

Jožef Stefan Institute



**BLED 2024**

# Probing Heavy Neutrino Magnetic Moments at the LHC Using Non-Pointing Photon Signatures

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See: [arXiv:2405.08877](https://arxiv.org/abs/2405.08877)

# Heavy Neutral Leptons via the Dipole Portal

# Right-Handed Neutrinos

It is common to consider  $N_R$  (SM gauge singlet), only  $U(1)_L$  forbids a mass term:

$$\mathcal{L}_{\text{SM}+N_R} \supset \mathcal{L}_{\text{SM}} + i\bar{N}_R \not{\partial} N_R - \left[ \bar{L} Y_\nu N_R \tilde{H} + \frac{1}{2} \bar{N}_R^c M_R N_R + \text{h.c.} \right]$$

Extended neutrino mass matrix:

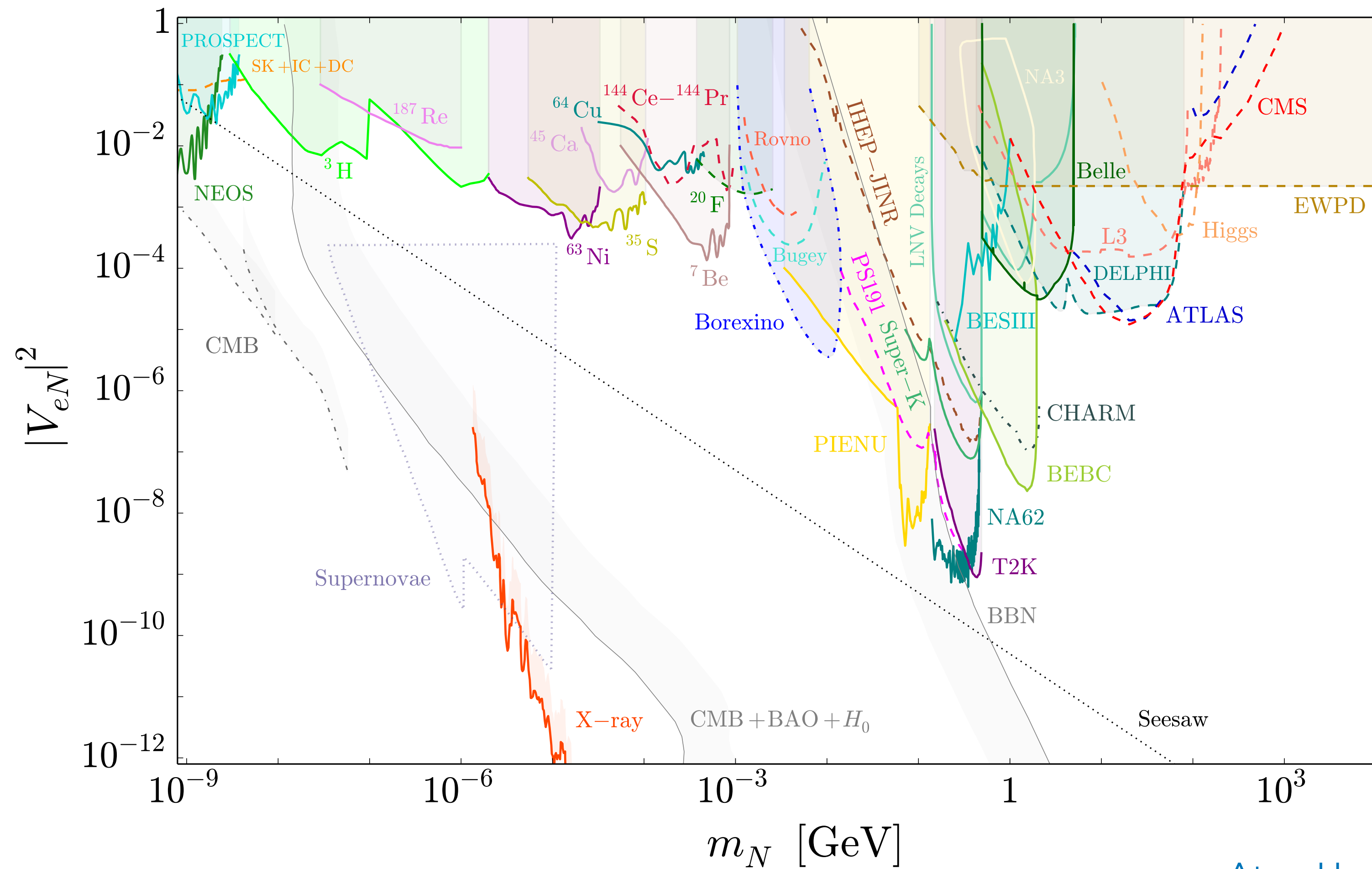
$$-\frac{1}{2} \begin{pmatrix} \bar{\nu}_L & \bar{N}_R^c \end{pmatrix} \begin{pmatrix} 0 & M_D \\ M_D^T & M_R \end{pmatrix} \begin{pmatrix} \nu_L^c \\ N_R \end{pmatrix} + \text{h.c.}, \quad M_D = \frac{v}{\sqrt{2}} Y_\nu$$

Diagonalise: Naturally generate the light neutrino masses if  $M_D \ll M_R$  or  $U(1)_L$  is approximately conserved

$$[M_\nu]_{\alpha\beta} = U_{\alpha i} U_{\beta i} m_i \approx -[M_D M_R^{-1} M_D^T]_{\alpha\beta} \quad V_{\alpha N_i} = i U_{\alpha j} \mathcal{R}_{ji} \sqrt{\frac{m_j}{m_{N_i}}}$$

Resulting heavy states: **Majorana** (Type-I) or **pseudo-Dirac** (inverse)

# Active-Sterile Mixing Phenomenology



$$\mathcal{L} \supset \left[ -\frac{g}{\sqrt{2}} V_{\alpha N_i} \bar{\ell}_\alpha \not{W} P_L N_i + \text{h.c.} \right] - \frac{g}{2c_W} \left[ V_{\alpha N_i} \bar{\nu}_\alpha \not{Z} P_L N_i + V_{\alpha N_i}^* V_{\alpha N_j} \bar{N}_i \not{Z} P_L N_j \right]$$

Atre, Han, Pascoli, Zhang, 0901.3589

Bondarenko et al., 1805.08567

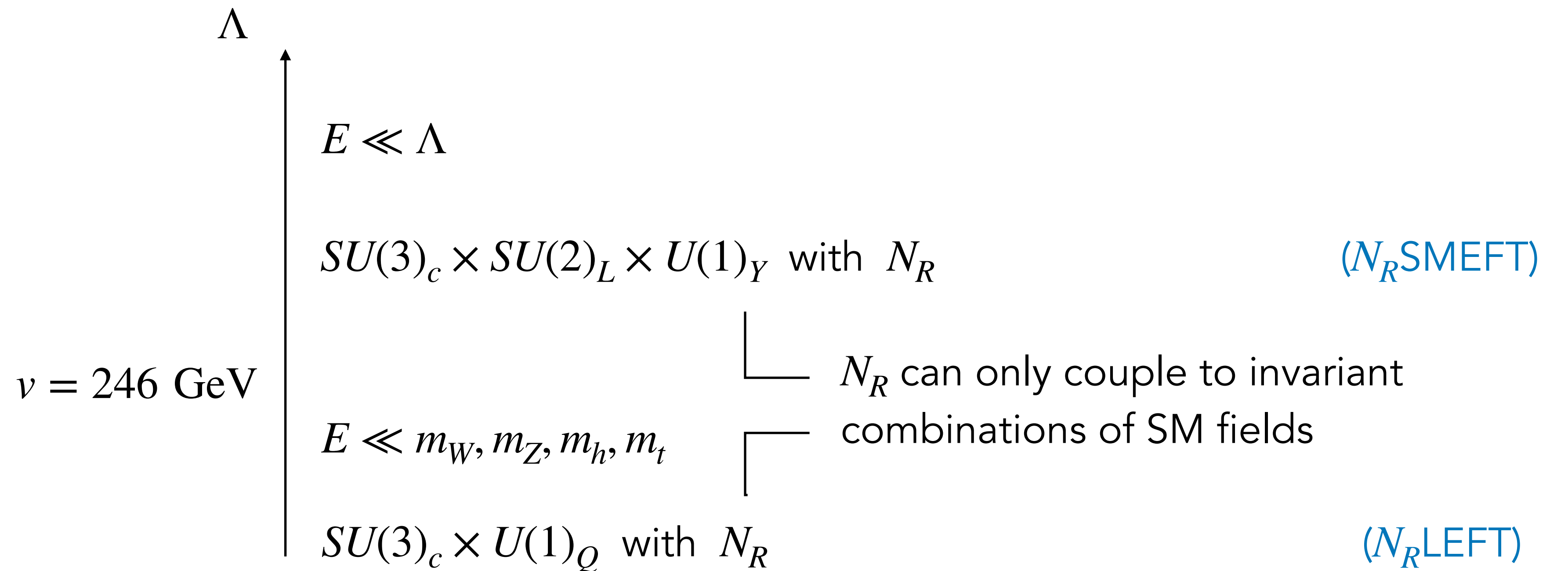
PDB, Deppisch, Dev, 1912.03058

Coloma et al., 2007.03701

# Beyond the Renormalisable

If  $N_R$  is coupled to some heavy new physics at  $\Lambda$ :

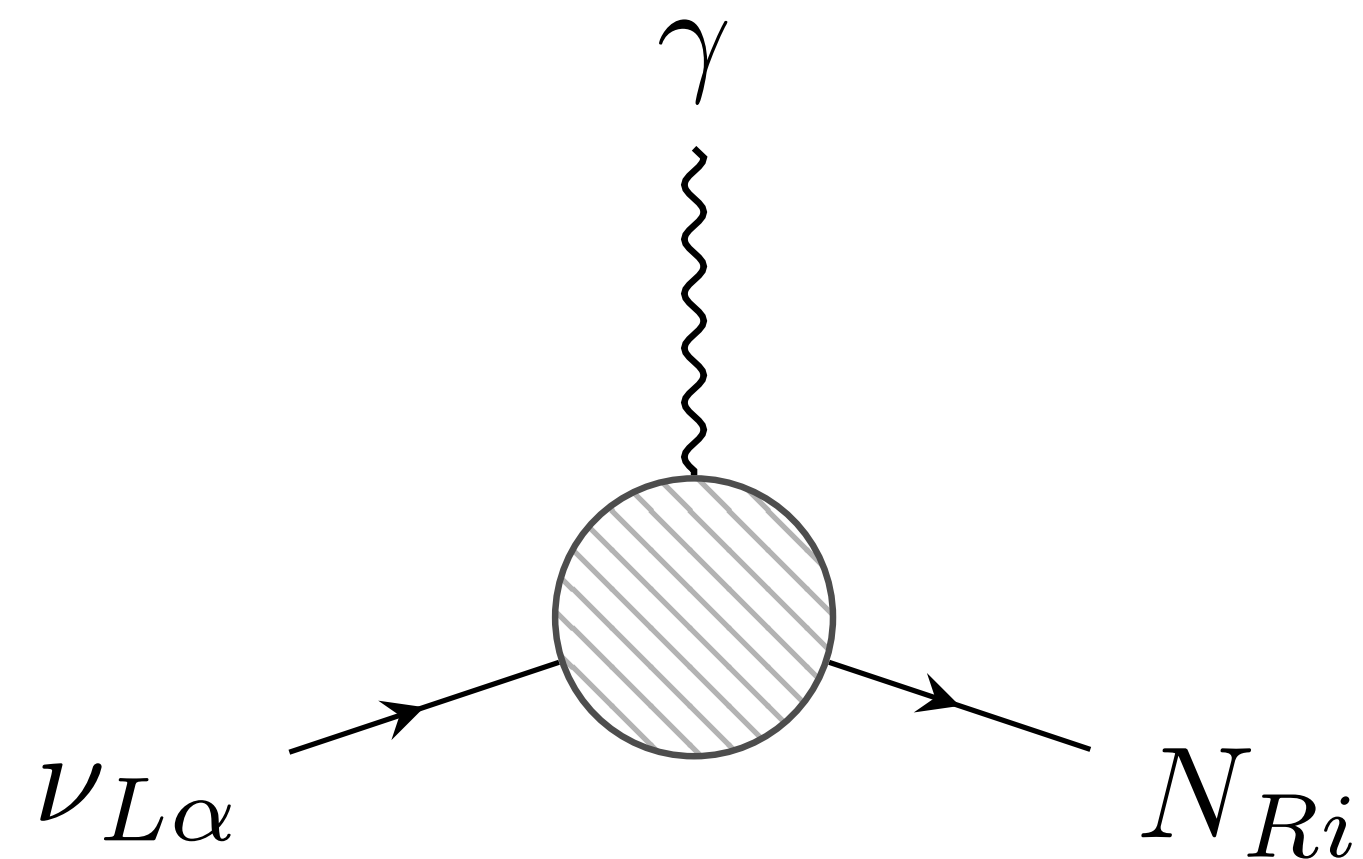
$$\mathcal{L} = \mathcal{L}_{\text{SM}+N_R} + \sum_i C_i^{(d)} \mathcal{O}_i^{(d)} \quad C_i^{(d)} \propto \Lambda^{4-d}$$



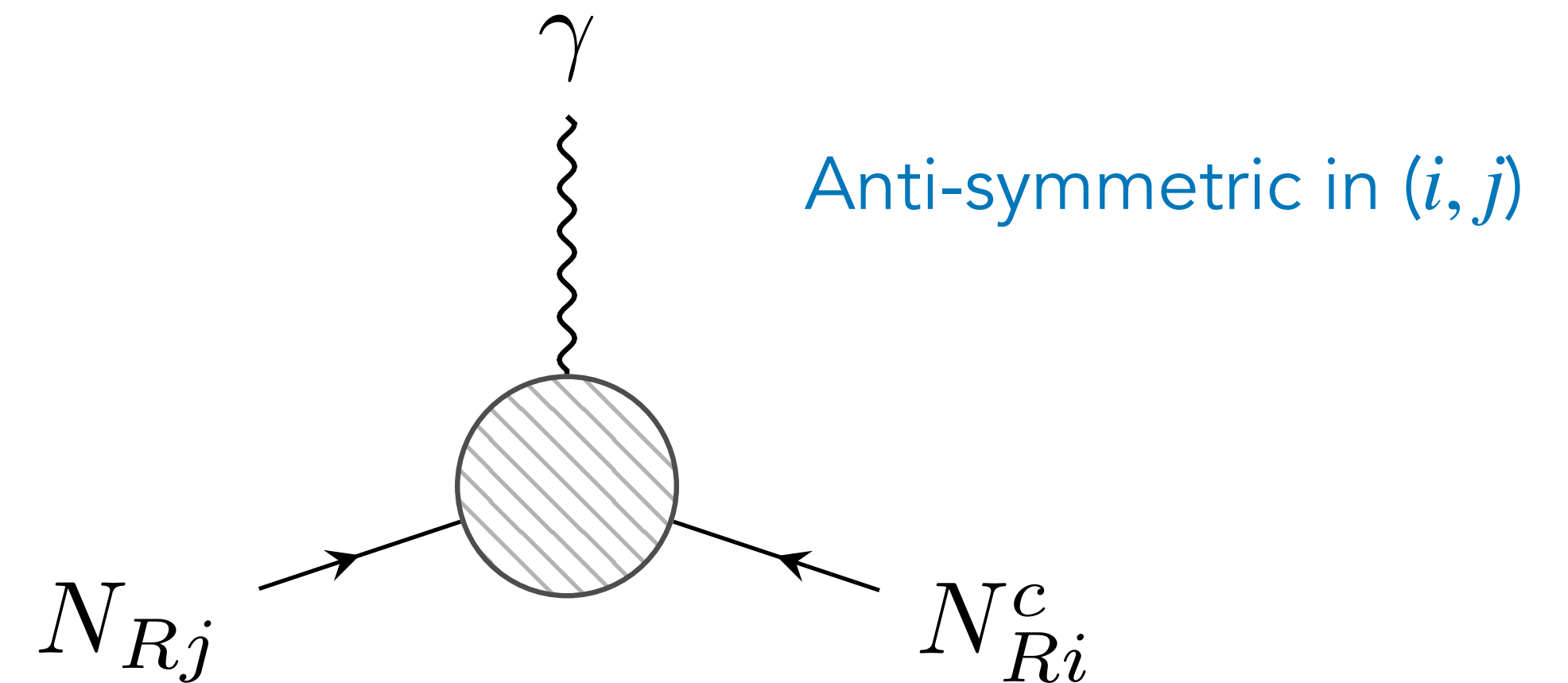
# Active-to-Sterile and Sterile-to-Sterile Neutrino Magnetic Moments

In the  $N_R$ LEFT, magnetic moments of RH fields (induced by some NP at  $\Lambda$ ) are described by the operators:

$$\mathcal{O}_{\nu N\gamma} = (\bar{\nu}_L \sigma_{\mu\nu} N_R) F^{\mu\nu}$$



$$\mathcal{O}_{NN\gamma} = (\bar{N}_R^c \sigma_{\mu\nu} N_R) F^{\mu\nu}$$



## Phenomenology:

- Neutrino upscattering (solar  $\nu$ , CE $\nu$ NS)
- Meson Decays (Dalitz-like)
- Supernova cooling (SN1987A)
- Monophoton +  $E_T^{\text{miss}}$ ,  $\Gamma_Z^{\text{inv}}$  at LEP, LHC

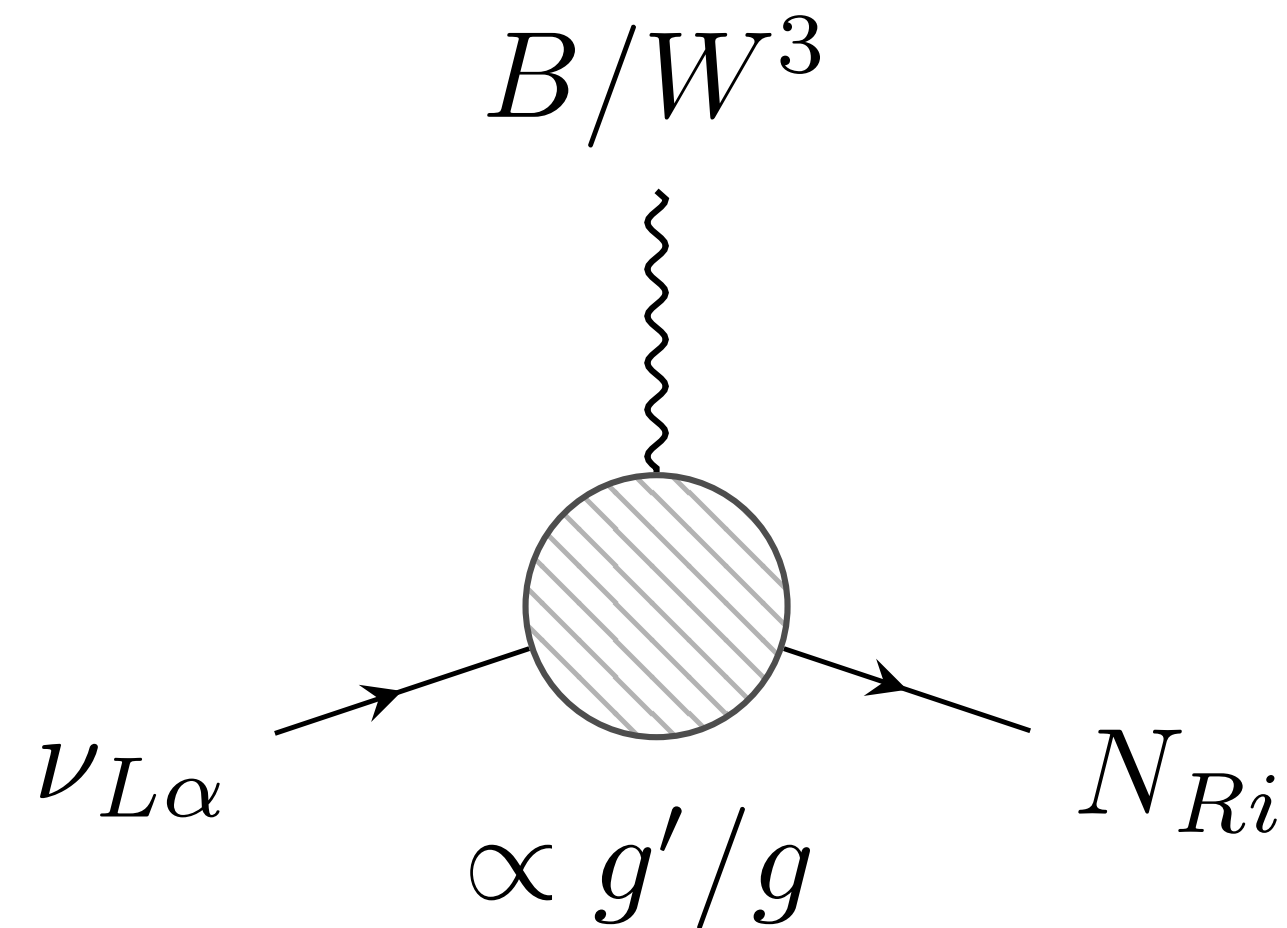
- Meson Decays (Dalitz-like)
- Supernova cooling (SN1987A)
- Monophoton +  $E_T^{\text{miss}}$ ,  $\Gamma_Z^{\text{inv}}$ , at LEP, LHC

# From the SMEFT

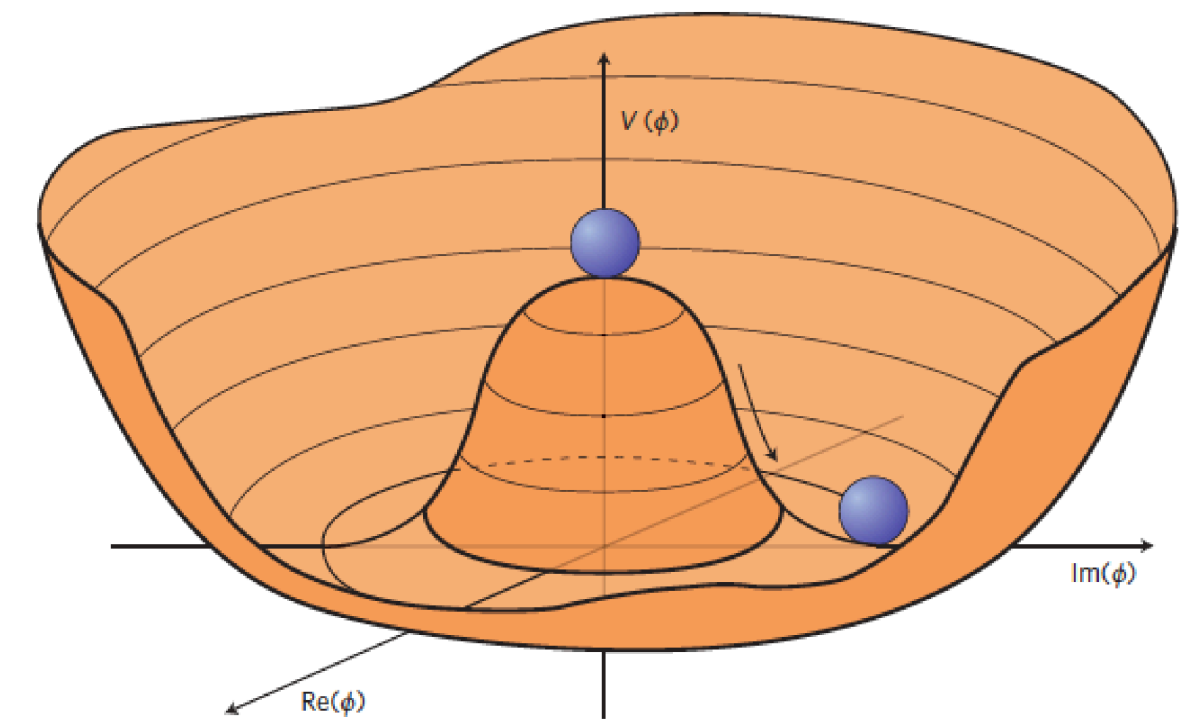
These are induced by the  $N_R$  SMEFT operators:

$$\mathcal{O}_{NNB}^{(5)} = (\bar{N}_R^c \sigma_{\mu\nu} N_R) B^{\mu\nu}$$

$$\mathcal{O}_{NB}^{(6)} = (\bar{L} \sigma_{\mu\nu} N_R) \tilde{H} B^{\mu\nu} \quad \mathcal{O}_{NW}^{(6)} = (\bar{L} \sigma_{\mu\nu} N_R) \tau^I \tilde{H} W^{I\mu\nu}$$



$$H = \frac{1}{\sqrt{2}} \begin{pmatrix} 0 \\ v+h \end{pmatrix} \longrightarrow d_{NN\gamma}^{ij} = c_w C_{NNB}^{(5)ij} \quad d_{\nu N\gamma}^{\alpha i} = \frac{v}{\sqrt{2}} \left( c_w C_{NB}^{(6)\alpha i} + \frac{s_w}{2} C_{NW}^{(6)\alpha i} \right) = \frac{v}{2\sqrt{2}} (2+a) c_w C_{NB}^{(6)\alpha i}$$

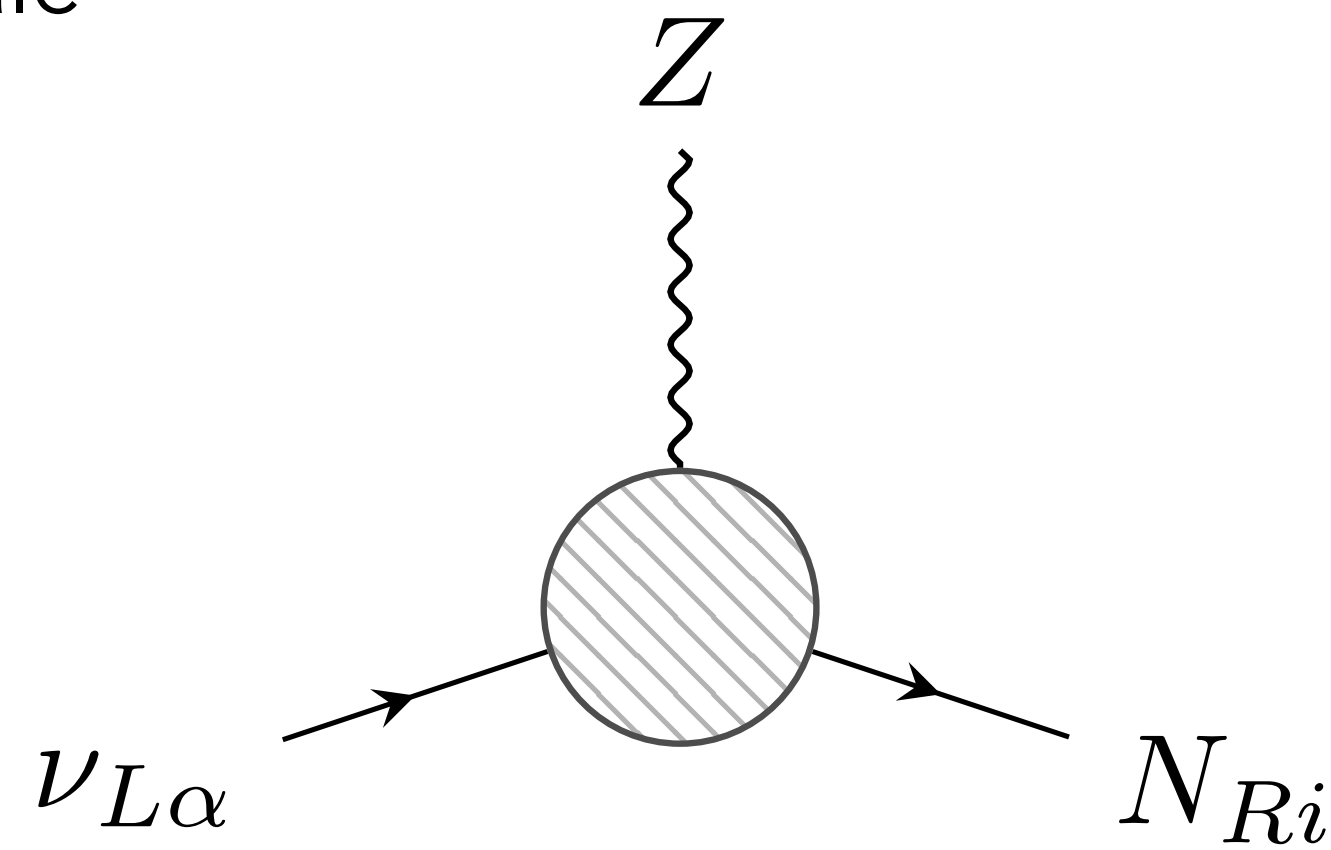


Model-dependent factor

$$\frac{C_{NW}^{(6)\alpha i}}{C_{NB}^{(6)\alpha i}} = a \frac{g}{g'} = \frac{a}{\tan \theta_w}$$

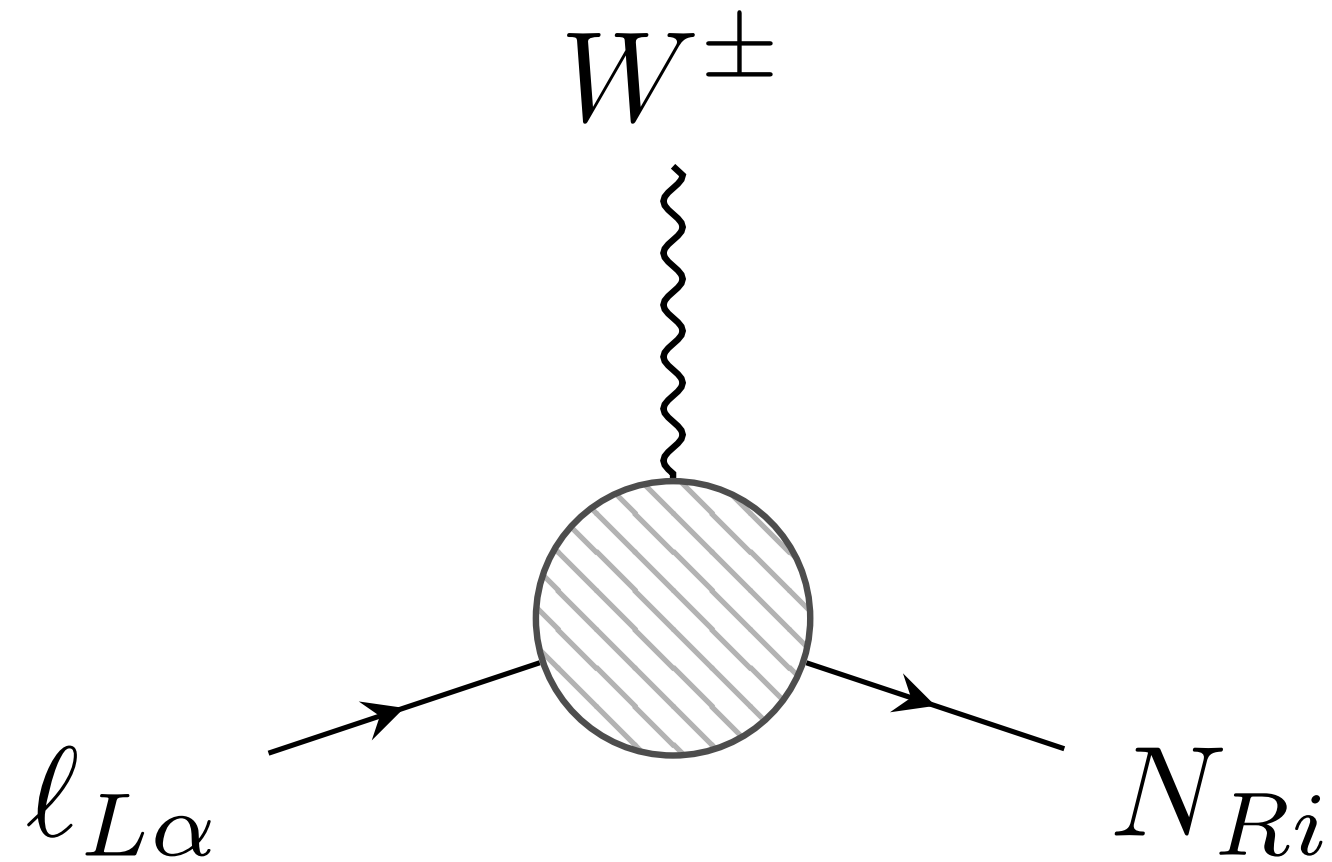
# Electroweak Dipole Moments

In the context of high-energy collider processes, useful define rotated  $N_R$  SMEFT operators at the EW symmetry breaking scale



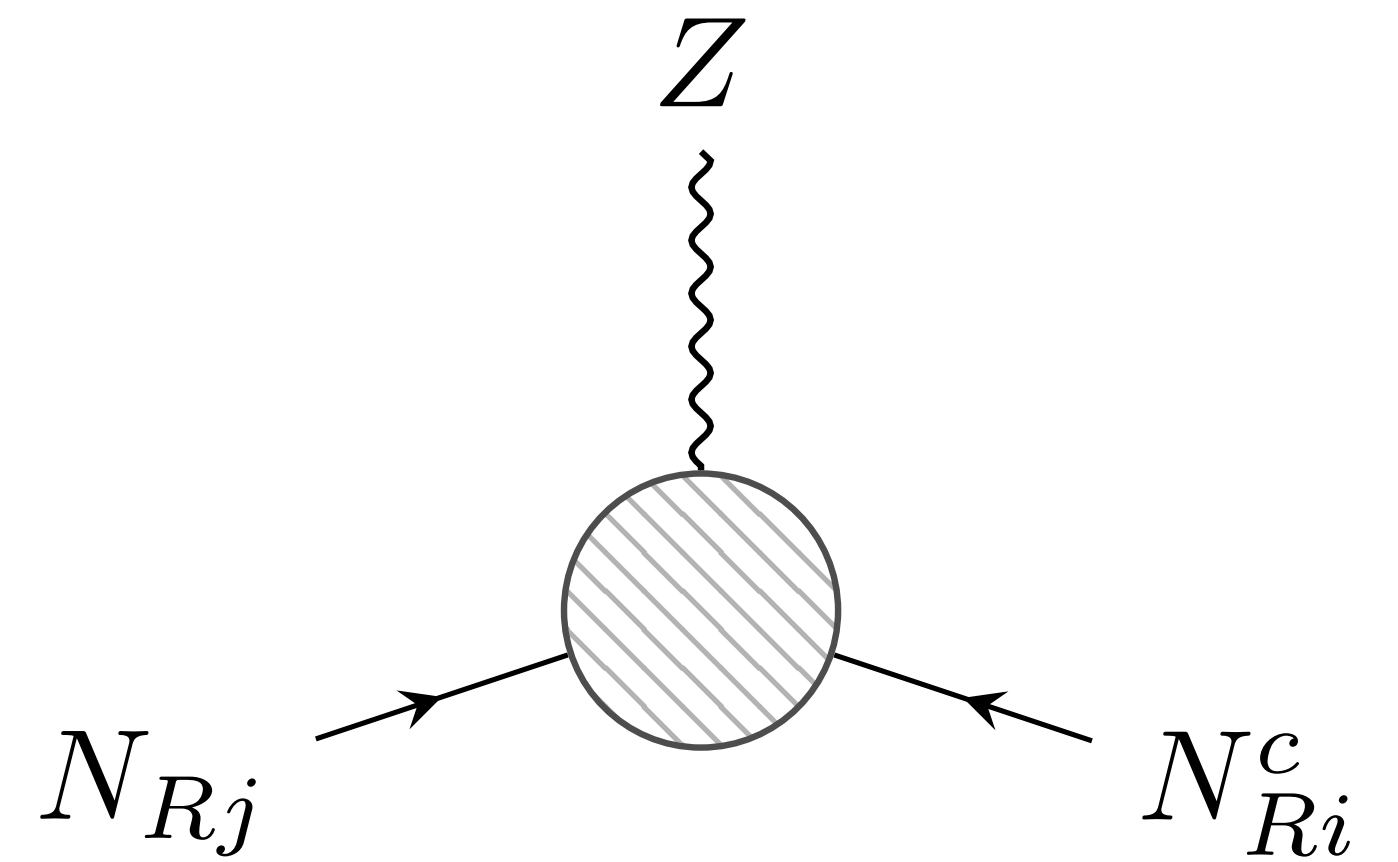
$$\mathcal{O}_{\nu NZ} = (\bar{\nu}_L \sigma_{\mu\nu} N_R) Z^{\mu\nu}$$

$$\frac{d_{\nu NZ}^{\alpha i}}{d_{\nu N\gamma}^{\alpha i}} = \frac{a - 2t_w^2}{(2 + a)t_w}$$



$$\mathcal{O}_{\ell NW} = (\bar{\ell}_L \sigma_{\mu\nu} N_R) W^{\mu\nu}$$

$$\frac{d_{\ell NW}^{\alpha i}}{d_{\nu N\gamma}^{\alpha i}} = \frac{\sqrt{2}a}{(2 + a)s_w}$$



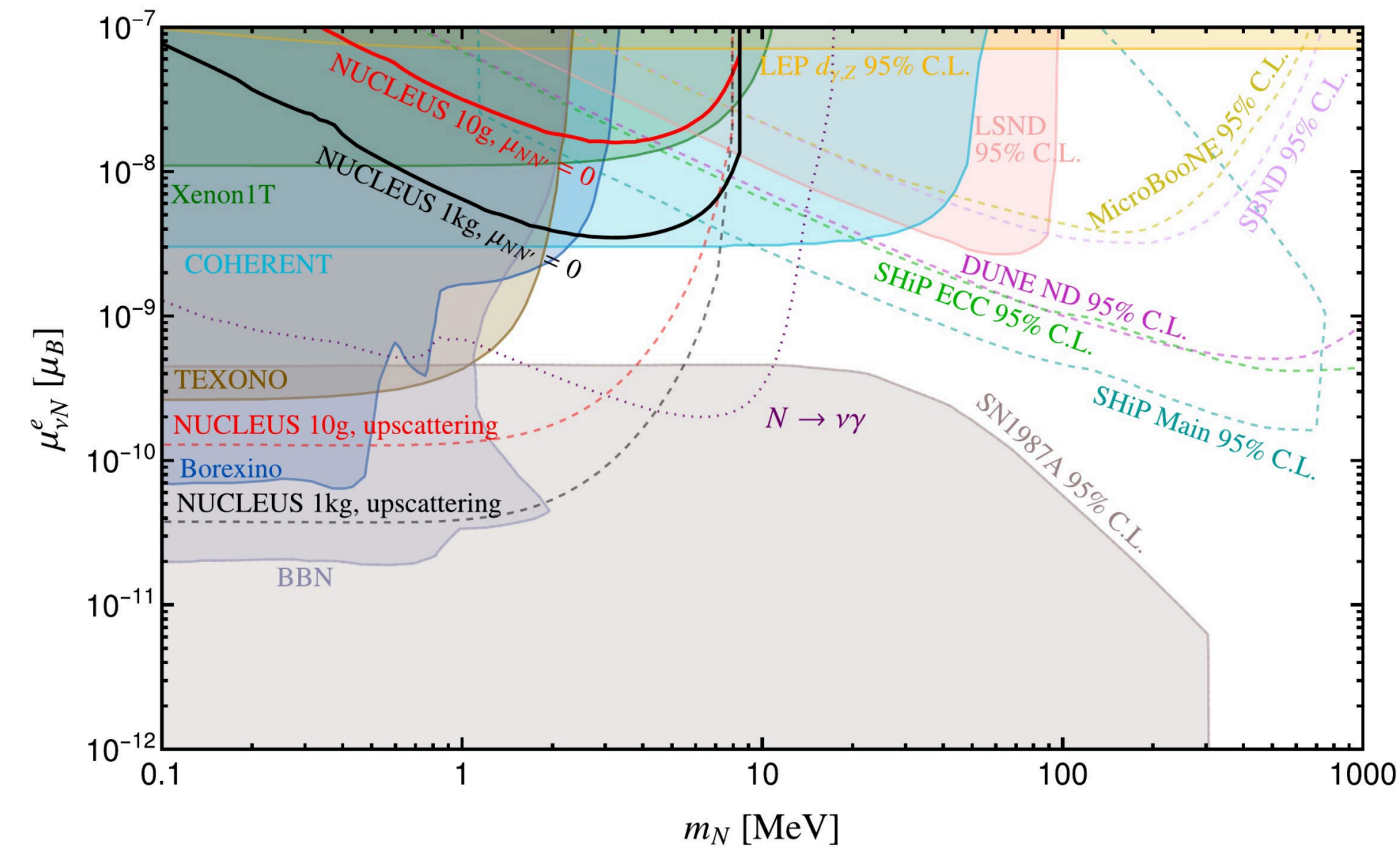
$$\mathcal{O}_{NNZ} = (\bar{N}_R^c \sigma_{\mu\nu} N_R) Z^{\mu\nu}$$

$$\frac{d_{NNZ}^{ij}}{d_{NN\gamma}^{ij}} = -t_w$$

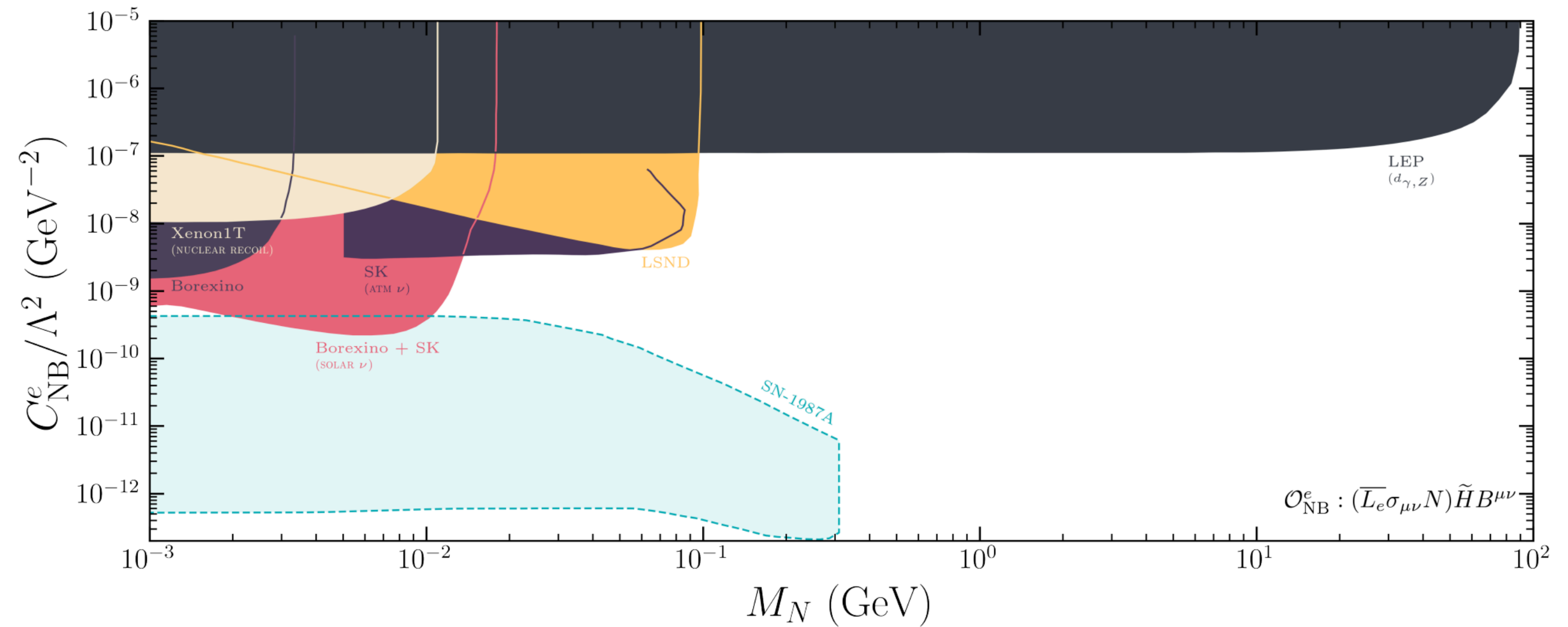


# Current Bounds: Active-Sterile Dipole Moments

PDB, Deppisch, Fridell, Harz, Hati, Kulkarni, 2110.02233



Fernández-Martínez et al., 2304.06772



- Neutrino upscattering (solar  $\nu$ ,  $CE\nu NS$ )
- Meson Decays (Dalitz-like)
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- Monophoton +  $E_T^{\text{miss}}$ ,  $\Gamma_Z^{\text{inv}}$  at LEP, LHC

Patrick Bolton, BLED 2024

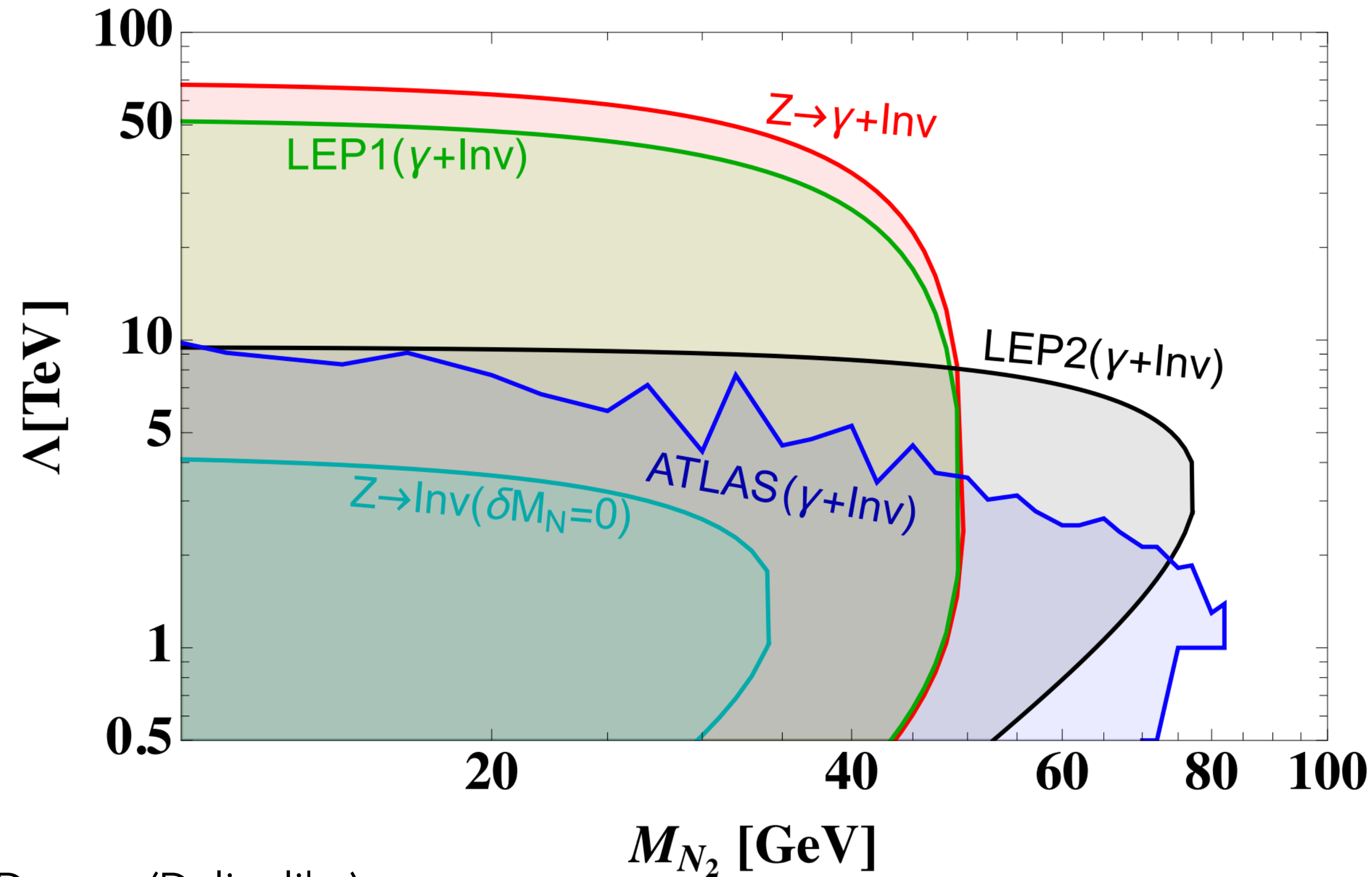
Magill, Plestid, Pospelov, Tsai, 1803.03262

Brdar, Greljo, Kopp, Opferkuch, 2007.15563

Schwetz, Zhou, Zhu, 2105.09699

Barducci, Liu, Titov, Wang, Zhang, 2308.16608

# Current Bounds: Sterile-Sterile Dipole Moments



$$C_{NNB}^{(5)} = \frac{1}{\Lambda}$$

Bounds depend on  $m_{N_2} - m_{N_1}$

- Meson Decays (Dalitz-like)
- Supernova cooling (SN1987A)
- Monophoton +  $E_T^{\text{miss}}$ ,  $\Gamma_Z^{\text{inv}}$ , at LEP, LHC

Delgado, Duarte, Jones-Pérez, Manrique-Chavil, Pēna, 2205.13550

Barducci, Bertuzzo, Taoso, Toni, 2209.13469

Chun, Mandal, Padhan, 2401.05174

# Generating Magnetic Moments: Model Example

# Model

To generate active (sterile)-to-sterile magnetic moments for  $N_{R'}$ , we introduce two additional fields:

Field(s)	Irrep	Couplings
$N_R$	$(\mathbf{1}, \mathbf{1})_0$	$Y_\nu$
$E$	$(\mathbf{1}, \mathbf{1})_{-1}$	$Y_E$
$\phi$	$(\mathbf{1}, \mathbf{1})_{-1}$	$f, \lambda_{\phi H}$

[Aparici, Kim, Santamaria, Wudka, 0904.3244](#)

[Aparici, Santamaria, Wudka, 0911.4103](#)

Introducing the vector-like lepton  $E = E_L + E_R$ :

$$\mathcal{L} \supset \bar{E} (i\not{D} - m_E) E - \left[ \bar{L} Y_E H E_R + \text{h.c.} \right] \quad Y_E = \begin{pmatrix} Y_E^e \\ Y_E^\mu \\ Y_E^\tau \end{pmatrix}$$

Introducing the scalar  $\phi$ :

$$\mathcal{L} \supset (D_\mu \phi)^* (D^\mu \phi) - V(\phi) - \left[ \bar{L} f \tilde{L} \phi + \bar{N}_R^c f' \ell_R \phi^* + \text{h.c.} \right] \quad f = \begin{pmatrix} 0 & f_{e\mu} & f_{e\tau} \\ -f_{e\mu} & 0 & f_{\mu\tau} \\ -f_{e\tau} & -f_{\mu\tau} & 0 \end{pmatrix}$$

# Vector-Like Lepton

Extended charged lepton mass term including vector-like lepton

$$\mathcal{L} \supset - (\bar{\ell}_L \ \bar{E}_L) \mathcal{M}_E \begin{pmatrix} \ell_R \\ E_R \end{pmatrix} + \text{h.c.}; \quad \mathcal{M}_E = \begin{pmatrix} \frac{vY_e}{\sqrt{2}} & \frac{vY_E}{\sqrt{2}} \\ 0 & m_E \end{pmatrix}$$

Diagonalise:

$$\begin{pmatrix} \ell_{L\alpha} \\ E_L \end{pmatrix} = \begin{pmatrix} V_{\alpha\beta}^L & V_{\alpha E}^L \\ V_{E\beta}^L & V_{EE}^L \end{pmatrix} P_L \begin{pmatrix} \ell'_\beta \\ E' \end{pmatrix}, \quad \begin{pmatrix} \ell_{R\alpha} \\ E_R \end{pmatrix} = \begin{pmatrix} V_{\alpha\beta}^R & V_{\alpha E}^R \\ V_{E\beta}^R & V_{EE}^R \end{pmatrix} P_R \begin{pmatrix} \ell'_\beta \\ E' \end{pmatrix},$$

In the limit  $m_\ell \ll m_E$ , seesaw-like mixing

$$V_{\alpha E}^L = -V_{E\alpha}^{L*} \approx \frac{vY_E^\alpha}{\sqrt{2}m_E}, \quad V_{\alpha E}^R = -V_{E\alpha}^{R*} \approx \frac{v^2[Y_e]_{\alpha\gamma}^* Y_E^\gamma}{2m_E^2}$$

$\Rightarrow V^{L,R}$  enters SM charged and neutral currents

# Vector-Like Lepton

Equivalently, for  $m_\ell \ll m_E$ , the vector-like lepton can be integrated out. At tree-level:

$$\mathcal{O}_{Hl}^{(1)} = (H^\dagger i \overleftrightarrow{D}_\mu H) (\bar{L} \gamma^\mu L) \quad \mathcal{O}_{Hl}^{(3)} = (H^\dagger i \overleftrightarrow{D}_\mu^I H) (\bar{L} \tau^I \gamma^\mu L) \quad \mathcal{O}_{eH} = (H^\dagger H) \bar{L} H \ell_R$$

With matching conditions:

$$C_{Hl}^{(1)\alpha\beta} = C_{Hl}^{(3)\alpha\beta} = -\frac{Y_E^\alpha Y_E^{\beta*}}{4m_E^2} \quad C_{eH}^{\alpha\beta} = \frac{Y_E^\alpha Y_E^{\gamma*} [Y_e]_{\gamma\beta}}{2m_E^2}$$

del Aguila, de Blas, Perez-Victoria, arXiv:0803.4008

Give off-diagonal  $Z$ , Higgs couplings or flavour-changing neutral currents (FCNCs)

↳ Bounds from electroweak precision tests (EWPT) and charged-lepton flavour violation (cLFV)

# Singly-Charged Scalar

For the singly-charged scalar, we can write

$$\mathcal{L} \supset - (\bar{\nu}_L \bar{\ell}_L) f \begin{pmatrix} \ell_L^c \\ -\nu_L^c \end{pmatrix} \phi + \text{h.c.} = -2\bar{\nu}_L f \ell_L^c \phi + \text{h.c.},$$

Similarly, for  $m_\ell \ll m_\phi$ , we obtain from  $f$  and  $f'$  couplings:

$$\mathcal{O}_{ll} = (\bar{L}\gamma_\mu L)(\bar{L}\gamma^\mu L) \quad \mathcal{O}_{lNle} = (\bar{L}N_R)\epsilon(\bar{L}\ell_R) \quad \mathcal{O}_{eN} = (\bar{\ell}_R\gamma_\mu \ell_R)(\bar{N}_R\gamma^\mu N_R)$$

With tree-level matching conditions:

$$C_{ll}^{\alpha\beta\gamma\delta} = \frac{f_{\alpha\gamma}f_{\delta\beta}^*}{m_\phi^2} \quad C_{lNle}^{\alpha i\beta\gamma} = \frac{2f_{\alpha\beta}f'_{i\gamma}}{m_\phi^2} \quad C_{eN}^{\alpha\beta ij} = \frac{f'_{i\alpha}f'_{j\beta}}{2m_\phi^2}$$

Exotic lepton interactions

↳ Bounds from lepton flavour universality (LFU) and charged lepton flavour violating probes

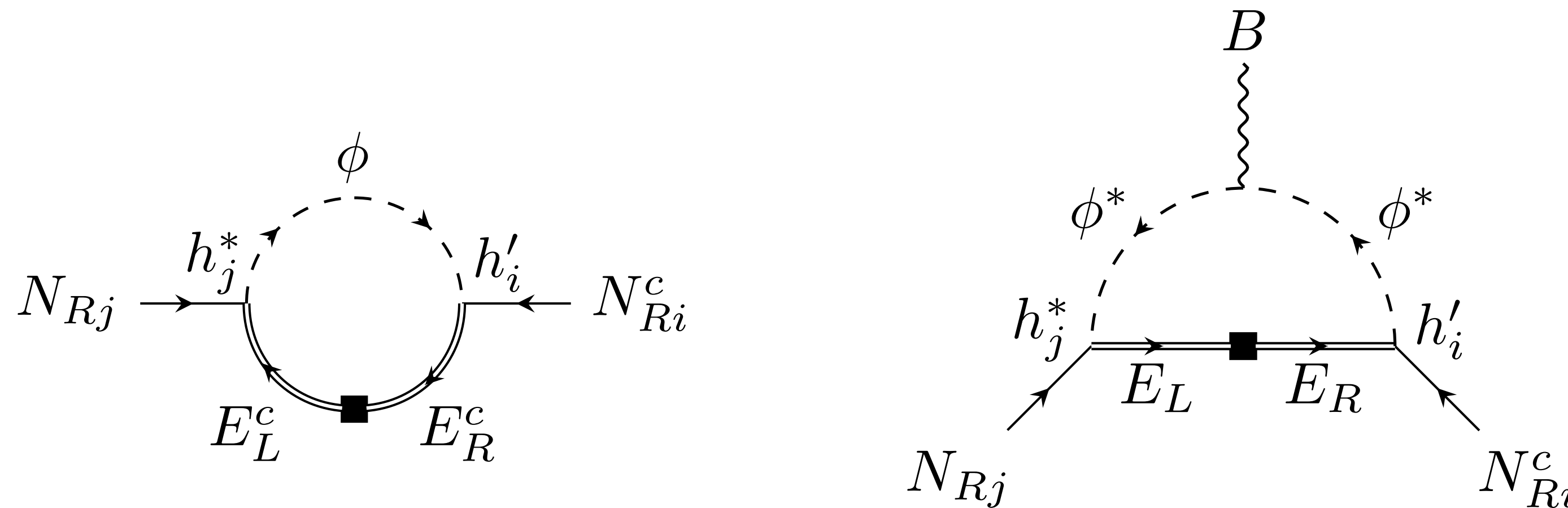
# Both $E$ and $\phi$ Present

When both the vector-like lepton and singly-charged scalar are present, we can write

$$\mathcal{L} \supset \bar{N}_R h E_L \phi^* + \bar{N}_R^c h' E_R \phi^* + \text{h.c.},$$

If  $E \rightarrow -E$  and  $\phi \rightarrow -\phi$  under  $Z_2$ , these are the only possible new interactions

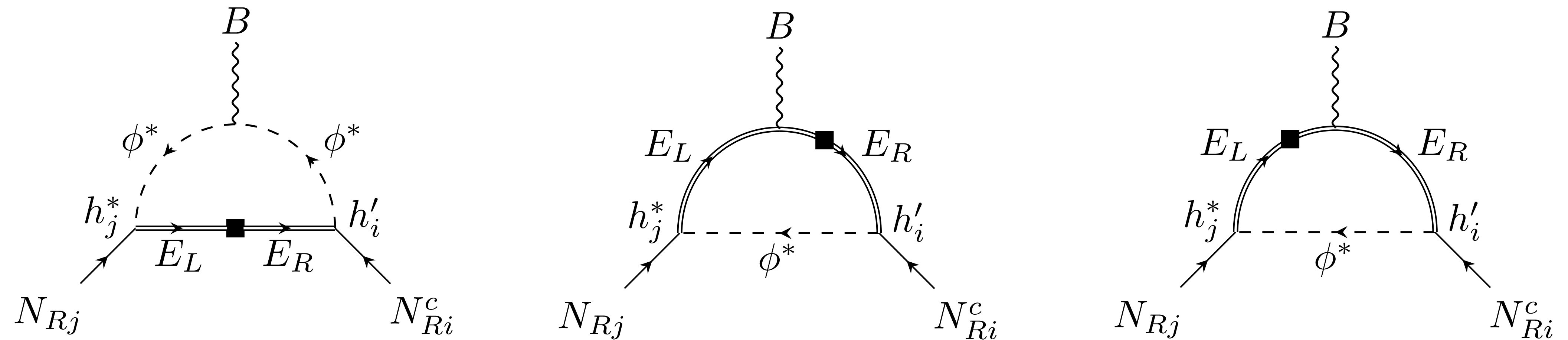
For  $m_E, m_\phi \gg m_N$ , only enters at one-loop





# Sterile-to-Sterile Neutrino Magnetic Moments

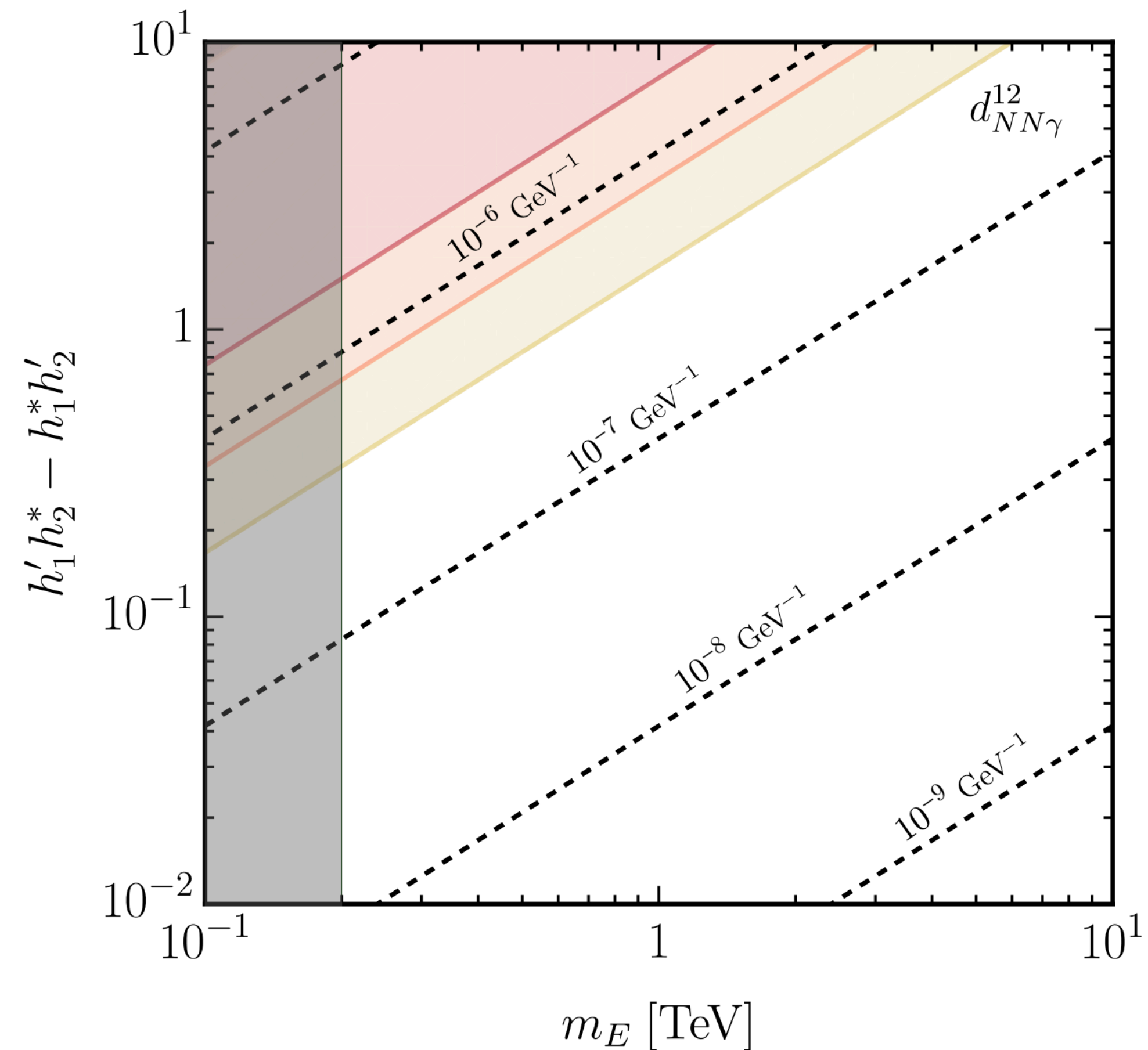
At one-loop in the UV model:



One-loop matching:

$$C_{NNB}^{(5)ij} = \frac{1}{16\pi^2} \frac{g'(h_i' h_j^* - h_i^* h_j')}{4m_E} f(r) \quad f(r) = \frac{1}{1-r} + \frac{r \log r}{(1-r)^2}$$

# Sterile-to-Sterile Neutrino Magnetic Moments

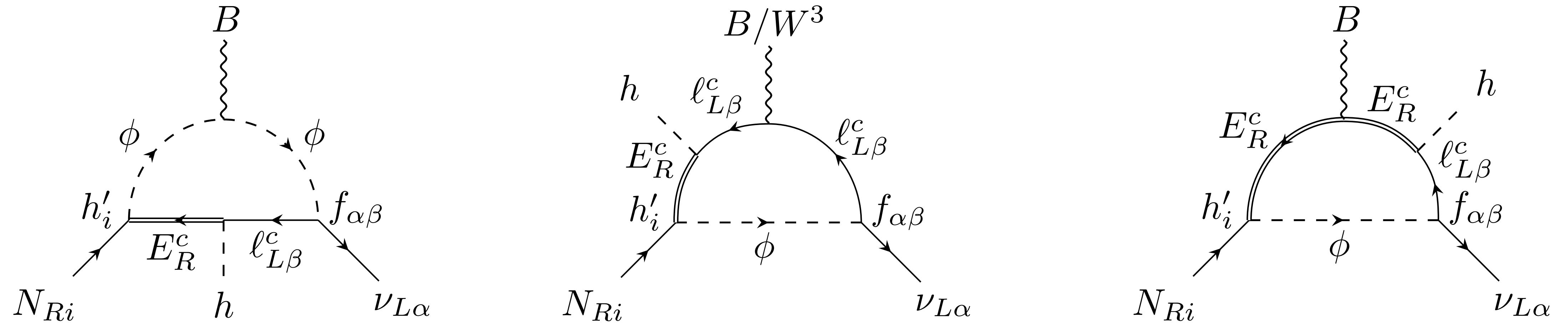


$$d_{NN\gamma}^{ij} = c_w C_{NNB}^{(5)ij} \approx 2.4 \times 10^{-6} \text{ GeV}^{-1} \left( \frac{h'_i h_j^* - h_i^* h'_j}{10} \right) \left( \frac{1 \text{ TeV}}{m_E} \right)$$

$$h_i, h'_i < \sqrt{4\pi}$$

# Active-to-Sterile Neutrino Magnetic Moments

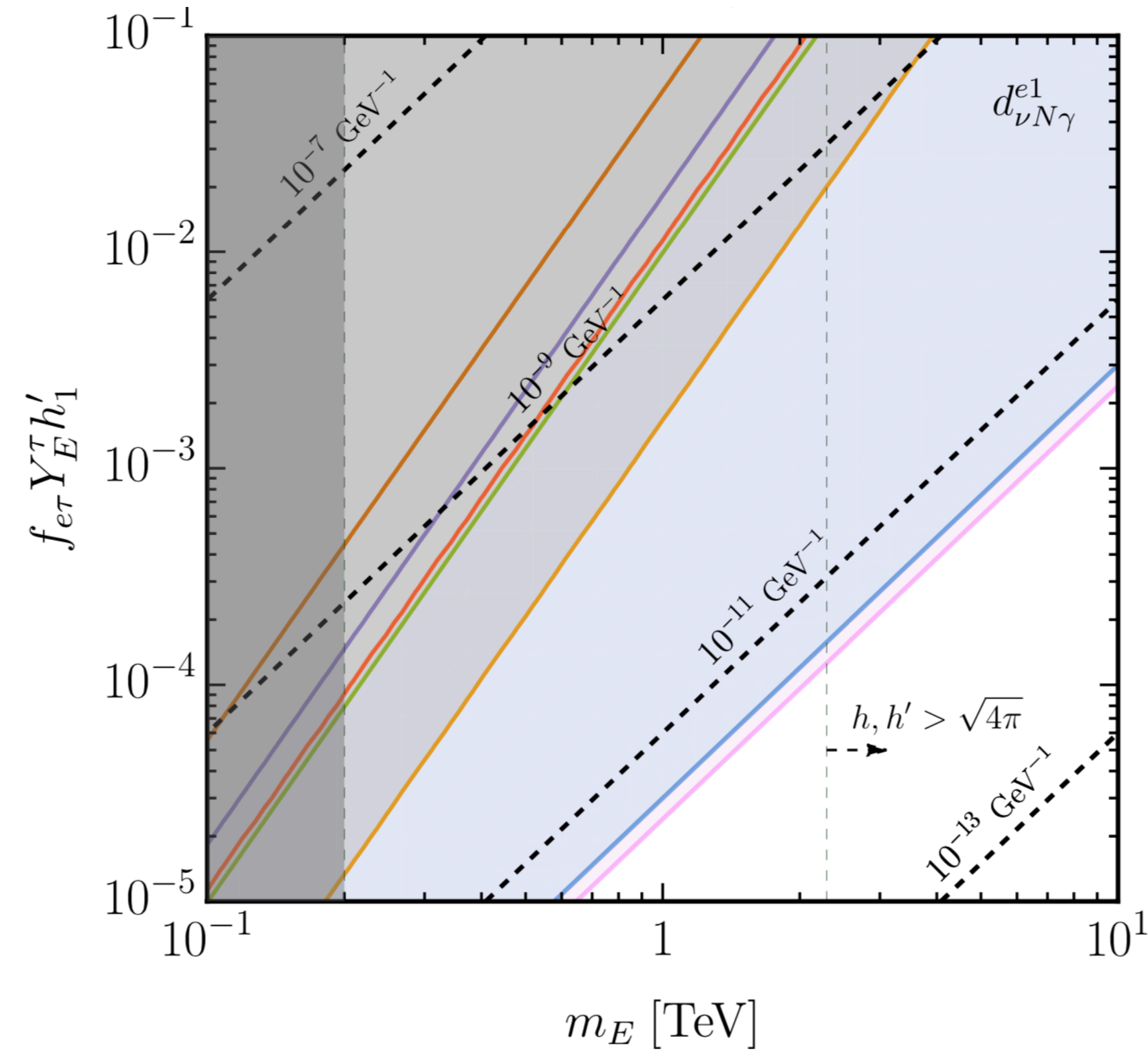
Without  $Z_2$ , at one-loop in the UV model:



Matching: 
$$C_{NB}^{(6)\alpha i} = \frac{1}{16\pi^2} \frac{3g'_{\alpha\beta} Y_E^{\beta*} h'_i}{4m_E^2} f(r) \quad C_{NW}^{(6)\alpha i} = \frac{1}{16\pi^2} \frac{g f_{\alpha\beta} Y_E^{\beta*} h'_i}{2m_E^2} f(r).$$

The UV model therefore predicts  $a = \frac{g'}{g} \frac{C_{NW}^{(6)\alpha i}}{C_{NB}^{(6)\alpha i}} = \frac{2}{3}$  which narrows down the phenomenology

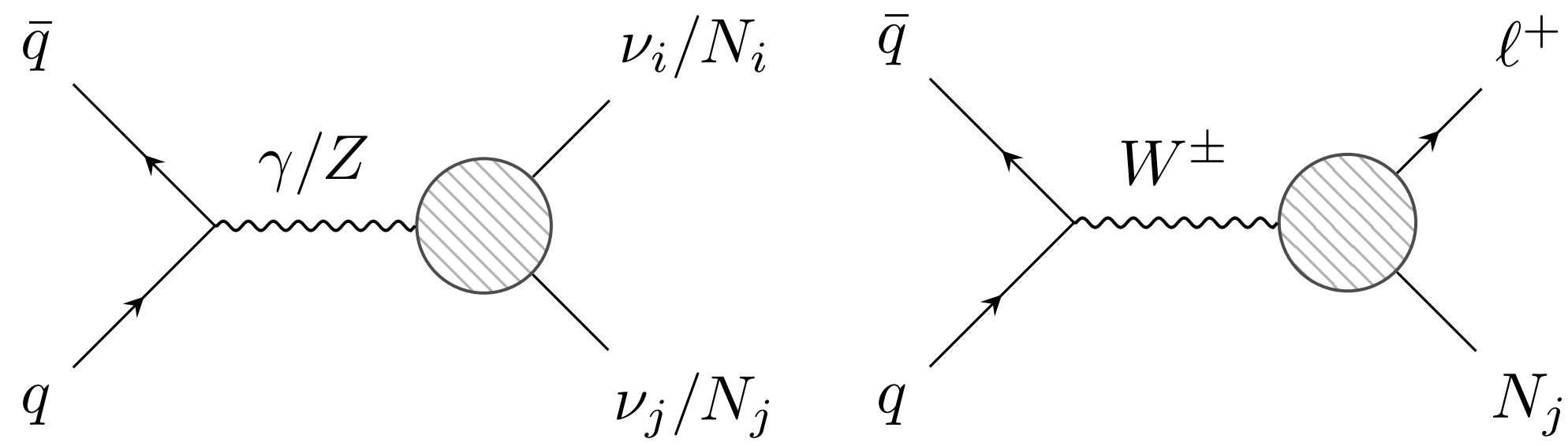
# Active-to-Sterile Neutrino Magnetic Moments



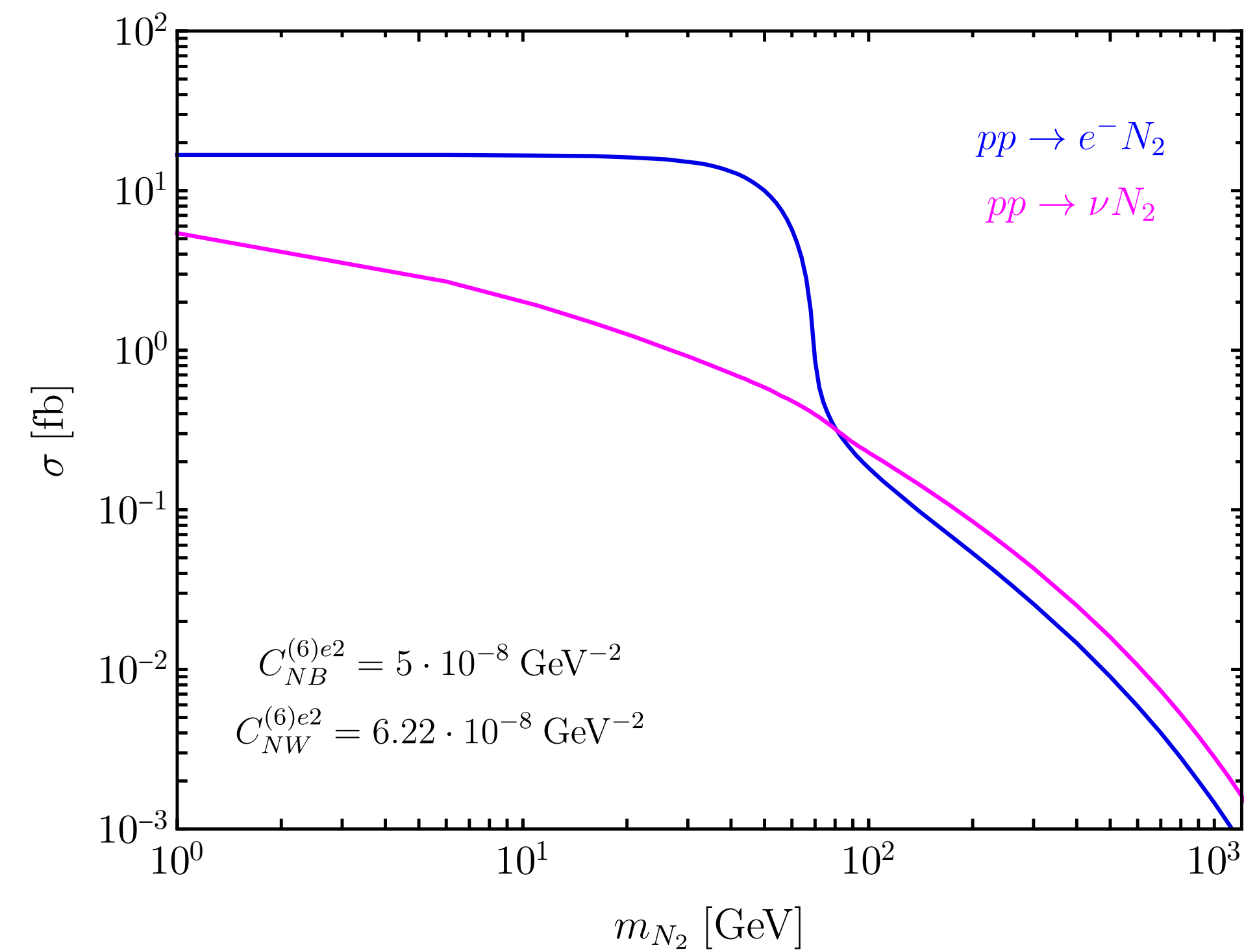
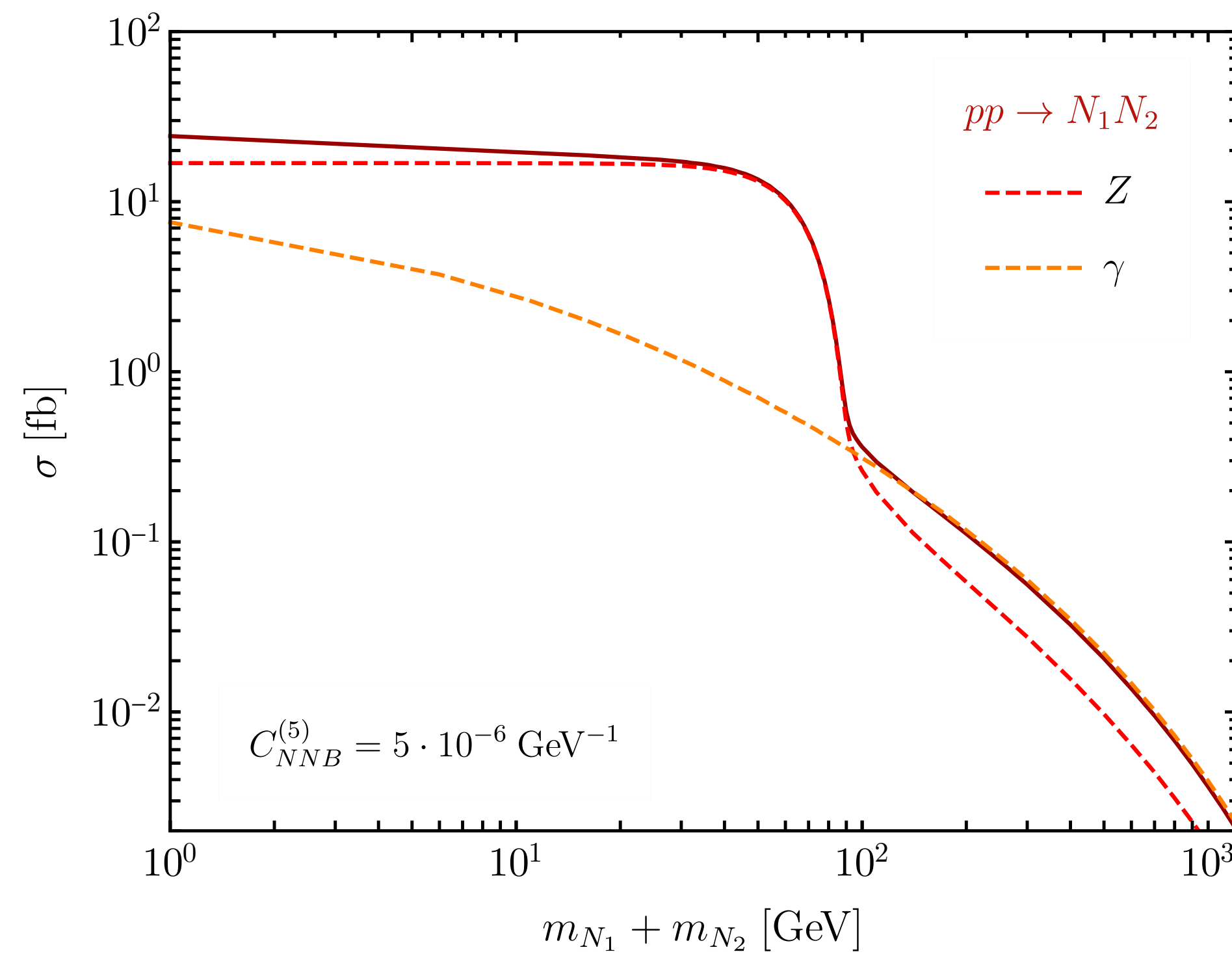
$$d_{\nu N \gamma}^{\alpha i} = \frac{4vc_w}{3\sqrt{2}} C_{NB}^{(6)\alpha i} \approx 1.7 \times 10^{-9} \text{ GeV}^{-1} \left( \frac{f_{\alpha\beta} Y_E^{\beta*} h'_i}{10^{-2}} \right) \left( \frac{1 \text{ TeV}}{m_E} \right)^2$$

# Bounds from Displaced Vertex Searches with Non-Pointing Photons at LHC

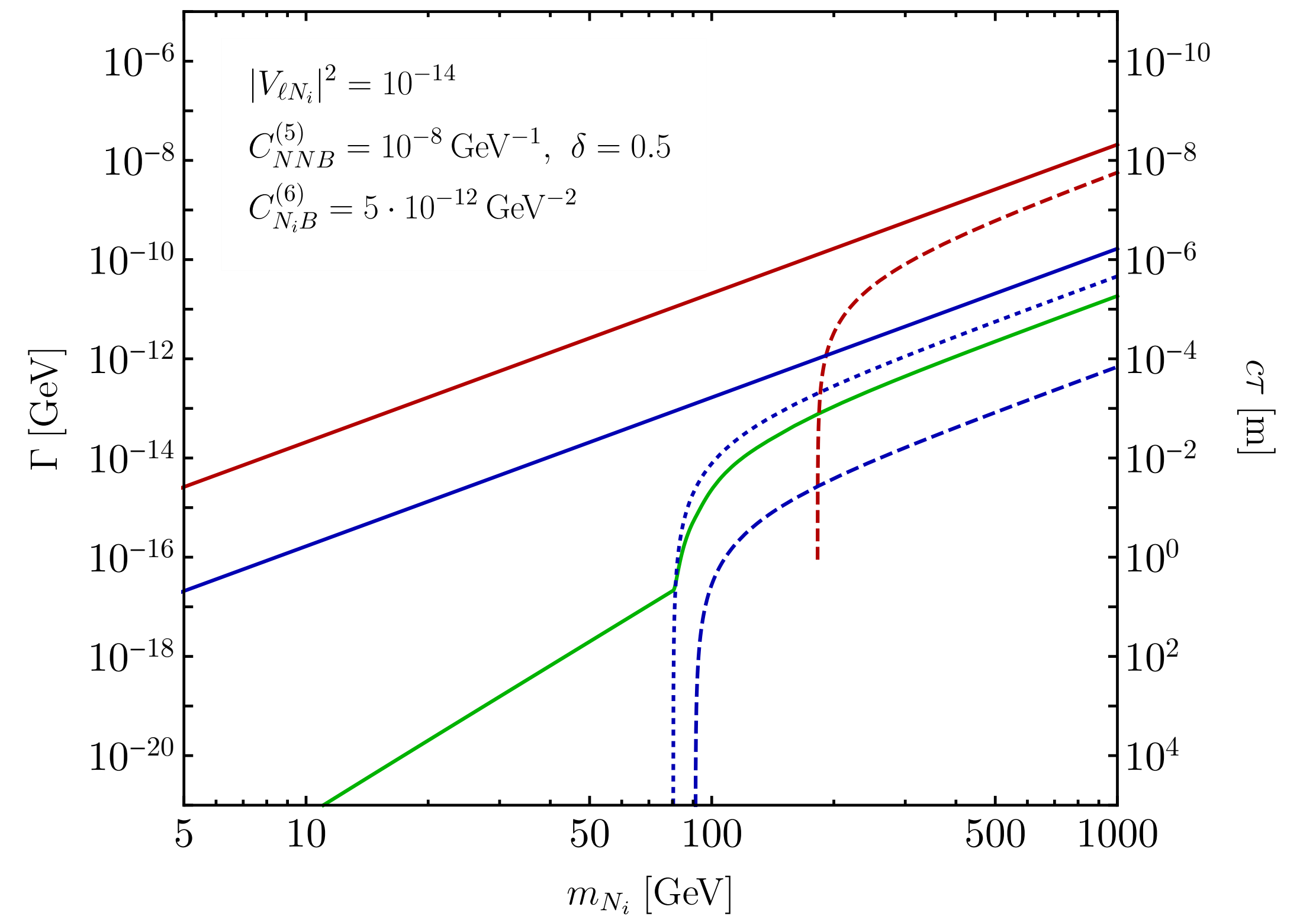
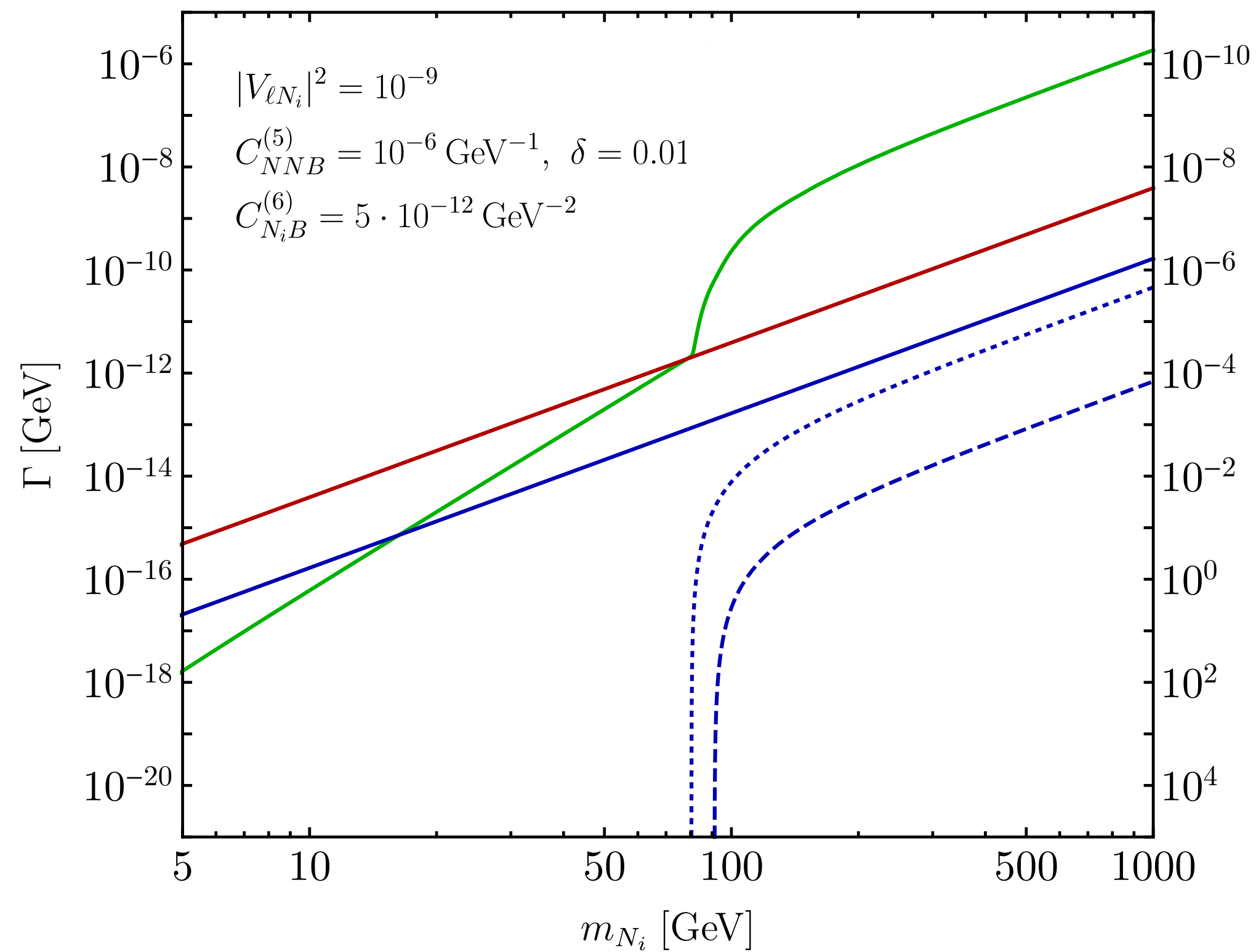
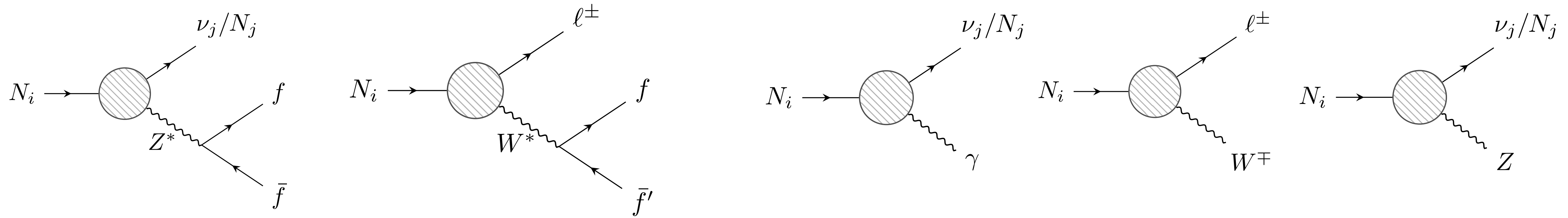
# HNL Production



$$d\sigma(pp \rightarrow N_i N_j X) = \sum_q \int_0^1 dx_1 \int_0^1 dx_2 (f_q(x_1, \hat{s}) f_{\bar{q}}(x_2, \hat{s}) + q \leftrightarrow \bar{q}) d\hat{\sigma}(q\bar{q} \rightarrow N_1 N_2)$$



# HNL Decays



# Possible Scenarios

With active-sterile mixing ( $V_{\alpha N}$ ), active-to-sterile dipole moments ( $C_{NB}^{(6)}$ ) and sterile-to-sterile moments ( $C_{NNB}^{(5)}$ )

↳ Each coupling can dominate production and decay (limiting cases are taken as 9 benchmarks)

Prod. \ Dec.	$C_{NNB}^{(5)}$	$C_{NB}^{(6)}, C_{NW}^{(6)}$	$V_{eN}$
$C_{NNB}^{(5)}$	(B1)	(B2)	(B3)
$C_{NB}^{(6)}, C_{NW}^{(6)}$	(B4)	(B5)	(B6)
$V_{eN}$	(B7)	(B8)	Minimal scenario

Production and decay via mixing  $V_{\alpha N}$



# Displaced Vertex Signatures: Non-Pointing Photons

Non-pointing photons can be emitted in the decay of LLP  $N$

- └─> Occur at secondary vertex, displaced from **primary vertex** (PV)
- └─> Motivation: Significantly reduce SM backgrounds

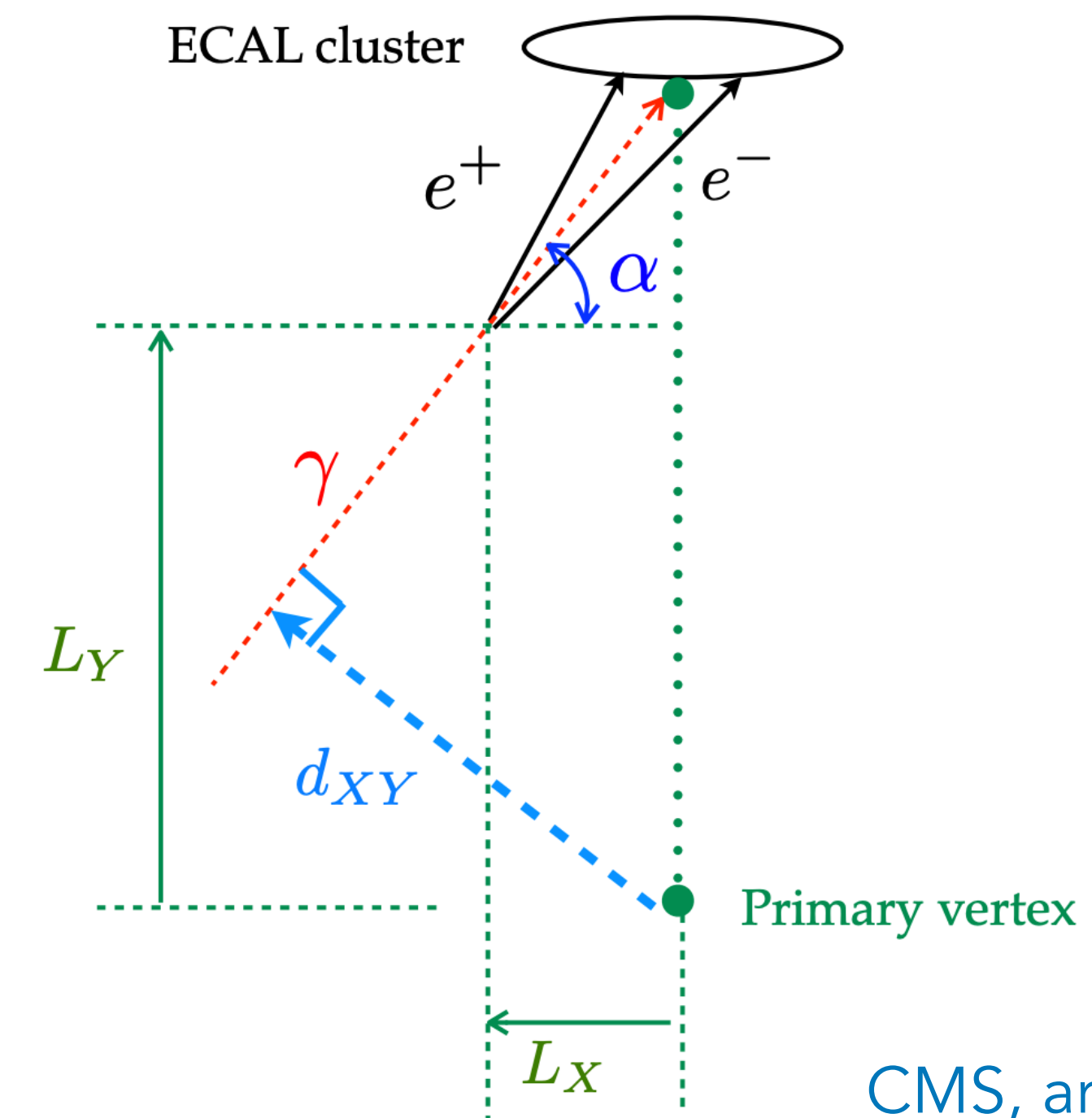
ATLAS and CMS ECals reconstruct trajectory of photons  $\longrightarrow$  Displacement via **impact parameter** (IP)

$$d_{XY} = x_{LLP} \frac{p_Y}{p_T} - y_{LLP} \frac{p_X}{p_T} \quad d_Z = \frac{z_{LLP} - (\vec{r} \cdot \vec{p}) p_Z / |\vec{p}|^2}{1 - p_Z^2 / |\vec{p}|^2}$$

$$\vec{r} = \{x_{LLP}, y_{LLP}, z_{LLP}\}$$

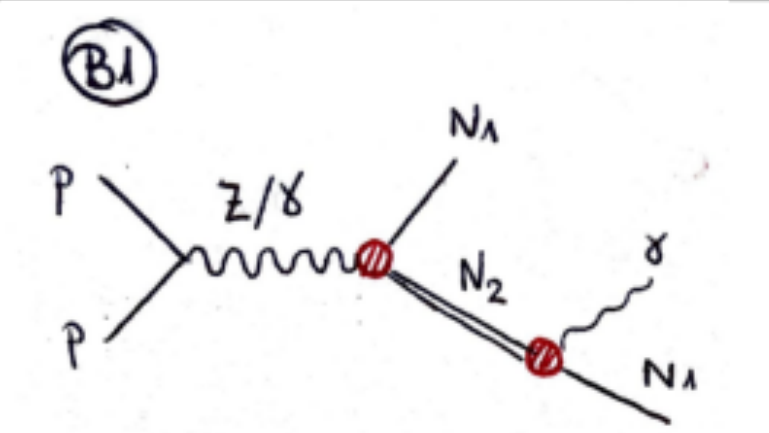
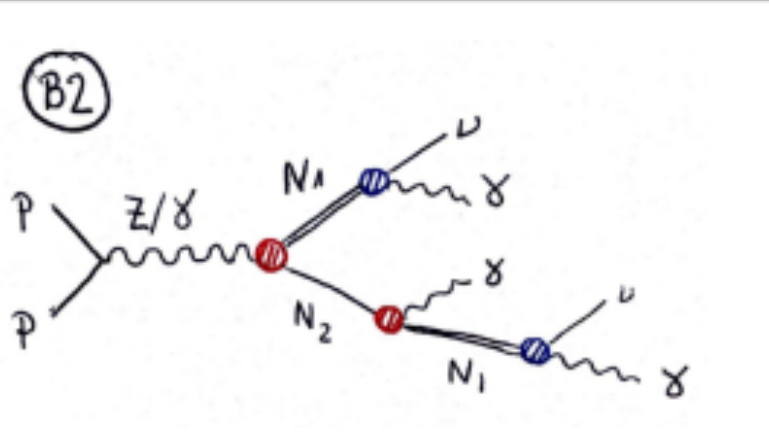
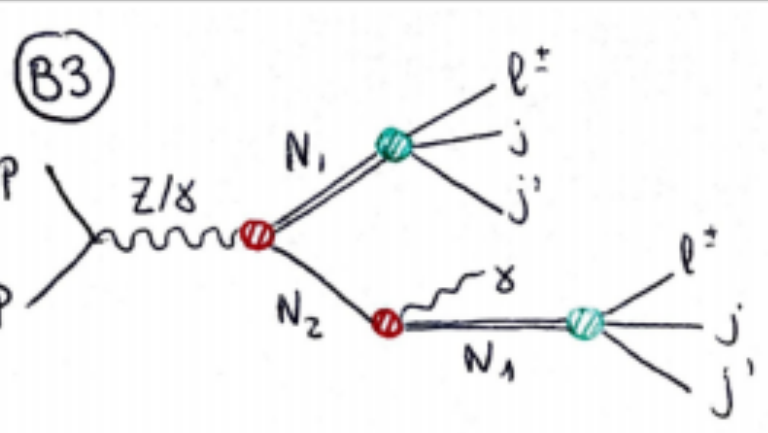
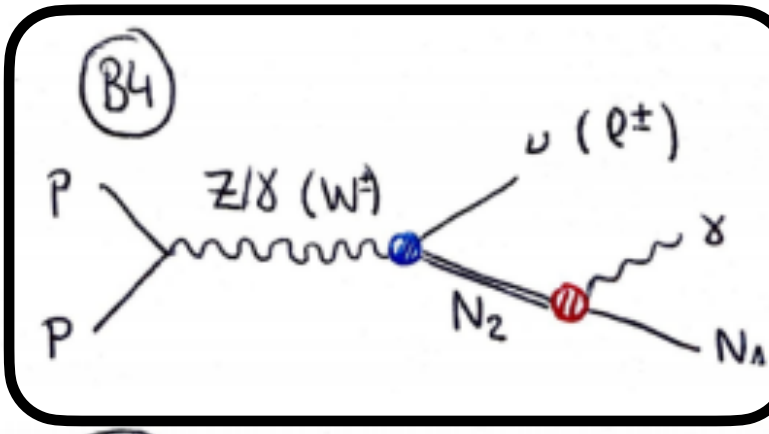
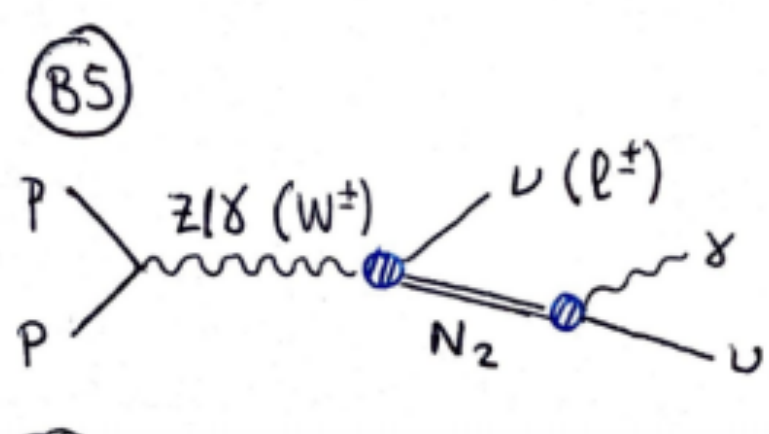
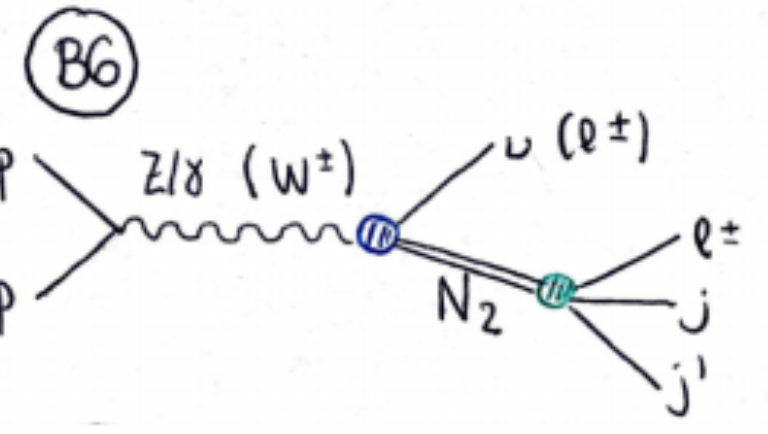
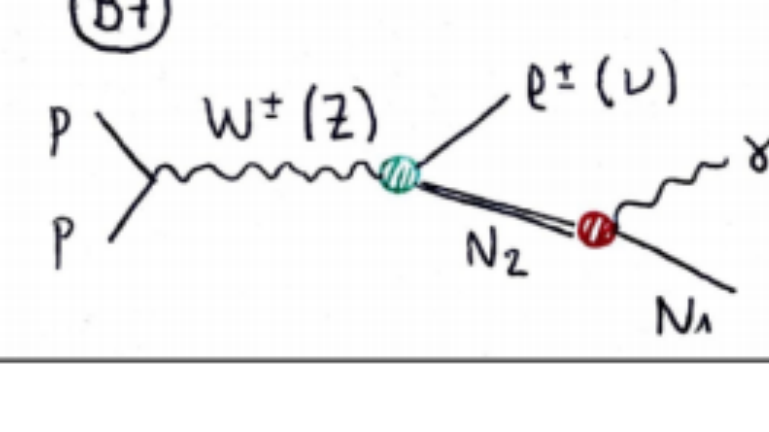
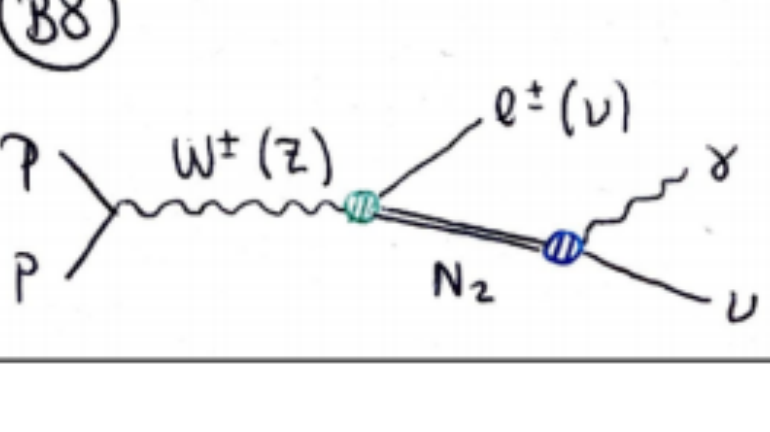
Impact parameter: Minimal distance from from  $\gamma$  to PV

In practice: Measuring  $d_Z$  difficult (several PVs, no  $\ell^\pm$ ). Use only  $d_{XY}$



# Possible Scenarios

9 Scenarios: Where is the non-pointing photon signature viable?

Prod. \ Dec.	$C_{NNB}^{(5)}$	$C_{NB}^{(6)}, C_{NW}^{(6)}$	$V_{eN}$
$C_{NNB}^{(5)}$	(B1) 	(B2) 	(B3) 
$C_{NB}^{(6)}, C_{NW}^{(6)}$	(B4) 	(B5) 	(B6) 
$V_{eN}$	(B7) 	(B8) 	Minimal scenario

B4:  $C_{NNB}^{(5)}$  large enough to dominate the decay of  $N_2$  would also dominate  $\sigma(pp \rightarrow X)$



# Possible Scenarios

9 Scenarios: Where is the non-pointing photon signature viable?

Prod. \ Dec.	$C_{NNB}^{(5)}$	$C_{NB}^{(6)}, C_{NW}^{(6)}$	$V_{eN}$
$C_{NNB}^{(5)}$	(B1)	(B2)	(B3)
$C_{NB}^{(6)}, C_{NW}^{(6)}$	(B4)	(B5)	(B6)
$V_{eN}$	(B7)	(B8)	Minimal scenario

B5 and B6: Difficult to realise displaced vertex signature (decay prompt if  $C_{NB}^{(6)}$  dominates  $\sigma$ )



# Possible Scenarios

9 Scenarios: Where is the non-pointing photon signature viable?

Prod. \ Dec.	$C_{NNB}^{(5)}$	$C_{NB}^{(6)}, C_{NW}^{(6)}$	$V_{eN}$
$C_{NNB}^{(5)}$	(B1)	(B2)	(B3)
$C_{NB}^{(6)}, C_{NW}^{(6)}$	(B4)	(B5)	(B6)
$V_{eN}$	(B7)	(B8)	Minimal scenario

B7: Can only be realised in a narrow region of parameter space



# Possible Scenarios

9 Scenarios: Where is the non-pointing photon signature viable?

Dec. / Prod.	$C_{NNB}^{(5)}$	$C_{NB}^{(6)}, C_{NW}^{(6)}$	$V_{eN}$
$C_{NNB}^{(5)}$	(B1)	(B2)	(B3)
$C_{NB}^{(6)}, C_{NW}^{(6)}$	(B4)	(B5)	(B6)
$V_{eN}$	(B7)	(B8)	Minimal scenario

B8: Prompt  $\ell^\pm$  plus photon (prompt or displaced depending on  $C_{NB}^{(6)}$ )



# Possible Scenarios

9 Scenarios: Where is the non-pointing photon signature viable?

Dec. / Prod.	$C_{NNB}^{(5)}$	$C_{NB}^{(6)}, C_{NW}^{(6)}$	$V_{eN}$
$C_{NNB}^{(5)}$			
$C_{NB}^{(6)}, C_{NW}^{(6)}$			
$V_{eN}$			Minimal scenario

B1-B3: (> 1) non-pointing photons from  $N_1$  and  $N_2$  decays



# Simulation

To determine the sensitivity reach of ATLAS, performed numerical study:

- Dipole operators up to  $d = 6$  implements in FeynRules, UFO output
- For each benchmark,  $10^5$  events in MadGraph5 at  $\sqrt{s} = 14$  TeV covering the parameter space  $(m_{LLP}, c_{\text{decay}})$
- Remaining parameter(s) fixed
- Decays handled by MadSpin, Pythia8 showering  $\Rightarrow$  estimate efficiencies

Scenario	Model parameters		Simulated decay
	Scan	Fixed	
B1	$m_{N_2}, C_{NNB}^{(5)}$	$\delta$	$N_2 \rightarrow N_1 \gamma$
B2	$m_{N_1}, C_{N_1 X}^{(6)}$	$m_{N_2}, C_{NNB}^{(5)}$	$N_2 \rightarrow N_1 \gamma$ $N_1 \rightarrow \nu \gamma$
B3	$m_{N_1},  V_{eN_1} ^2$	$m_{N_2}, C_{NNB}^{(5)}$	$N_2 \rightarrow N_1 \gamma$ $N_1 \rightarrow e j j$

# Selection Cuts and Events

Trigger:  $|p_T^\gamma|$  and  $|\eta^\gamma|$  (B1 and B2)  
 $|p_T^e|$  and  $|\eta^e|$  (B3)

B1 and B2: LLP in ECal (cut on  $d_{XY}^\gamma$ )

B3: LLP in inner detector (4 DV, cut on  $d_0, m_{DV}$ )

Scenario	Signature	Selection cuts
B1	Non-pointing $\gamma$	$ p_T^\gamma  > 10 \text{ GeV}$ , $ \eta^\gamma  < 2.47$
B2	Non-pointing $\gamma$ ( $\times 2$ ) (+ prompt $\gamma$ )	$r_{DV} < 1450 \text{ mm}$ , $ z_{DV}  < 3450 \text{ mm}$ $ d_{XY}^\gamma  > 6 \text{ mm}$
B3	Displaced Vertex ( $\times 2$ ) (+ prompt $\gamma$ )	$ p_T^e  > 120 \text{ GeV}$ , $ \eta^e  < 2.47$ $4 \text{ mm} < r_{DV} < 300 \text{ mm}$ , $ z_{DV}  < 300 \text{ mm}$ 4 tracks with $ d_0  > 2 \text{ mm}$ $m_{DV} > 5 \text{ GeV}$

CMS, 1207.0627

ATLAS, 2209.01029

Number of non-pointing photon events:

$$N_{\text{sig.}}^{\text{B1}} = \sigma \cdot \mathcal{L} \cdot \mathcal{B}(N_2 \rightarrow N_1 \gamma) \cdot \epsilon_{\text{sel}}^{\text{B1}}$$

$$N_{\text{sig.}}^{\text{B2}} = \sigma \cdot \mathcal{L} \cdot \mathcal{B}(N_2 \rightarrow N_1 \gamma) \cdot 2 \cdot \mathcal{B}(N_1 \rightarrow \nu \gamma) \cdot \epsilon_{\text{sel}}^{\text{B2}}$$

$$N_{\text{sig.}}^{\text{B3}} = \sigma \cdot \mathcal{L} \cdot \mathcal{B}(N_2 \rightarrow N_1 \gamma) \cdot 2 \cdot \mathcal{B}(N_1 \rightarrow e j j) \cdot \epsilon_{\text{sel}}^{\text{B3}}$$



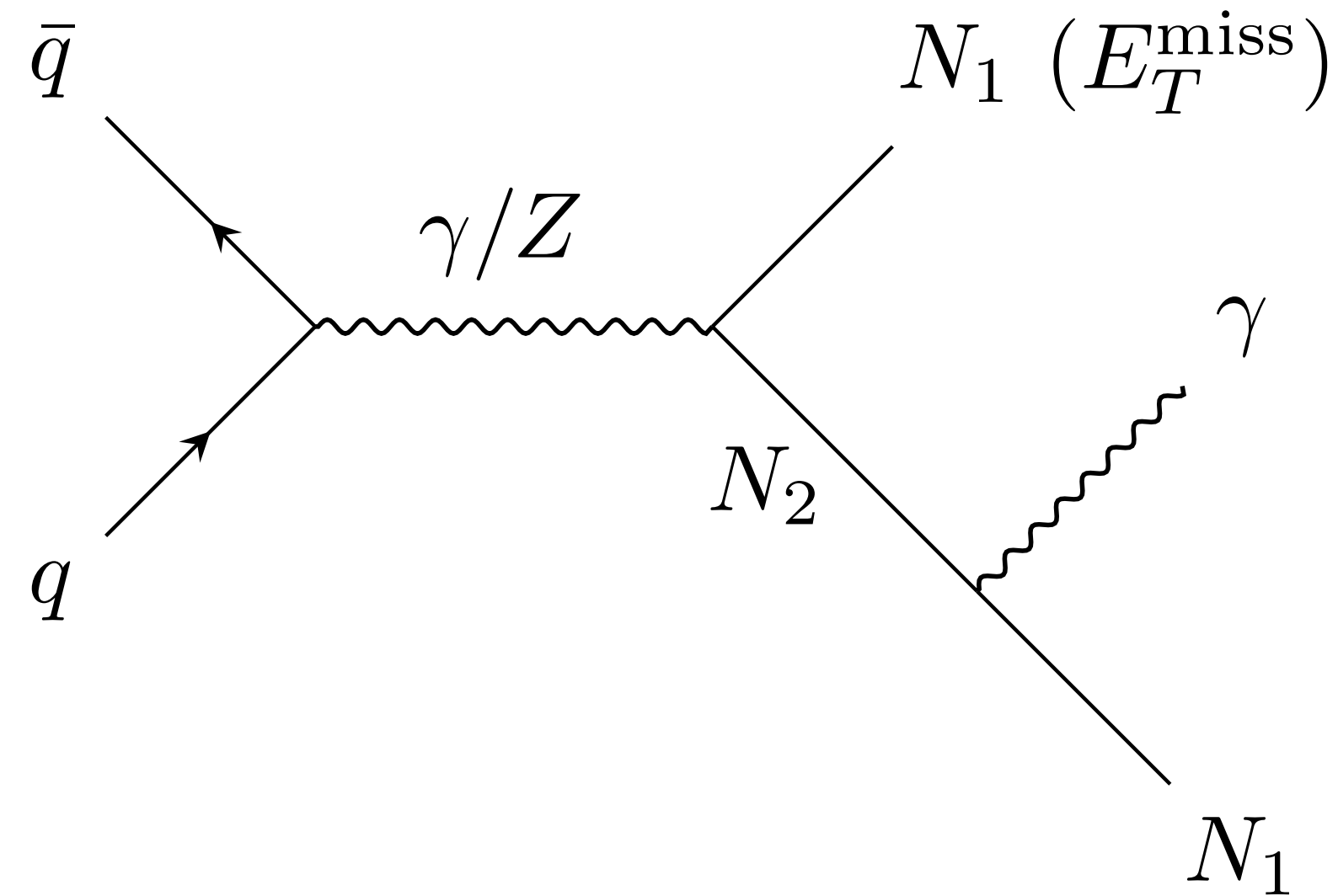
# Bounds from Displaced Vertex Searches at LHC

# Scenario B1

$$pp \rightarrow N_1 N_2 \quad (d_{NN\gamma})$$

$$N_1 \quad (E_T^{\text{miss}})$$

$$N_2 \rightarrow (N_1 \gamma)^{\text{LLP}} \quad (d_{NN\gamma})$$



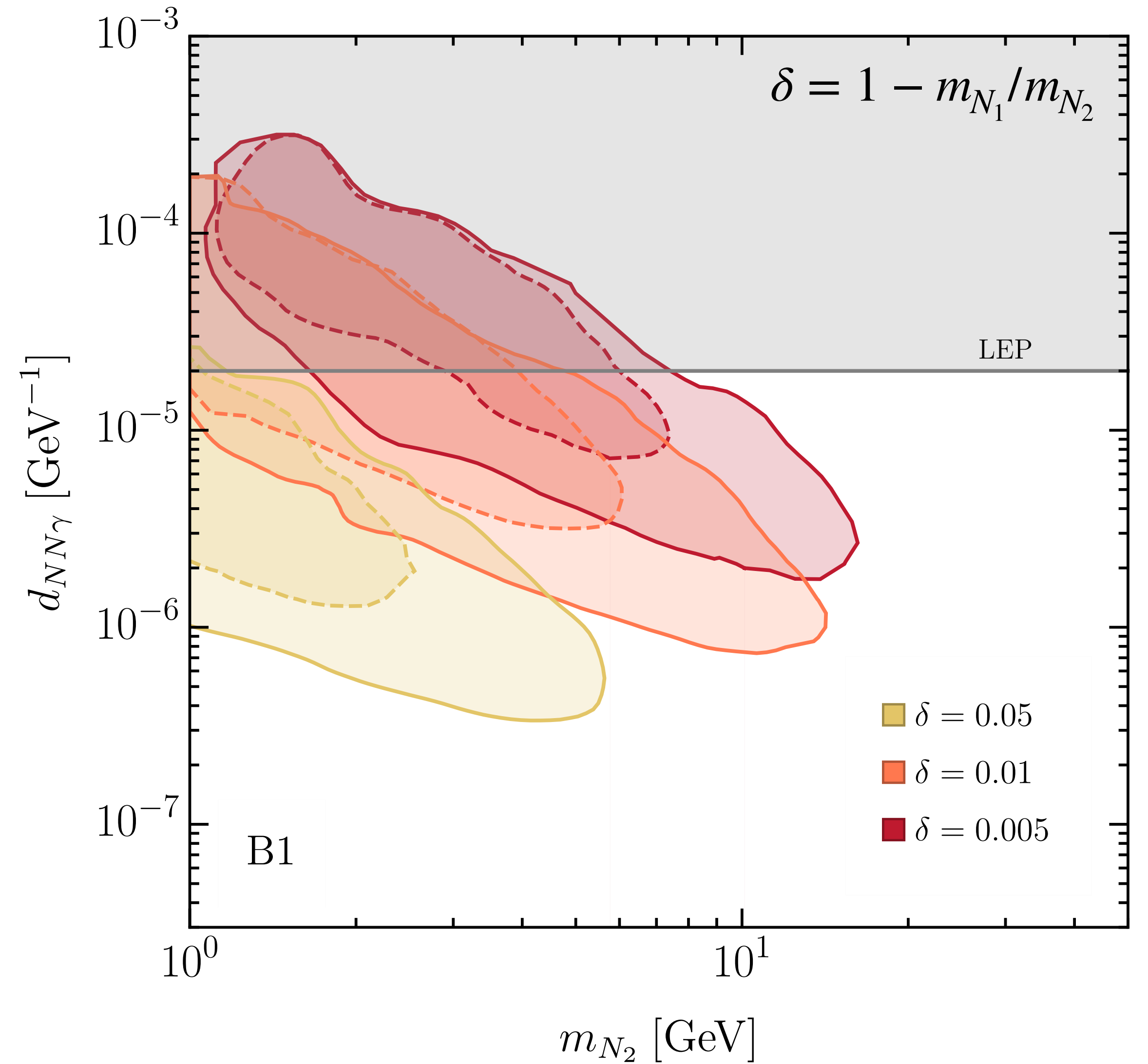
$$N_{\text{sig.}}^{\text{B1}} = \sigma \cdot \mathcal{L} \cdot \mathcal{B}(N_2 \rightarrow N_1 \gamma) \cdot \epsilon_{\text{sel}}^{\text{B1}}$$

Solid: 3 events (95% C.L.)

Dashed: 30 events

$\sqrt{s} = 14 \text{ TeV}$

$\mathcal{L} = 3 \text{ ab}^{-1}$

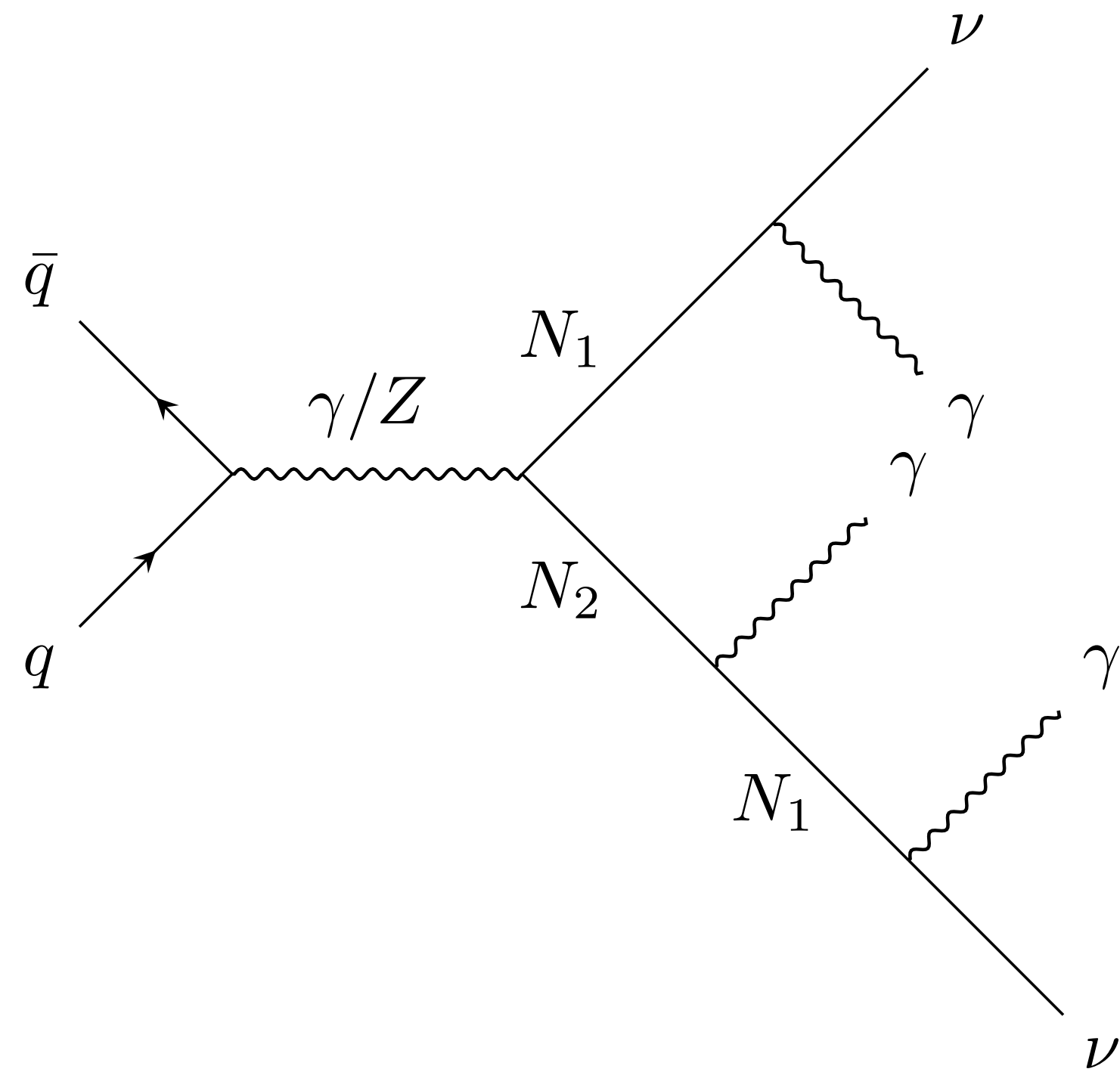


# Scenario B2

$$pp \rightarrow N_1 N_2 \quad (d_{NN\gamma})$$

$$N_1 \rightarrow (\nu\gamma)^{\text{LLP}} \quad (d_{\nu N\gamma})$$

$$N_2 \rightarrow N_1 \gamma \rightarrow (\nu\gamma)^{\text{LLP}} \gamma \quad (d_{\nu N\gamma}, d_{NN\gamma})$$

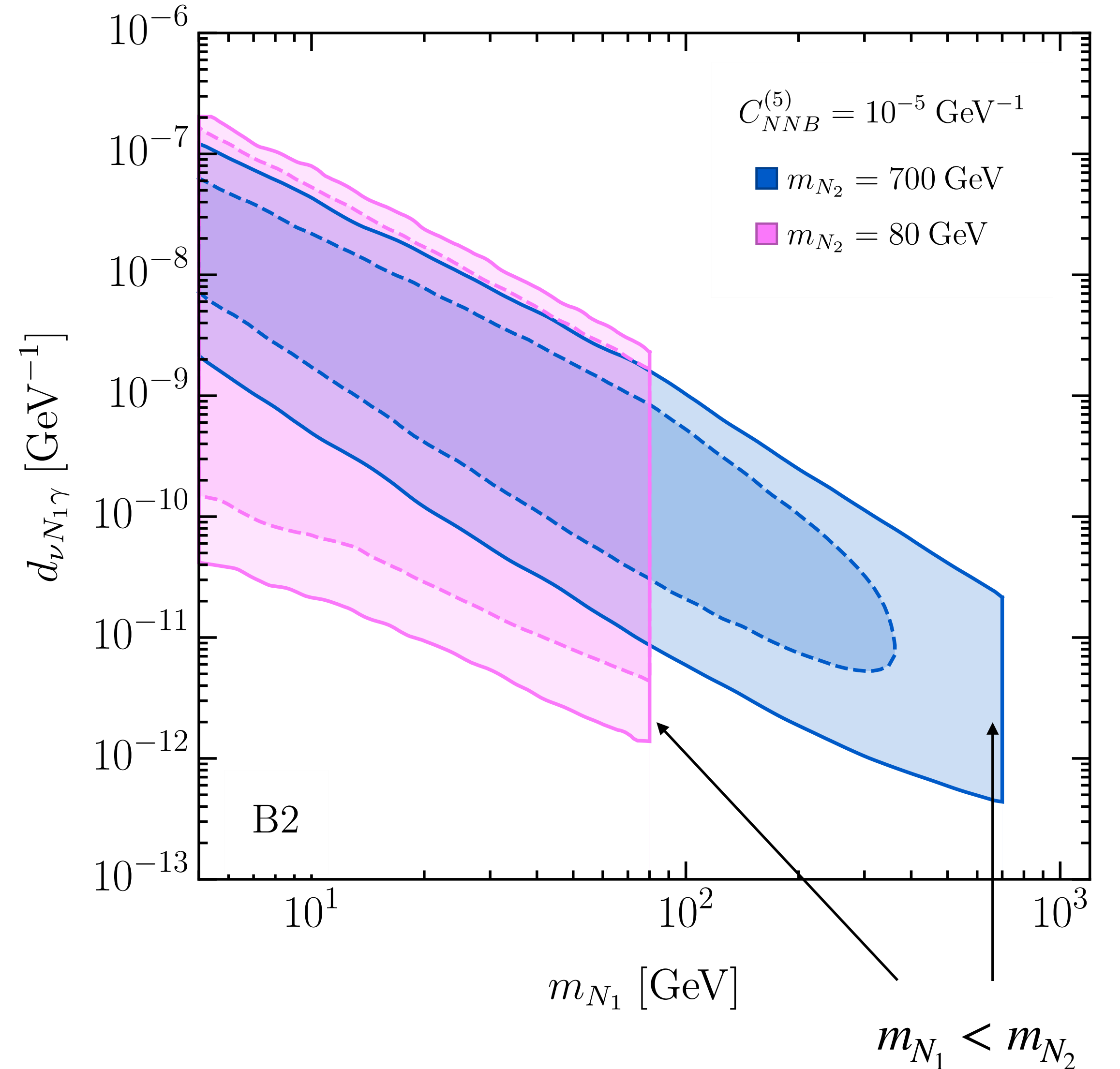


Solid: 3 events (95% C.L.)

Dashed: 30 events

$\sqrt{s} = 14 \text{ TeV}$

$\mathcal{L} = 3 \text{ ab}^{-1}$



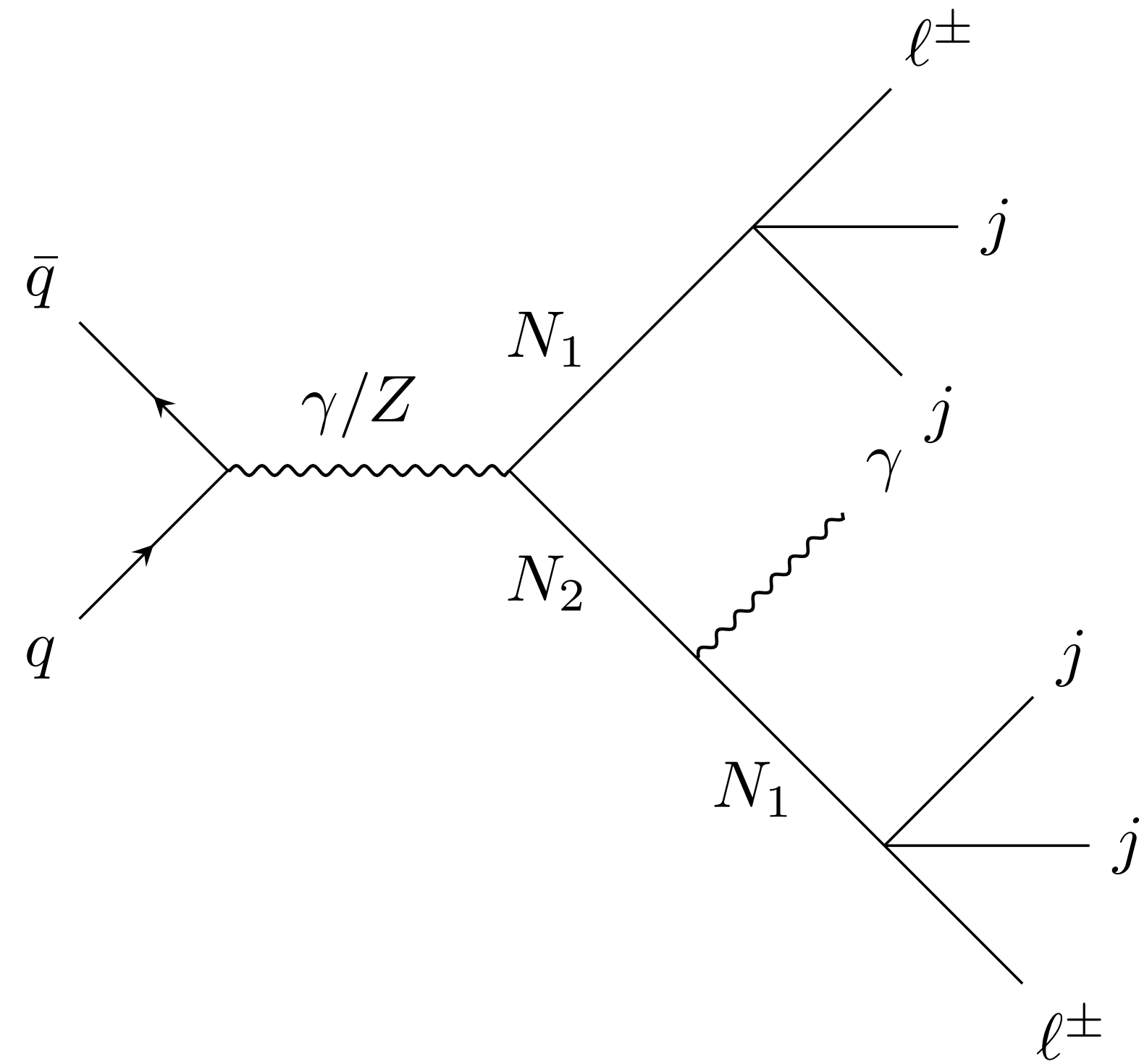
$$N_{\text{sig.}}^{\text{B2}} = \sigma \cdot \mathcal{L} \cdot \mathcal{B}(N_2 \rightarrow N_1 \gamma) \cdot 2 \cdot \mathcal{B}(N_1 \rightarrow \nu \gamma) \cdot \epsilon_{\text{sel}}^{\text{B2}}$$

# Scenario B3

$$pp \rightarrow N_1 N_2 (d_{NN\gamma}),$$

$$N_1 \rightarrow (ejj)^{\text{LLP}} (V_{eN})$$

$$N_2 \rightarrow N_1 \gamma \rightarrow (ejj)^{\text{LLP}} \gamma (d_{NN\gamma}, V_{eN})$$



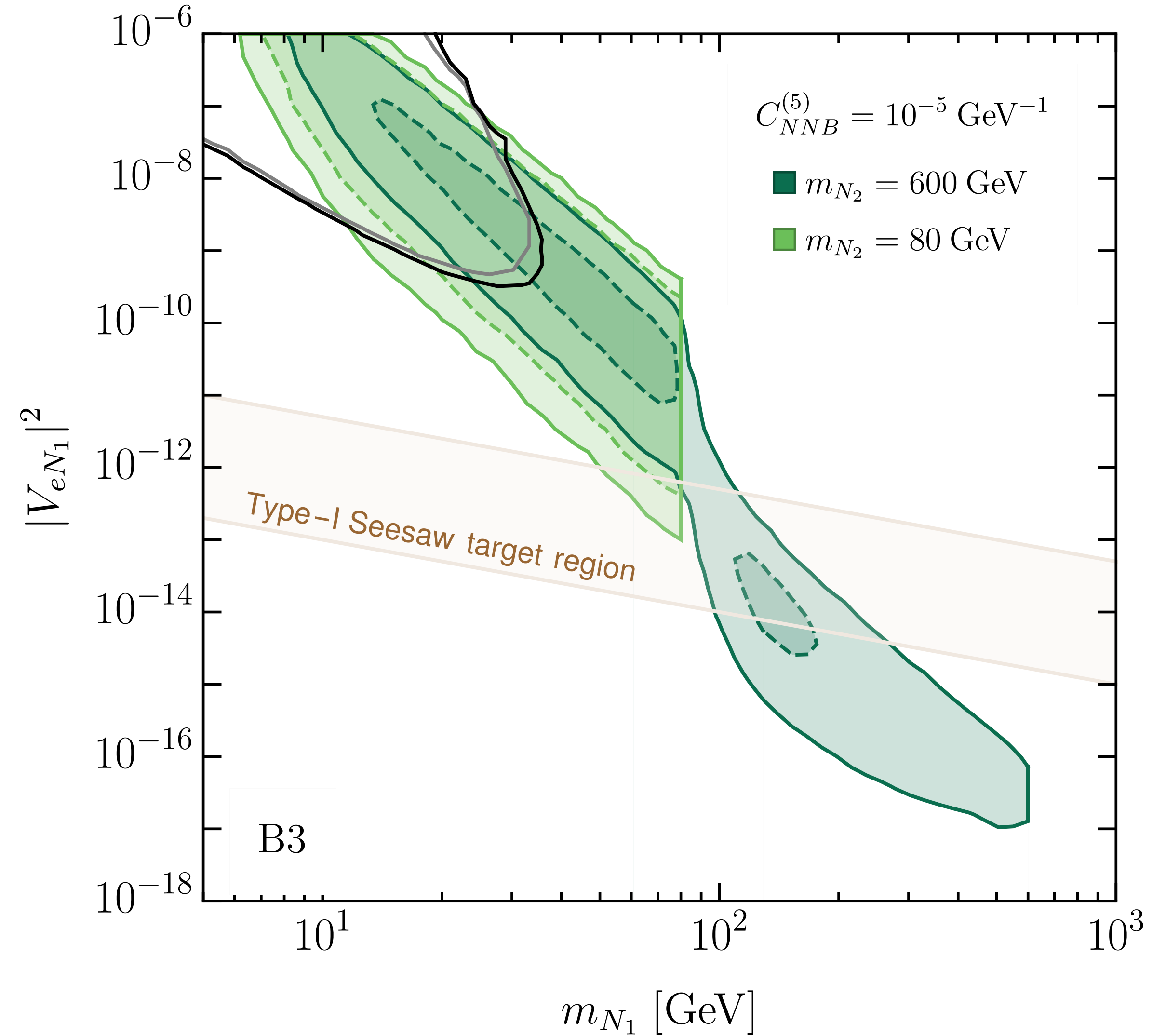
$$N_{\text{sig.}}^{\text{B3}} = \sigma \cdot \mathcal{L} \cdot \mathcal{B}(N_2 \rightarrow N_1 \gamma) \cdot 2 \cdot \mathcal{B}(N_1 \rightarrow ejj) \cdot \epsilon_{\text{sel}}^{\text{B3}}$$

Solid: 3 events (95% C.L.)

Dashed: 10 events

$\sqrt{s} = 14 \text{ TeV}$

$\mathcal{L} = 3 \text{ ab}^{-1}$



Solid black: DV + prompt  $\ell$

Cottin et al., 2105.13851

# Other Constraints on UV Scenario

# Direct Production Bounds

The vector-like lepton  $E$  and singly-charged scalar  $\phi$  can also be produced directly at the LHC

- Drell-Yan production:  $pp \rightarrow \gamma/Z \rightarrow E^+E^-$ ,  $pp \rightarrow \gamma/Z \rightarrow \phi^+\phi^-$
- Decays:  $\phi^\pm \rightarrow \ell^\pm\nu$ ,  $E^\pm(\rightarrow N\phi^\pm) \rightarrow \ell^\pm\nu N$

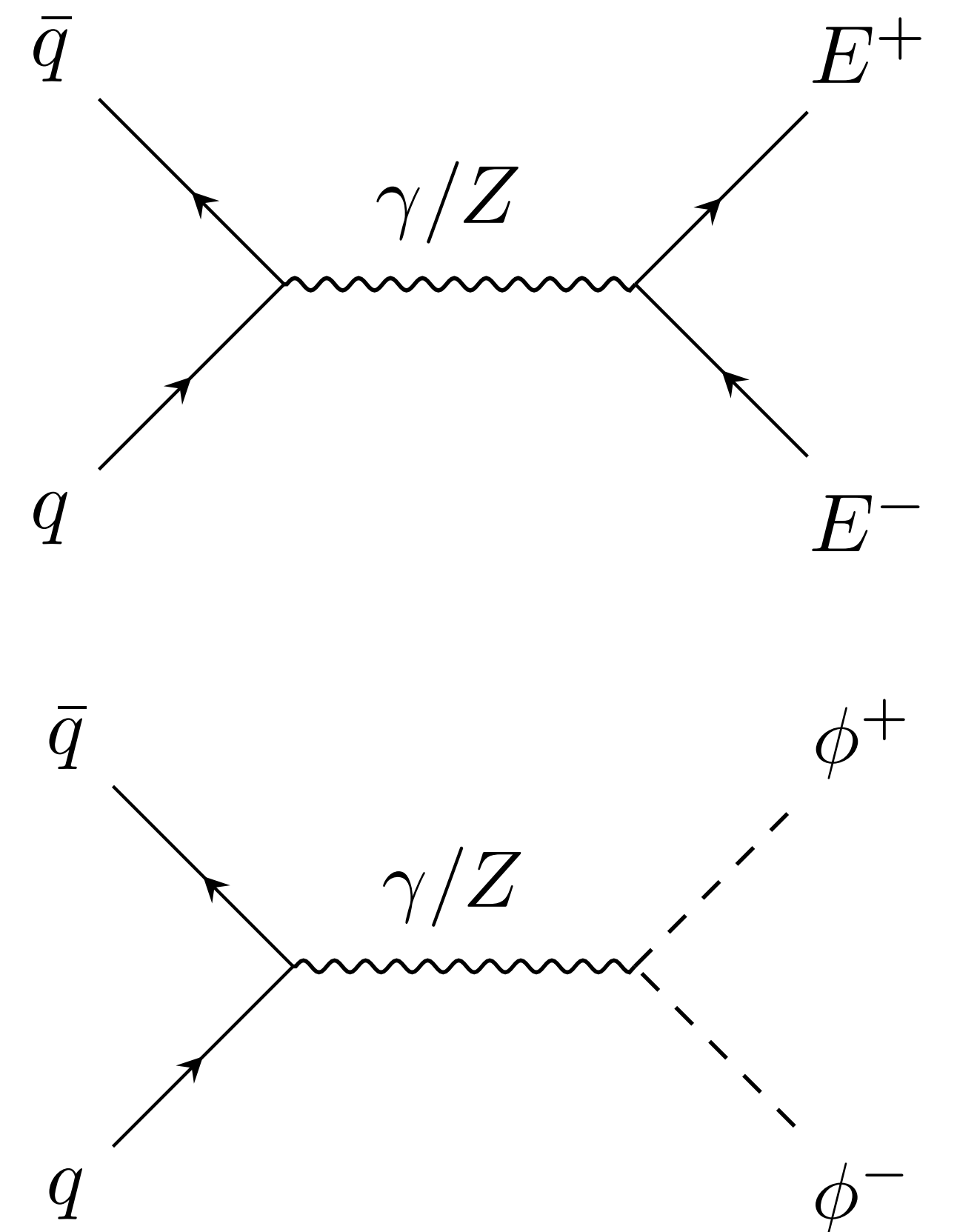
Recast:

- Slepton ATLAS search using oppositely-charged  $e$  and  $\mu$  pairs

$$m_E, m_\phi \gtrsim 200 \text{ GeV}$$

- Dark matter LEP monophoton bounds

$$m_\phi / |f_{e\mu}|^2 \gtrsim 350 \text{ GeV}$$



# Charged Lepton Flavour Violation Bounds

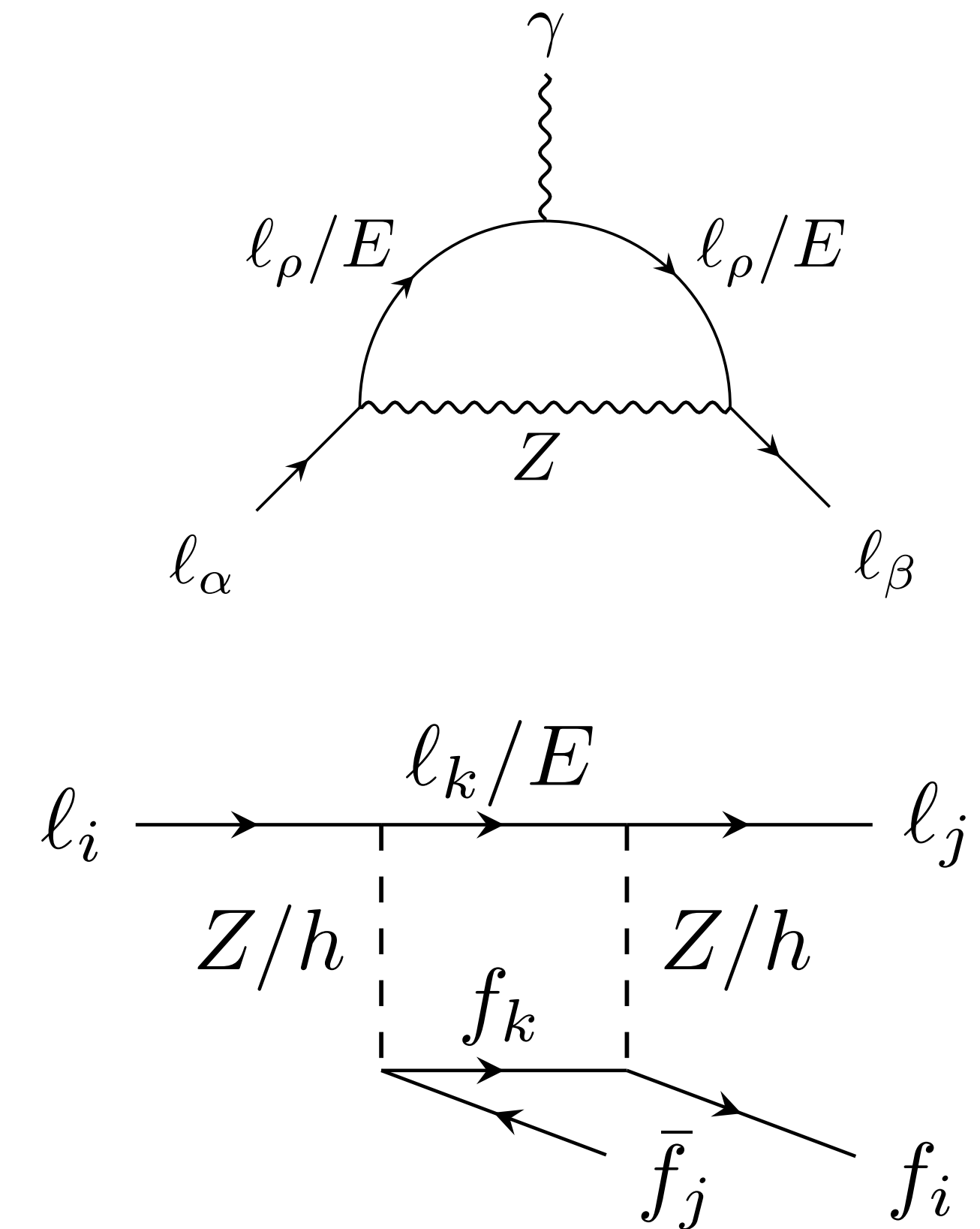
cLFV processes via the general couplings  $Y_E^\alpha$  and  $f_{\alpha\beta}$  can also be used to constrain the model:

Tree-level

- $\mu \rightarrow 3e, \tau \rightarrow 3e, \tau \rightarrow 3\mu$  (SINDRUM, Belle)
- $\mu \rightarrow e$  conversion in nuclei (SINDRUM)
- LFU violation in charged-currents
- Flavour-violating  $Z$  and Higgs decays (ATLAS, CMS)

One-loop

- $\mu \rightarrow e\gamma, \tau \rightarrow e\gamma, \tau \rightarrow \mu\gamma$  (MEG, BaBar)



# Benchmark Flavour Scenarios

1) **Flavour universal** couplings:  $Y_E^e = Y_E^\mu = Y_E^\tau = f_{e\mu} = f_{e\tau} = f_{\mu\tau}$

└ Strongest bounds from  $\mu \rightarrow 3e$  and  $\mu \rightarrow e$  conversion (tree-level)

2) **'Tau-only'** couplings:  $Y_E^e = Y_E^\mu = f_{e\mu} = 0$ ,  $Y_E^\tau = f_{e\tau} = f_{\mu\tau} \neq 0$

└ Strongest bounds from  $\mu \rightarrow e\gamma$  and  $\mu \rightarrow 3e$  (one-loop)

3) **'No electron' or  $\mu - \tau$**  couplings:  $Y_E^e = f_{e\mu} = f_{e\tau} = 0$ ,  $Y_E^\mu = Y_E^\tau = f_{\mu\tau} \neq 0$

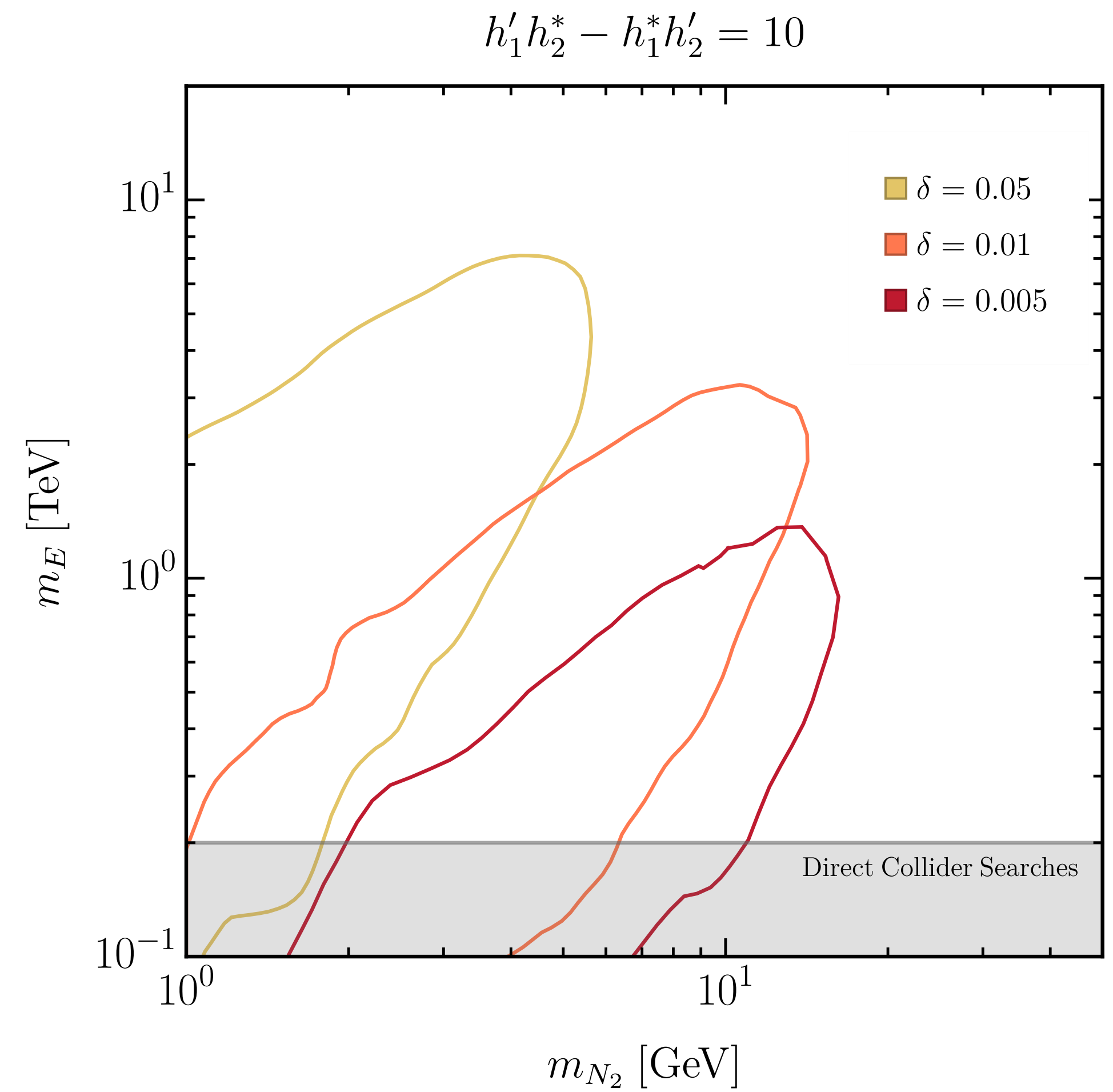
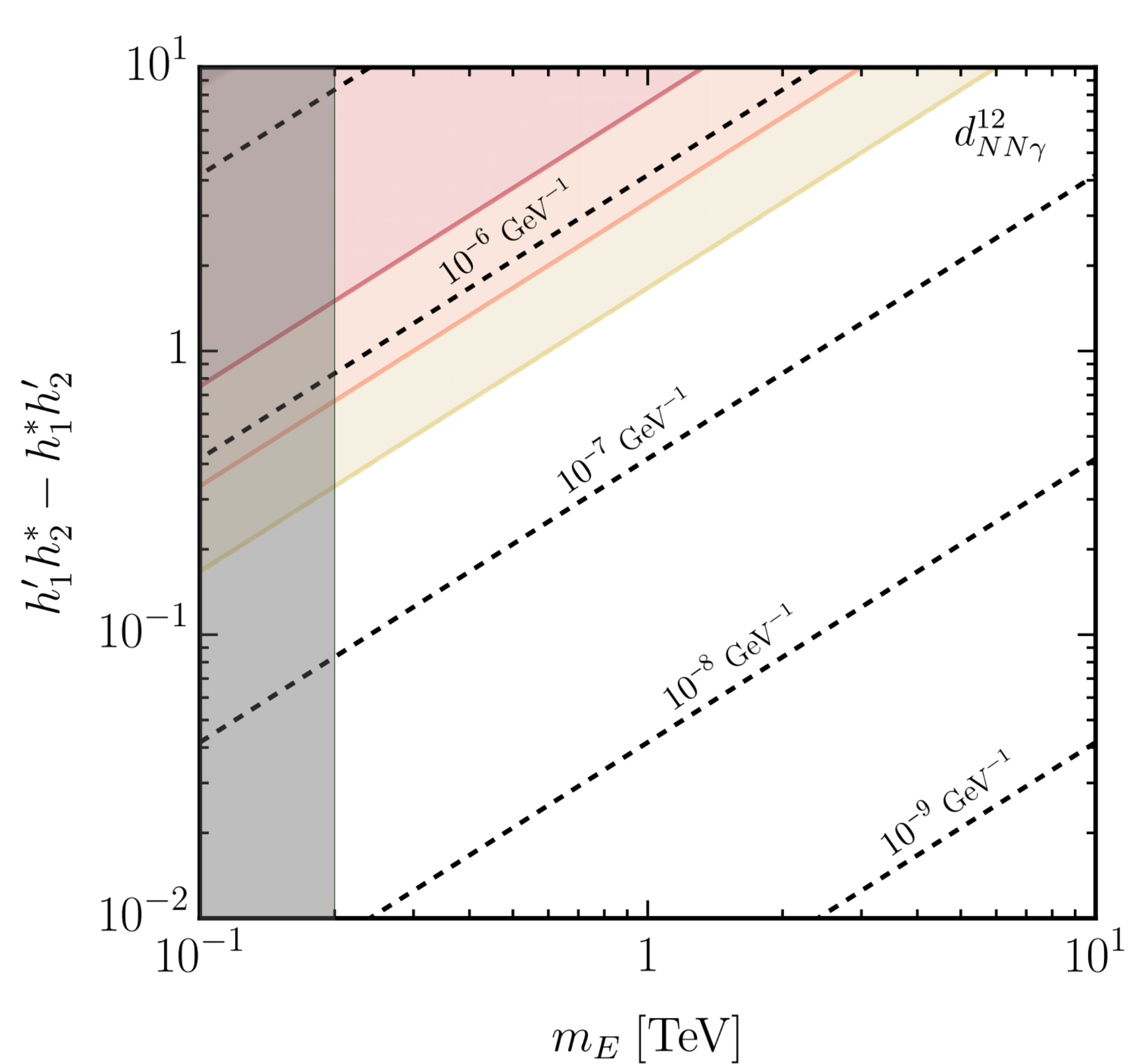
└ Strongest bounds from  $\tau \rightarrow 3\mu$  and  $\tau \rightarrow \mu ee$  (tree-level)



# Direct Searches vs. cLFV

# UV Model Bounds from Benchmark 1

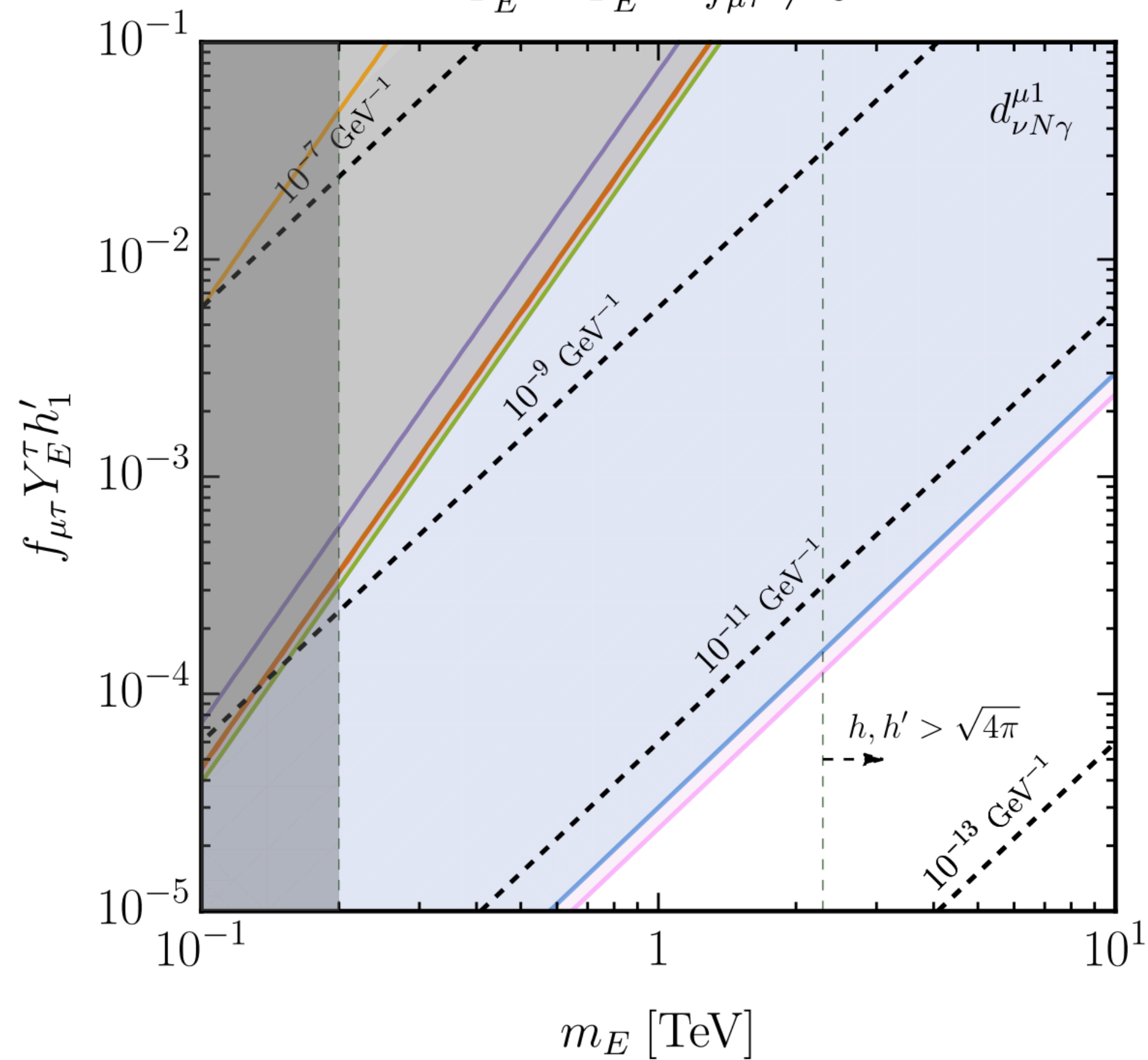
$$d_{NN\gamma}^{ij} = c_w C_{NNB}^{(5)ij} \quad C_{NNB}^{(5)ij} = \frac{1}{16\pi^2} \frac{g'(h'_i h_j^* - h_i^* h'_j)}{4m_E} f(r)$$



# Active-to-Sterile Bounds

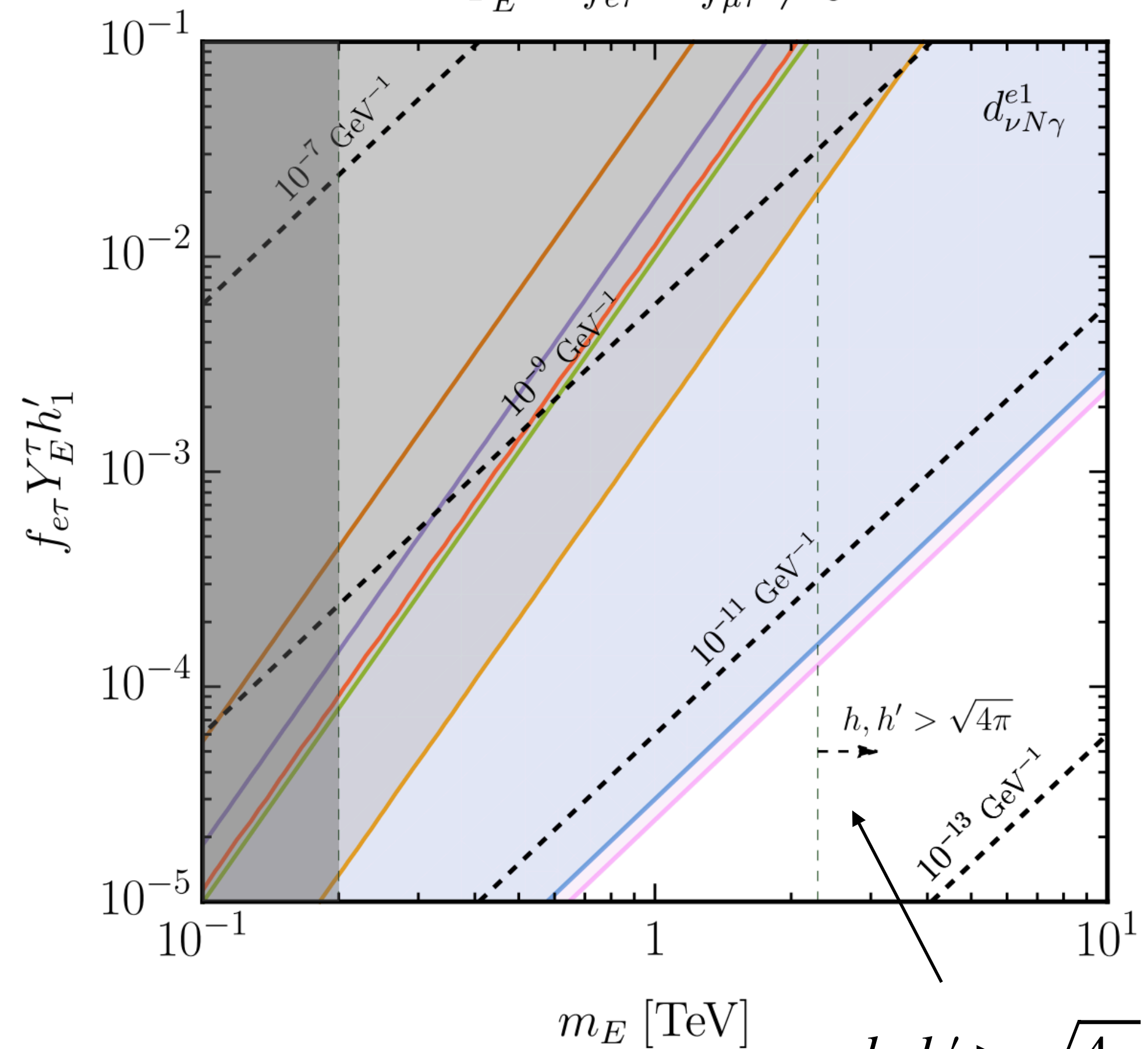
'No  $e$ ' couplings

$$Y_E^\mu = Y_E^\tau = f_{\mu\tau} \neq 0$$



' $\tau$  only' couplings

$$Y_E^\tau = f_{e\tau} = f_{\mu\tau} \neq 0$$



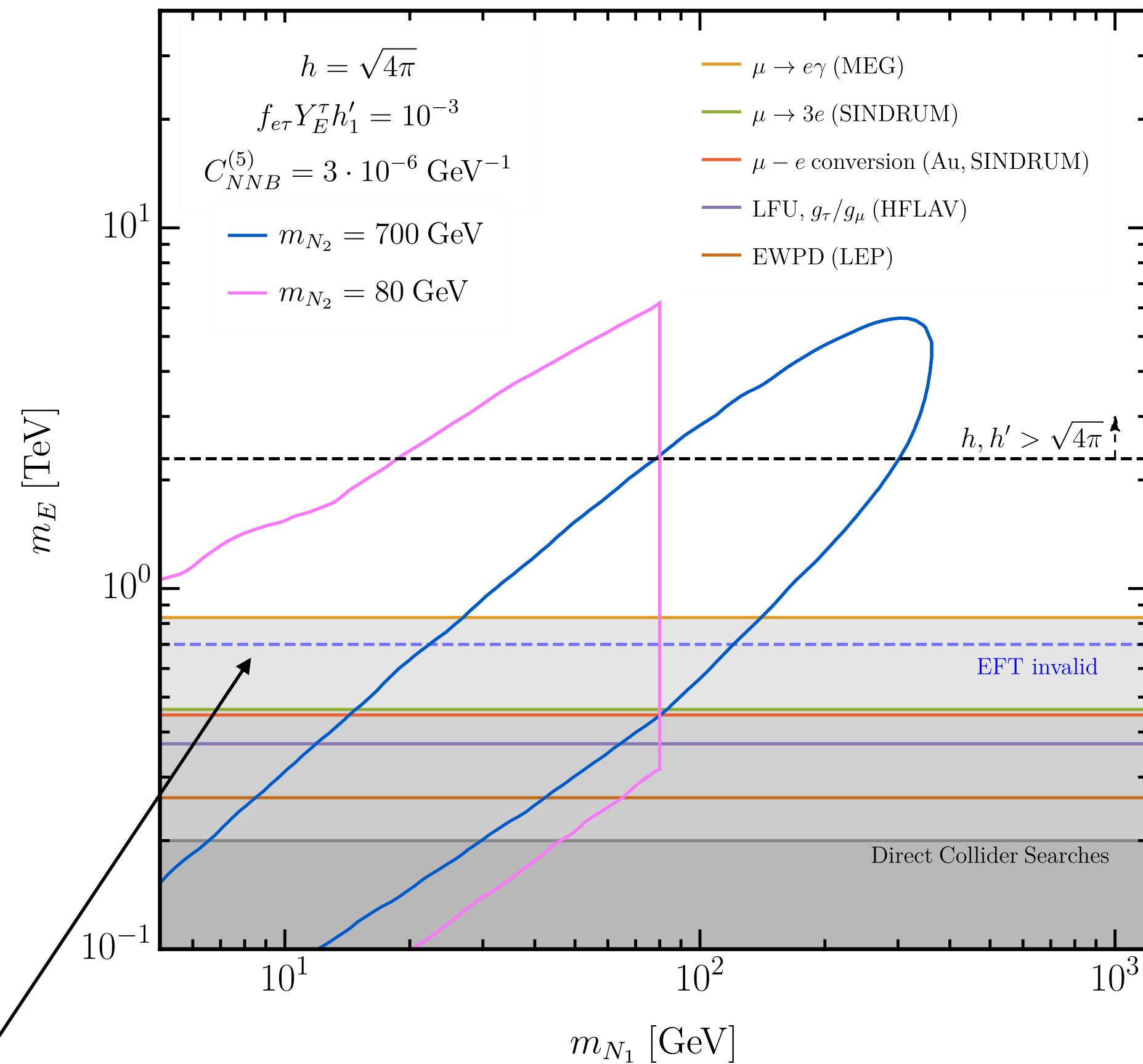
Constraints case 1: $\mu - \tau$		Constraints case 2: only $\tau$	
<span style="color: orange;">—</span> $\tau \rightarrow \mu\gamma$ (BaBar)	<span style="color: orange;">—</span> $\mu \rightarrow e\gamma$ (MEG)	<span style="color: green;">—</span> $\tau \rightarrow 3\mu$ (Belle)	<span style="color: green;">—</span> $\mu \rightarrow 3e$ (SINDRUM)
<span style="color: red;">—</span> $\tau \rightarrow \mu ee$ (Belle)	<span style="color: red;">—</span> $\mu - e$ conversion (Au, SINDRUM)	<span style="color: purple;">—</span> LFU, $g_\mu/g_e$ (HFLAV)	<span style="color: purple;">—</span> LFU, $g_\tau/g_\mu$ (HFLAV)
<span style="color: brown;">—</span> EWPD (LEP)	<span style="color: brown;">—</span> EWPD (LEP)	<span style="color: black;">- - -</span> Direct Collider Searches	<span style="color: black;">- - -</span> Direct Collider Searches

# Active-to-Sterile Bounds

$h, h' > \sqrt{4\pi}$  to obtain  $C_{NNB}^{(5)}$

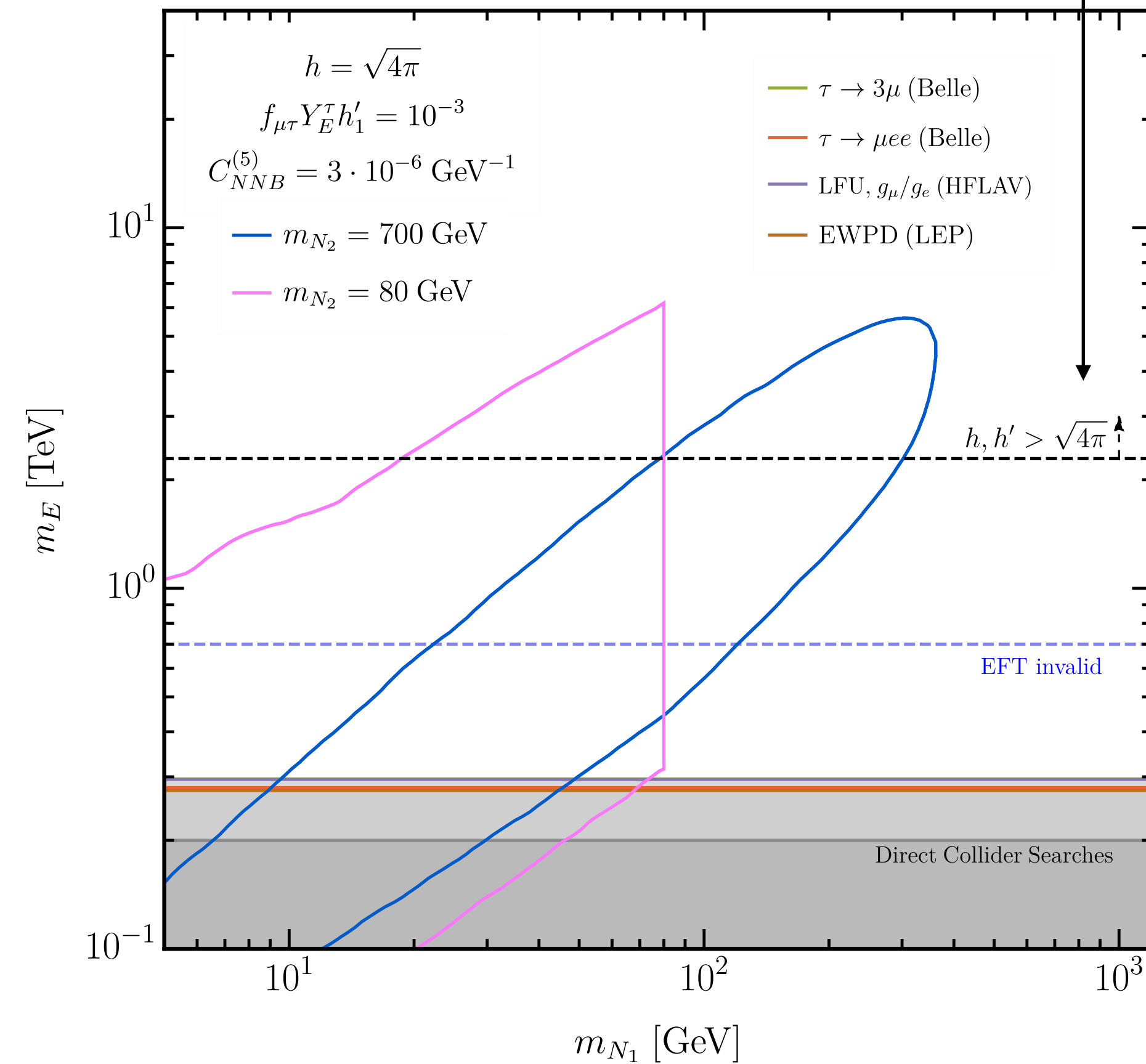
'No  $e$ ' couplings

$$Y_E^\tau = f_{e\tau} = f_{\mu\tau} \neq 0$$



' $\tau$  only' couplings

$$Y_E^\mu = Y_E^\tau = f_{\mu\tau} \neq 0$$



EFT invalid for  $m_E < m_{N_2} = 700 \text{ GeV}$

# Conclusions

We have considered the phenomenology of **heavy RH neutrinos** with **magnetic moments** at the LHC

For the model-independent coefficients of  $N_R$ SMEFT operators  $\mathcal{O}_{NNB}^{(5)}$ ,  $\mathcal{O}_{NB}^{(6)}$  and  $\mathcal{O}_{NW}^{(6)}$ :

- Analysis of future sensitive of LHC experiments using displaced non-pointing photons
- Excluded regions in 3 of 9 limiting benchmark cases

Considered a toy UV model to generate  $C_{NNB}^{(5)}$ ,  $C_{NB}^{(6)}$  and  $C_{NW}^{(6)}$  at one-loop

- Single vector-like lepton and singly-charged scalar with  $m_E, m_\phi > v$
- Additional constraints from EWPT, cLFV and LFU violating probes

We find:

- Non-pointing photons can explore new regions of EFT parameter space for  $d_{NN\gamma}$ ,  $d_{\nu N\gamma}$  and  $V_{\alpha N}$  😎
- In specific model, complementarity with EWPT, cLFV 🤝

Thank you for your attention!

