAG, LIKELIHOOD FIT) ;
 BETTER K_S EFF. WITH VTX HITS - LARGER VTX RADIUS,
 30%);
 VTX RECONSTR. IMPROVED WITH BETTER TRACKING;



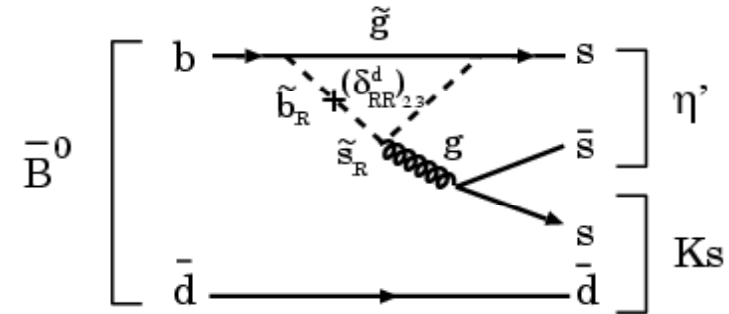
0.007

A. LENZ, OCT 26
 MORNING
 L. LIGIOI, OCT 26
 AFTERNOON

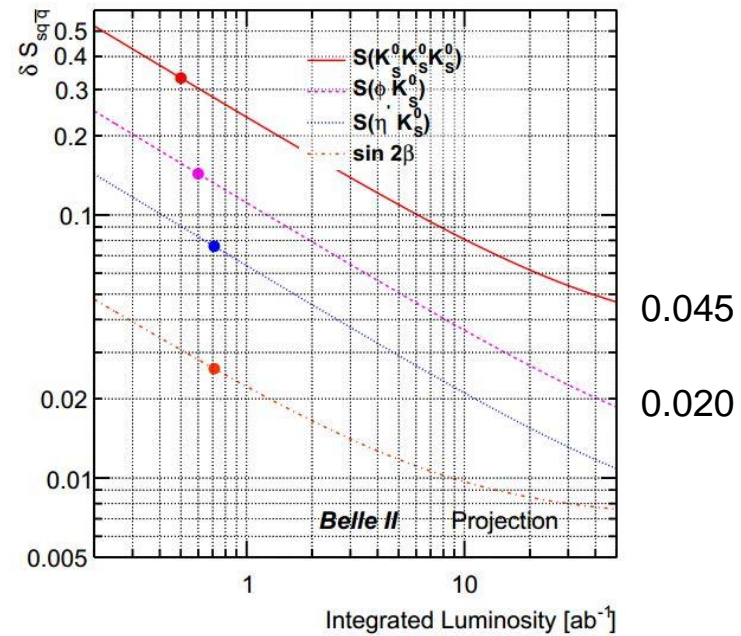


0.02

P. URQUIJO,
 BELLE2-NOTE-PH-2015-004



41 new phases in MSSM
 $\Delta S = \sin 2\phi_1^{eff} - \sin 2\phi_1$



B. GOLOB, K. TRABELSI, P. URQUIJO,
 BELLE2-NOTE-PH-2015-002

E_{miss}

	Observables	Belle or LHCb* (2014)	Belle II		LHCb		
			5 ab ⁻¹	50 ab ⁻¹	8 fb ⁻¹ (2018)	50 fb ⁻¹	
UT angles	$\sin 2\beta$	$0.667 \pm 0.023 \pm 0.012 (0.9^{\circ})$	0.4°	0.3°	0.6°	~	0.3°
	α [°]	85 ± 4 (Belle+BaBar)	2	1			
	γ [°] ($B \rightarrow D^{(*)} K^{(*)}$)	68 ± 14	6	1.5	4	!	1
	$2\beta_s(B_s \rightarrow J/\psi\phi)$ [rad]	$0.07 \pm 0.09 \pm 0.01^*$			0.025	!	0.009
Gluonic penguins	$S(B \rightarrow \phi K^0)$	$0.90^{+0.09}_{-0.19}$	0.053	0.018	0.2	?	0.04
	$S(B \rightarrow \eta' K^0)$	$0.68 \pm 0.07 \pm 0.03$	0.028	0.011			
	$S(B \rightarrow K_S^0 K_S^0 K_S^0)$	$0.30 \pm 0.32 \pm 0.08$	0.100	0.033			
	$\beta_s^{\text{eff}}(B_s \rightarrow \phi\phi)$ [rad]	$-0.17 \pm 0.15 \pm 0.03^*$			0.12	!	0.03
	$\beta_s^{\text{eff}}(B_s \rightarrow K^{*0} \bar{K}^{*0})$ [rad]	–			0.13		0.03
Direct CP in hadronic Decays	$\mathcal{A}(B \rightarrow K^0 \pi^0)$	$-0.05 \pm 0.14 \pm 0.05$	0.07	0.04		?	
UT sides	$ V_{cb} $ incl.	$41.6 \cdot 10^{-3} (1 \pm 2.4\%)$	1.2%				
	$ V_{cb} $ excl.	$37.5 \cdot 10^{-3} (1 \pm 3.0\%_{\text{ex.}} \pm 2.7\%_{\text{th.}})$	1.8%	1.4%		~	
	$ V_{ub} $ incl.	$4.47 \cdot 10^{-3} (1 \pm 6.0\%_{\text{ex.}} \pm 2.5\%_{\text{th.}})$	3.4%	3.0%		!	
	$ V_{ub} $ excl. (had. tag.)	$3.52 \cdot 10^{-3} (1 \pm 10.8\%)$	4.7%	2.4%		!	
Leptonic and Semi-tauonic	$\mathcal{B}(B \rightarrow \tau\nu)$ [10 ⁻⁶]	$96 (1 \pm 26\%)$	10%	5%		~	
	$\mathcal{B}(B \rightarrow \mu\nu)$ [10 ⁻⁶]	< 1.7	20%	7%			
	$R(B \rightarrow D\tau\nu)$ [Had. tag]	$0.440 (1 \pm 16.5\%)^{\dagger}$	5.6%	3.4%		~	
	$R(B \rightarrow D^*\tau\nu)^{\dagger}$ [Had. tag]	$0.332 (1 \pm 9.0\%)^{\dagger}$	3.2%	2.1%	...	!	
Radiative	$\mathcal{B}(B \rightarrow X_s \gamma)$	$3.45 \cdot 10^{-4} (1 \pm 4.3\% \pm 11.6\%)$	7%	6%			
	$A_{CP}(B \rightarrow X_{s,d} \gamma)$ [10 ⁻²]	$2.2 \pm 4.0 \pm 0.8$	1	0.5			
	$S(B \rightarrow K_S^0 \pi^0 \gamma)$	$-0.10 \pm 0.31 \pm 0.07$	0.11	0.035			
	$2\beta_s^{\text{eff}}(B_s \rightarrow \phi\gamma)$	–			0.13	!	0.03
	$S(B \rightarrow \rho\gamma)$	$-0.83 \pm 0.65 \pm 0.18$	0.23	0.07			
	$\mathcal{B}(B_s \rightarrow \gamma\gamma)$ [10 ⁻⁶]	< 8.7	0.3	–			
Electroweak penguins	$\mathcal{B}(B \rightarrow K^{*+} \nu \bar{\nu})$ [10 ⁻⁶]	< 40	< 15	30%			
	$\mathcal{B}(B \rightarrow K^+ \nu \bar{\nu})$ [10 ⁻⁶]	< 55	< 21	30%			
	$C_7/C_9 (B \rightarrow X_s \ell \ell)$	~20%	10%	5%			
	$\mathcal{B}(B_s \rightarrow \tau\tau)$ [10 ⁻³]	–	< 2	–			
	$\mathcal{B}(B_s \rightarrow \mu\mu)$ [10 ⁻⁹]	$2.9^{+1.1}_{-1.0}^*$			0.5	!	0.2

DISCLAIMER:

**PERSONAL STATEMENTS
ON IMPORTANCE OF IND.
PROCESSES;**

**? PROBABLY NOT SO
INTERESTING BECAUSE
SM VALUE CAN BE
REACHED/TESTED**

**~ MEDIUM INTERESTING,
MAY DEPEND ON**

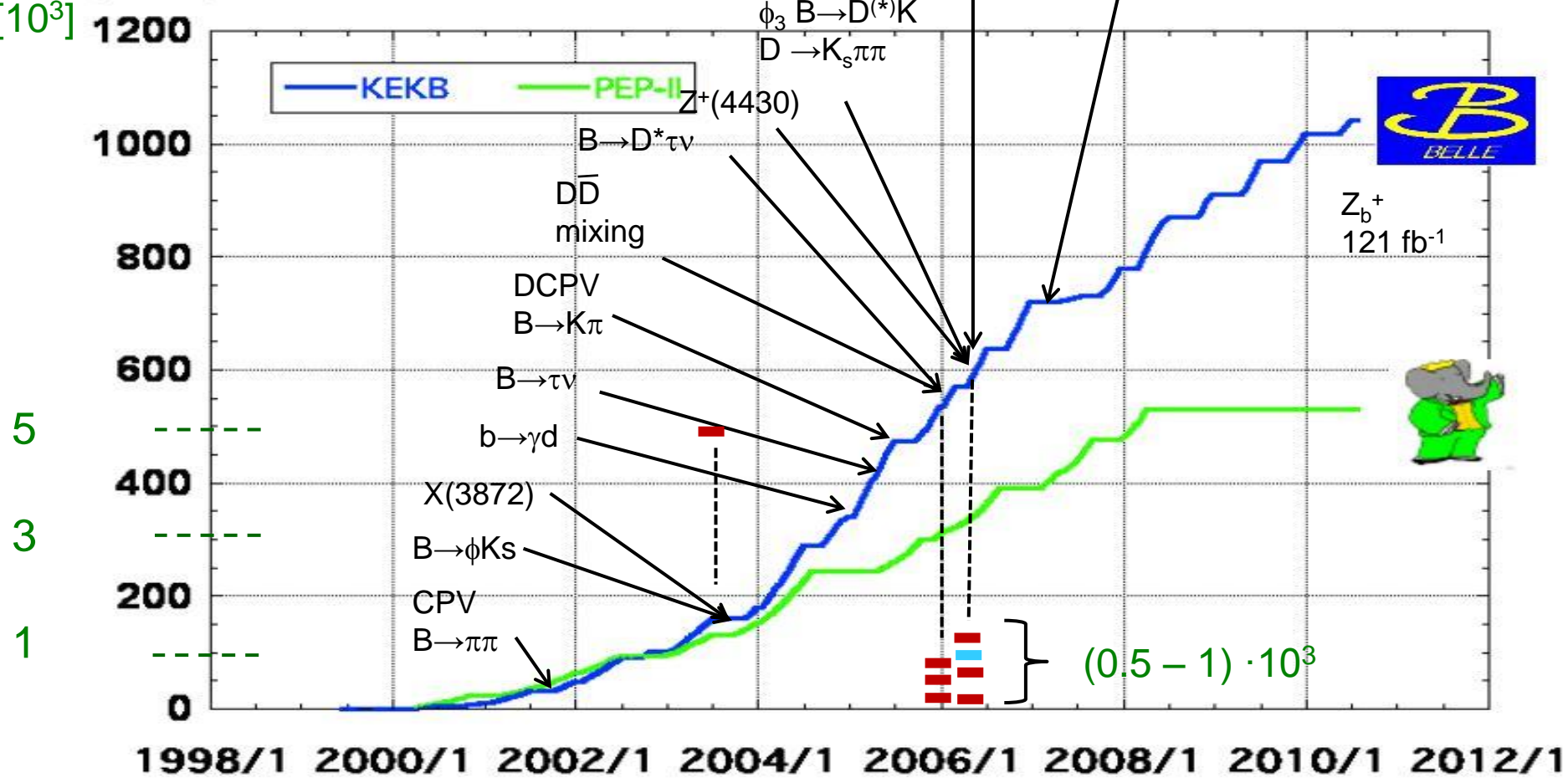
OTHER MEASUREMENTS

! IMPORTANT TO IMPROVE

E_{miss}

	Observables	Belle or LHCb* (2014)	Belle II		LHCb			
			5 ab ⁻¹	50 ab ⁻¹	8 fb ⁻¹ (2018)	50 fb ⁻¹		
UT angles	$\sin 2\beta$	$0.667 \pm 0.023 \pm 0.012 (0.9^\circ)$	0.4°	0.3°	0.6°	~	0.3°	DEPENDENT ON $ V_{ub} $
	α [°]	85 ± 4 (Belle+BaBar)	2	1				
	γ [°] ($B \rightarrow D^{(*)}K^{(*)}$)	68 ± 14	6	1.5	4	!	1	„STANDARD CANDLE“
	$2\beta_s(B_s \rightarrow J/\psi\phi)$ [rad]	$0.07 \pm 0.09 \pm 0.01^*$			0.025	!	0.009	
Gluonic penguins	$S(B \rightarrow \phi K^0)$	$0.90^{+0.09}_{-0.19}$	0.053	0.018	0.2	?	0.04	SM EXPECTATION REACHED
	$S(B \rightarrow \eta' K^0)$	$0.68 \pm 0.07 \pm 0.03$	0.028	0.011				
	$S(B \rightarrow K_S^0 K_S^0 K_S^0)$	$0.30 \pm 0.32 \pm 0.08$	0.100	0.033				
	$\beta_s^{\text{eff}}(B_s \rightarrow \phi\phi)$ [rad]	$-0.17 \pm 0.15 \pm 0.03^*$			0.12	!	0.03	REACHING SM PREDICTION (≤ 0.02)
	$\beta_s^{\text{eff}}(B_s \rightarrow K^{*0} \bar{K}^{*0})$ [rad]	–			0.13		0.03	
Direct CP in hadronic Decays	$A(B \rightarrow K^0 \pi^0)$	$-0.05 \pm 0.14 \pm 0.05$	0.07	0.04		?		$\sigma(I_{K\pi}) \sim \sigma(A_{K^0\pi^0})$, $I_{K\pi} = -0.27 \pm 0.14$
UT sides	$ V_{ub} $ incl.	$41.6 \cdot 10^{-3} (1 \pm 2.4\%)$	1.2%					
	$ V_{ub} $ excl.	$37.5 \cdot 10^{-3} (1 \pm 3.0\%_{\text{ex.}} \pm 2.7\%_{\text{th.}})$	1.8%	1.4%		~		EXCEEDING SM PRECISION
	$ V_{ub} $ incl.	$4.47 \cdot 10^{-3} (1 \pm 6.0\%_{\text{ex.}} \pm 2.5\%_{\text{th.}})$	3.4%	3.0%		!		TO REACH SM PRECISION
	$ V_{ub} $ excl. (had. tag.)	$3.52 \cdot 10^{-3} (1 \pm 10.8\%)$	4.7%	2.4%		!		PROBABLY MOST PRECISE DETERMINATION
Leptonic and Semi-tauonic	$\mathcal{B}(B \rightarrow \tau\nu)$ [10^{-6}]	$96 (1 \pm 26\%)$	10%	5%		~		DEPENDENT ON $ V_{ub} $, CURRENT SM $\pm 13\%$
	$\mathcal{B}(B \rightarrow \mu\nu)$ [10^{-6}]	< 1.7	20%	7%		~		
	$R(B \rightarrow D\tau\nu)$ [Had. tag]	$0.440 (1 \pm 16.5\%)^\dagger$	5.6%	3.4%		~		CURRENT SM PRECISION ($\sim 5\%$) WILL PROBABLY BE IMPROVED
	$R(B \rightarrow D^*\tau\nu)^\dagger$ [Had. tag]	$0.332 (1 \pm 9.0\%)^\dagger$	3.2%	2.1%	...	!		TO REACH SM PRECISION ($\sim 1\%-2\%$)
Radiative	$\mathcal{B}(B \rightarrow X_s \gamma)$	$3.45 \cdot 10^{-4} (1 \pm 4.3\% \pm 11.6\%)$	7%	6%				
	$A_{CP}(B \rightarrow X_{s,d} \gamma)$ [10^{-2}]	$2.2 \pm 4.0 \pm 0.8$	1	0.5				
	$S(B \rightarrow K_S^0 \pi^0 \gamma)$	$-0.10 \pm 0.31 \pm 0.07$	0.11	0.035				
	$2\beta_s^{\text{eff}}(B_s \rightarrow \phi\gamma)$	–			0.13	!	0.03	
	$S(B \rightarrow \rho\gamma)$	$-0.83 \pm 0.65 \pm 0.18$	0.23	0.07				
	$\mathcal{B}(B_s \rightarrow \gamma\gamma)$ [10^{-6}]	< 8.7	0.3	–				
Electroweak penguins	$\mathcal{B}(B \rightarrow K^{*+} \nu \bar{\nu})$ [10^{-6}]	< 40	< 15	30%				
	$\mathcal{B}(B \rightarrow K^+ \nu \bar{\nu})$ [10^{-6}]	< 55	< 21	30%				
	$C_7/C_9 (B \rightarrow X_s \ell \ell)$	$\sim 20\%$	10%	5%				
	$\mathcal{B}(B_s \rightarrow \tau\tau)$ [10^{-3}]	–	< 2	–				
	$\mathcal{B}(B_s \rightarrow \mu\mu)$ [10^{-9}]	$2.9^{+1.1}_{-1.0}^*$			0.5	!	0.2	TO REACH SM PRECISION

ratio
Belle/LHCb
lumi (fb^{-1})
[10^3]



RATIO BELLE II / LHCb PROJECTED INT. LUMINOSITY

CLEARLY ALSO IN TERMS OF
INT. LUMINOSITY LHCb &
BELLE II ARE
COMPLEMENTARY
(AT LEAST ONCE
SUPERKEKB & BELLE II
START WITH SERIOUS
LUMINOSITY)

