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Quantum Computing for Fundamental Physics in NISQ era

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Faculty of Mathematics
and Physics



The dimension of representation in spin chains



We are in the middle of 2nd Quantum Revolution:
***Exploiting quantum mechanics for achieving
computational/communication/technological advantage***



Google's Quantum Computer

Ultimate goal: Fault Tolerant Quantum Computing

facilitating Error Correction (large overheads!)

At the moment decoherence still too detrimental

We are in the era of

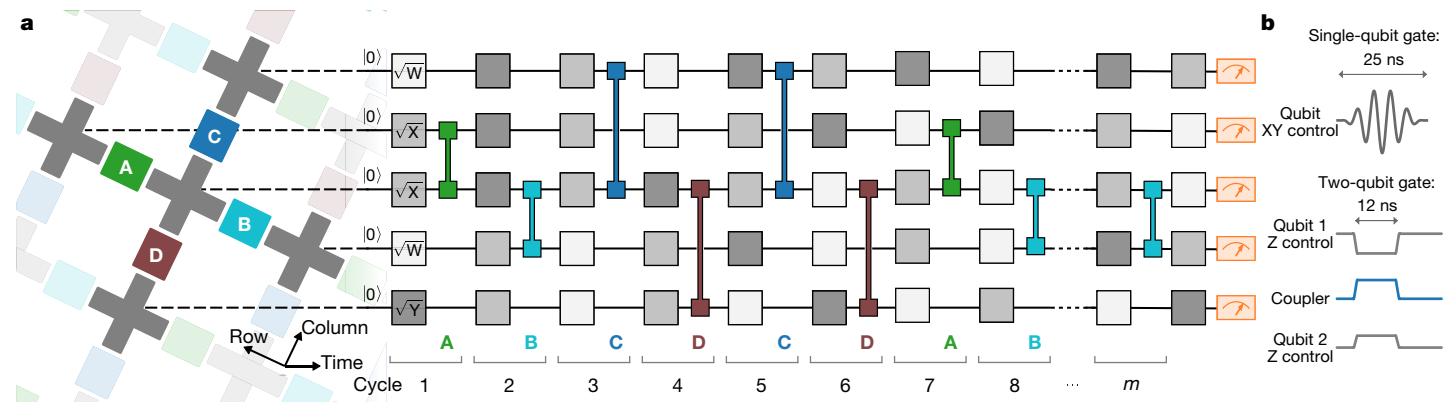
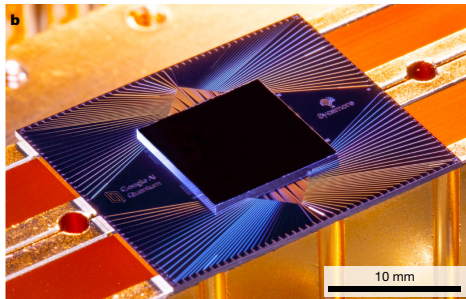
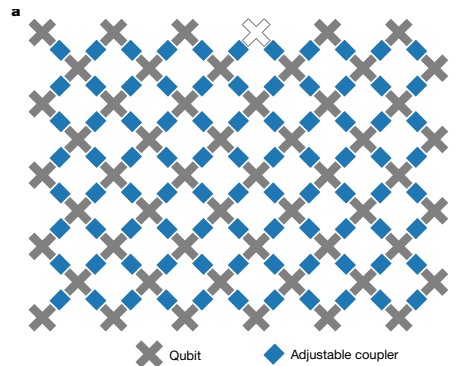
NISQ (Noisy Intermediate Scale Quantum) devices

Can NISQ give us practical advantage/utility?

2019: The First Claim of Quantum Supremacy

Google Quantum AI simulation of RANDOM QUANTUM CIRCUITS

Nature 574, 505 (2019)



However, initial claims were soon challenged & refuted by improved classical algorithms!

Similar story repeated with IBM in 2023

Article

Evidence for the utility of quantum computing before fault tolerance

<https://doi.org/10.1038/s41586-023-06096-3>

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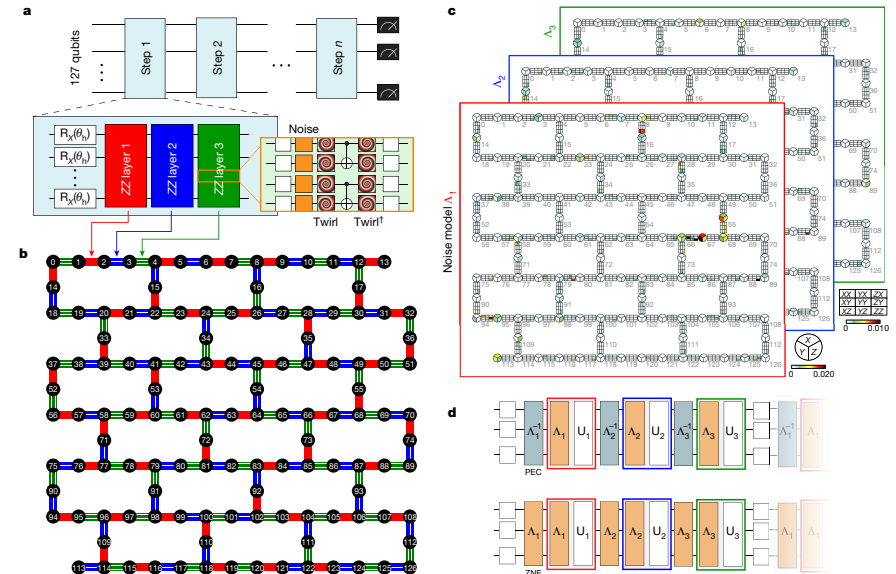
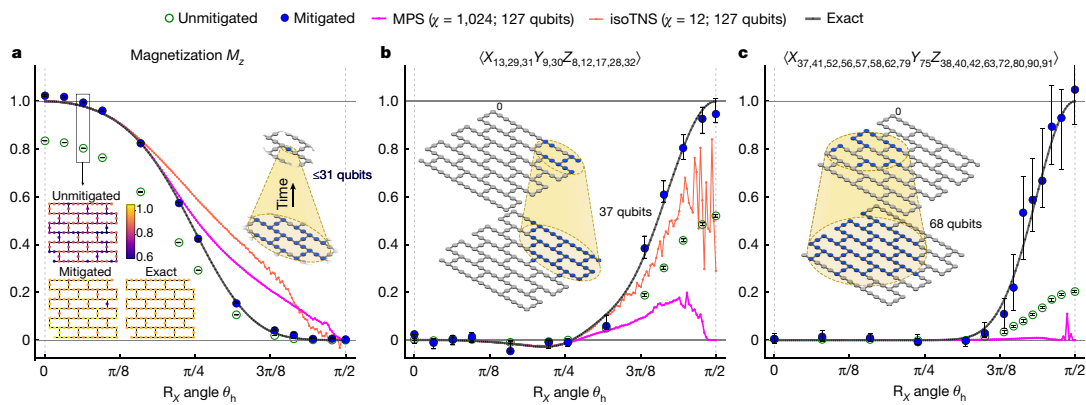
Published online: 14 June 2023

Open access

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Youngseok Kim^{1,6}, Andrew Eddins^{2,6}, Sajant Anand³, Ken Xuan Wei¹, Ewout van den Berg¹, Sami Rosenblatt¹, Hasan Nayfeh¹, Yantao Wu^{3,4}, Michael Zaletel^{3,5}, Kristan Temme¹ & Abhinav Kandala¹

Quantum computing promises to offer substantial speed-ups over its classical counterpart for certain problems. However, the greatest impediment to realizing its full potential is noise that is inherent to these systems. The widely accepted solution to this challenge is the implementation of fault-tolerant quantum circuits, which is out of reach for current processors. Here we report experiments on a noisy 127-qubit processor and demonstrate the measurement of accurate expectation values for circuit volumes at a scale beyond brute-force classical computation. We argue that this represents evidence for the utility of quantum computing in a pre-fault-tolerant era.



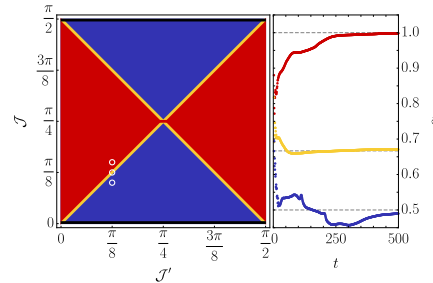
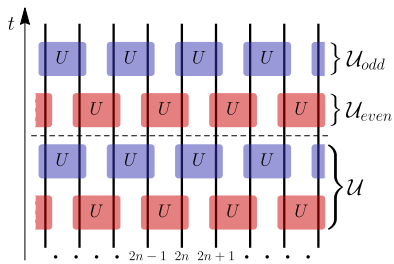
They consider dynamics of magnetization in 2D quantum Ising model with external field

6 months later classical tensor-networks algorithms were shown to perform just as good if not better

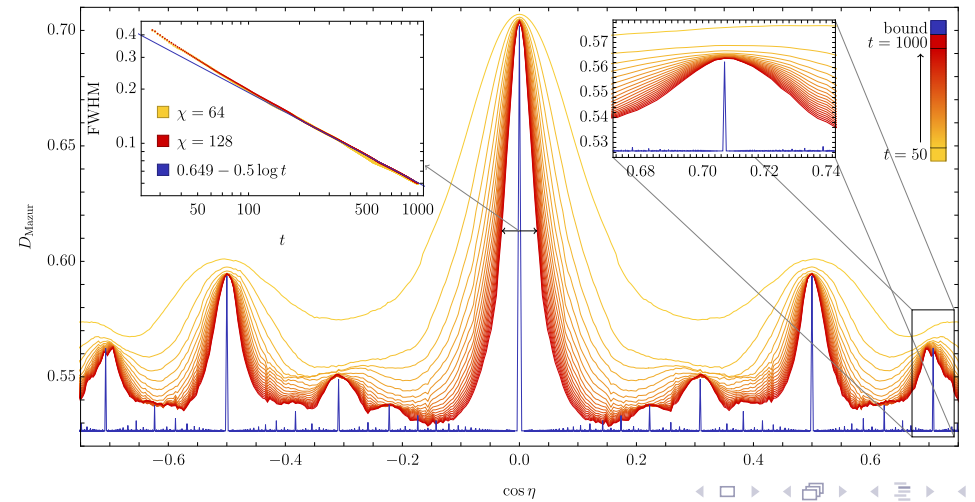
Quantum utility for simulation of simple quantum many-body systems with unusual/exotic dynamics/transport

Integrable Brickwall Circuits: Fantastic polygon for exotic many-body physics

[M. Vanicat, L. Zadnik and TP, PRL 121, 030606(2018)]
 [M. Ljubotina, L. Zadnik and TP, PRL 122, 150605(2019)]



$$U = \exp \left(-i\mathcal{J}(\sigma^x \otimes \sigma^x + \sigma^y \otimes \sigma^y) - i\mathcal{J}'\sigma^z \otimes \sigma^z \right)$$



Kardar-Parisi-Zhang Physics in the Quantum Heisenberg Magnet

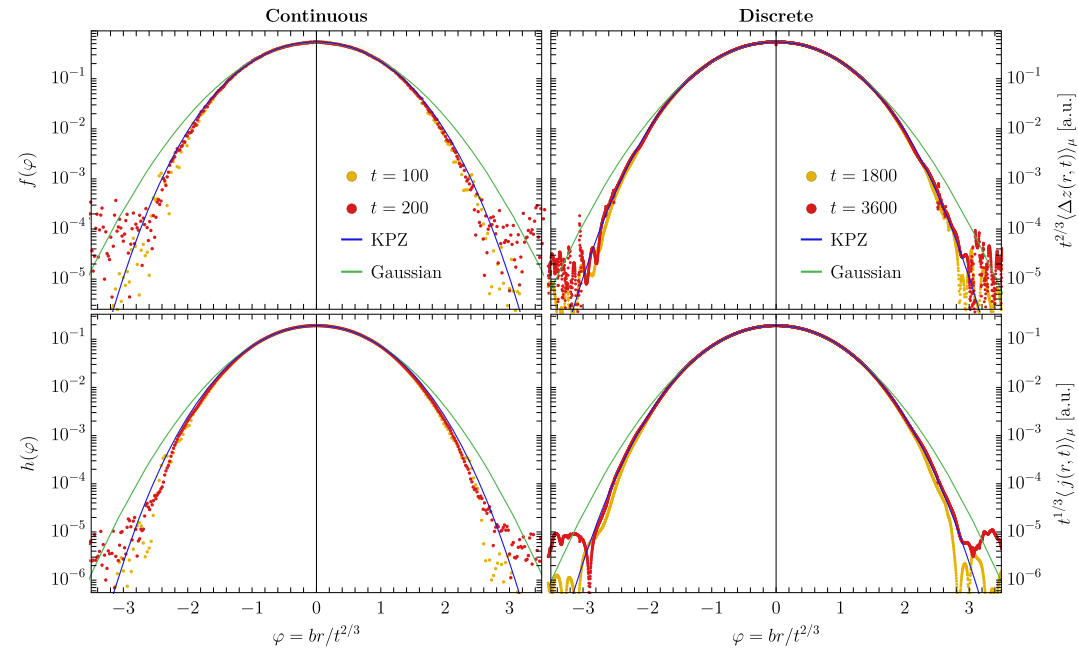
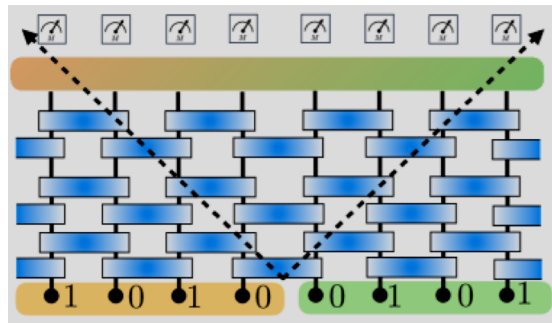
Marko Ljubotina, Marko Žnidarič, and Tomaž Prosen

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 (Received 7 March 2019; published 31 May 2019)

Equilibrium spatiotemporal correlation functions are central to understanding weak nonequilibrium physics. In certain local one-dimensional classical systems with three conservation laws they show universal features. Namely, fluctuations around ballistically propagating sound modes can be described by the celebrated Kardar-Parisi-Zhang (KPZ) universality class. Can such a universality class be found also in quantum systems? By unambiguously demonstrating that the KPZ scaling function describes magnetization dynamics in the $SU(2)$ symmetric Heisenberg spin chain we show, for the first time, that this is so. We achieve that by introducing new theoretical and numerical tools, and make a puzzling observation that the conservation of energy does not seem to matter for the KPZ physics.

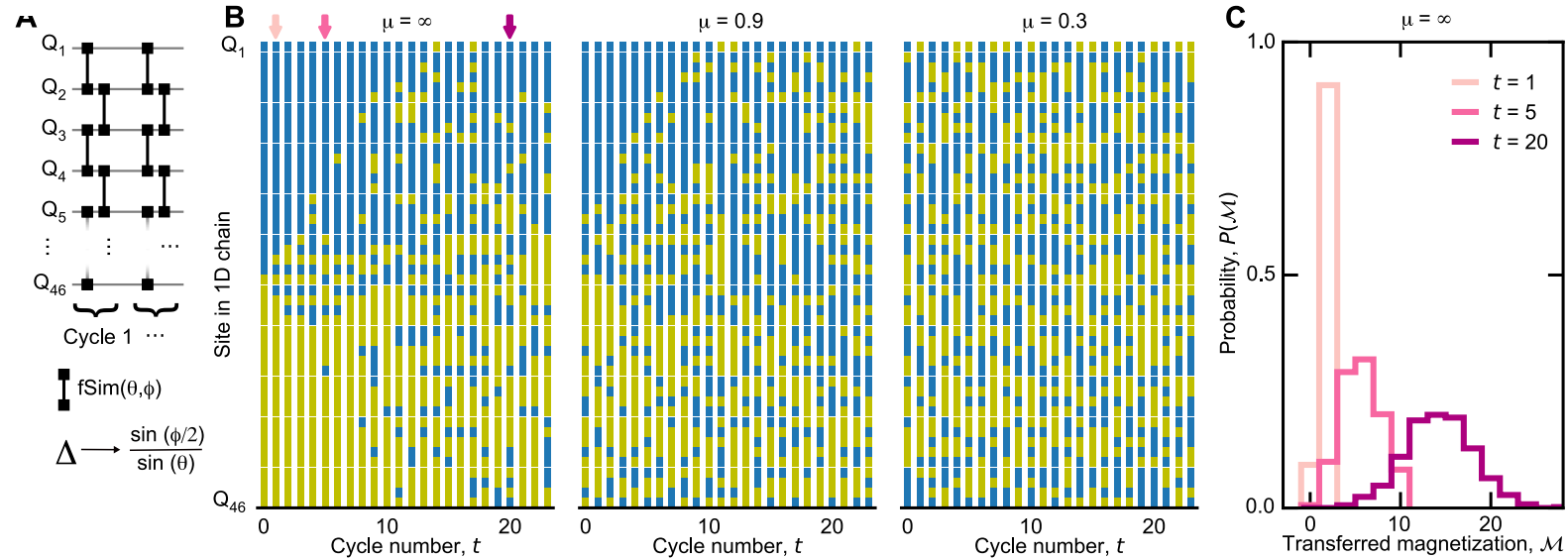
DOI: 10.1103/PhysRevLett.122.210602



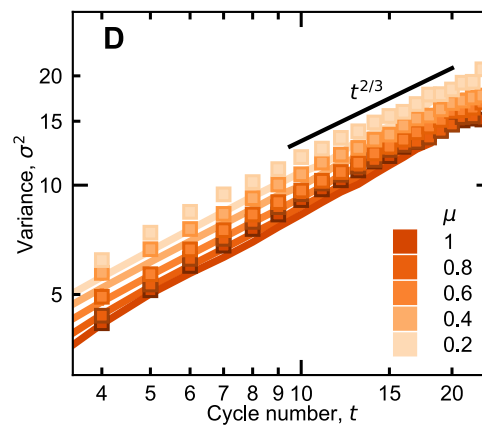
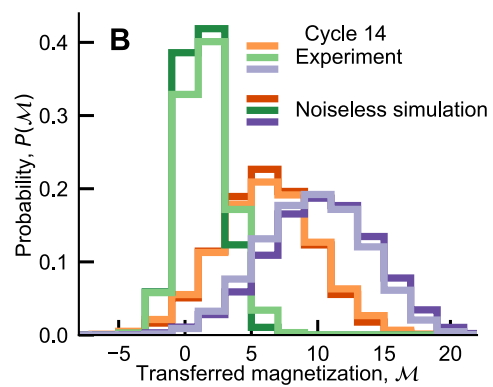
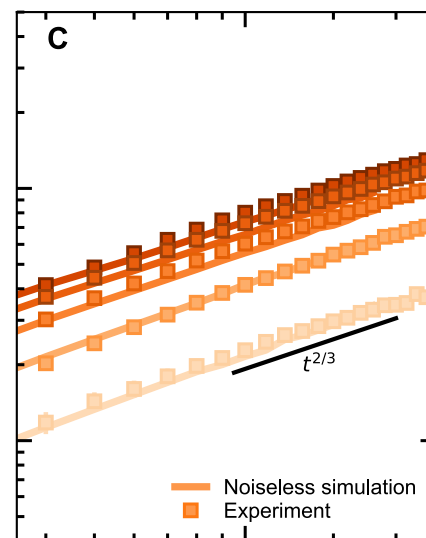
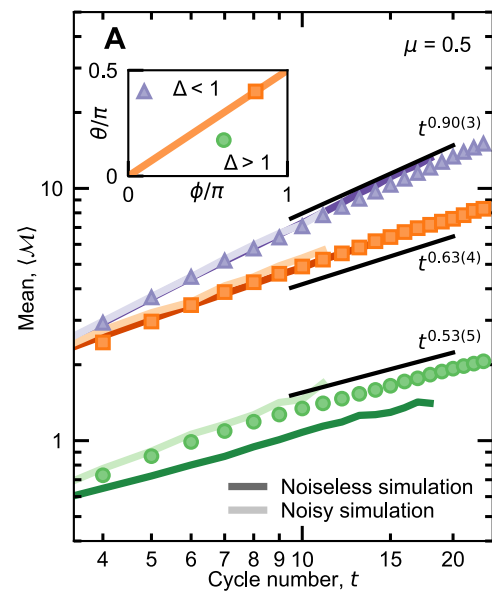
QUANTUM SIMULATION

Dynamics of magnetization at infinite temperature
in a Heisenberg spin chain

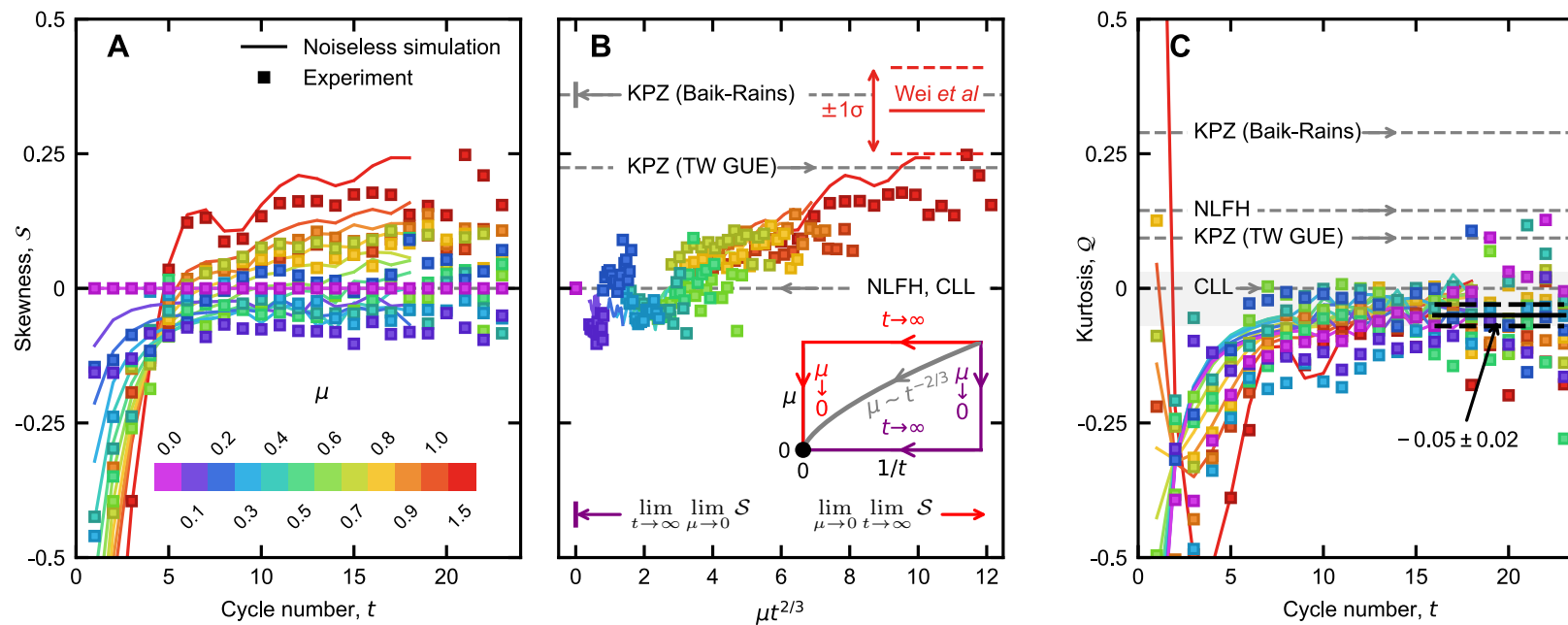
E. Rosenberg^{1,2†}, T. I. Andersen^{1†}, R. Samajdar^{3,4}, A. Petukhov¹, J. C. Hoke⁵, D. Abanin¹, A. Bengtsson¹, I. K. Drozdov^{1,6}, C. Erickson¹, P. V. Klimov¹, X. Mi¹, A. Morvan¹, M. Neeley¹, C. Neill¹, R. Acharya¹, R. Allen¹, K. Anderson¹, M. Ansmann¹, F. Arute¹, K. Arya¹, A. Asfaw¹, J. Atalaya¹, J. C. Bardin^{1,7}, A. Biles¹, G. Bortoli¹, A. Bourassa¹, J. Bovaird¹, L. Brill¹, M. Broughton¹, B. B. Buckley¹, D. A. Buell¹, T. Burger¹, B. Burkett¹, N. Bushnell¹, J. Campero¹, H.-S. Chang¹, Z. Chen¹, B. Chiaro¹, D. Chik¹, J. Cogan¹, R. Collins¹, P. Conner¹, W. Courtney¹, A. L. Crook¹, B. Curtin¹, D. M. Debroy¹, A. Del Toro Barba¹, S. Demura¹, A. Di Paolo¹, A. Dunsworth¹, C. Earle¹, L. Faoro¹, E. Farhi¹, R. Fatemi¹, V. S. Ferreira¹, L. Flores Burgos¹, E. Forati¹, A. G. Fowler¹, B. Foxen¹, G. Garcia¹, É. Genois¹, W. Giang¹, C. Gidney¹, D. Gilboa¹, M. Giustina¹, R. Gosula¹, A. Grajales Dau¹, J. A. Gross¹, S. Habegger¹, M. C. Hamilton^{1,8}, M. Hansen¹, M. P. Harrigan¹, S. D. Harrington¹, P. Heu¹, G. Hill¹, M. R. Hoffmann¹, S. Hong¹, T. Huang¹, A. Huff¹, W. J. Huggins¹, L. B. Ioffe¹, S. V. Isakov¹, J. Iveland¹, E. Jeffrey¹, Z. Jiang¹, C. Jones¹, P. Juhas¹, D. Kafri¹, T. Khattar¹, M. Khezri¹, M. Kieferová^{1,9}, S. Kim¹, A. Kitaev¹, A. R. Klots¹, A. N. Korotkov^{1,10}, F. Kostritsa¹, J. M. Kreikebaum¹, D. Landhuis¹, P. Laptev¹, K.-M. Lau¹, L. Laws¹, J. Lee^{1,11}, K. W. Lee¹, Y. D. Lensky¹, B. J. Lester¹, A. T. Lill¹, W. Liu¹, A. Locharla¹, S. Mandrà¹, O. Martin¹, S. Martin¹, J. R. McClean¹, M. McEwen¹, S. Meeks¹, K. C. Miao¹, A. Mieszala¹, S. Montazeri¹, R. Movassagh¹, W. Mruczkiewicz¹, A. Nersisyan¹, M. Newman¹, J. H. Ng¹, A. Nguyen¹, M. Nguyen¹, M. Y. Niu¹, T. E. O'Brien¹, S. Omonije¹, A. Opremcak¹, R. Potter¹, L. P. Pryadko^{1,2}, C. Quintana¹, D. M. Rhodes¹, C. Rocque¹, N. C. Rubin¹, N. Saei¹, D. Sank¹, K. Sankaragomathi¹, K. J. Satzinger¹, H. F. Schurkus¹, C. Schuster¹, M. J. Shearn¹, A. Shorter¹, N. Shutty¹, V. Shvarts¹, V. Sivak¹, J. Skrzynny¹, W. Clarke Smith¹, R. D. Somma¹, G. Sterling¹, D. Strain¹, M. Szalay¹, D. Thor¹, A. Torres¹, V. Vidal¹, B. Villalonga¹, C. Vollgraff Heidweiller¹, T. White¹, B. W. K. Woo¹, C. Xing¹, Z. Jamie Yao¹, P. Yeh¹, J. Yoo¹, G. Young¹, A. Zalcman¹, Y. Zhang¹, N. Zhu¹, N. Zobrist¹, H. Neven¹, R. Babbush¹, D. Bacon¹, S. Boixo¹, J. Hilton¹, E. Lucero¹, A. Megrant¹, J. Kelly¹, Y. Chen¹, V. Smelyanskiy¹, V. Khemani⁵, S. Gopalakrishnan³, T. Prosen^{13*}, P. Roushan^{1*}



Mean and variance of transferred magnetization



Higher moments - fluctuation statistics



DUAL UNITARY CIRCUITS: Exactly solvable many-body chaos

PHYSICAL REVIEW LETTERS 123, 210601 (2019)

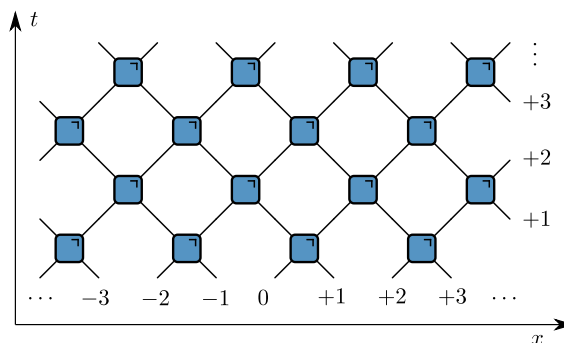
Exact Correlation Functions for Dual-Unitary Lattice Models in 1 + 1 Dimensions

Bruno Bertini , Pavel Kos, and Tomaž Prosen

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Jadranska 19, SI-1000 Ljubljana, Slovenia*

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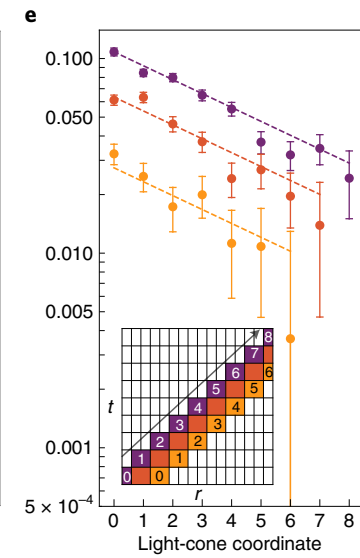
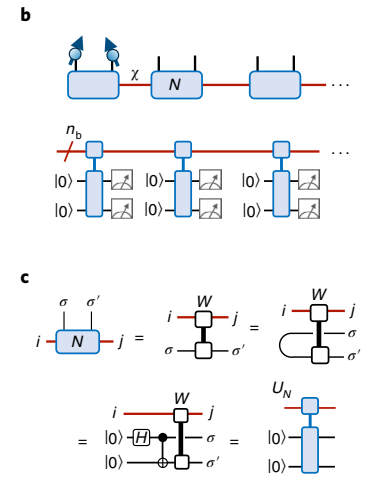
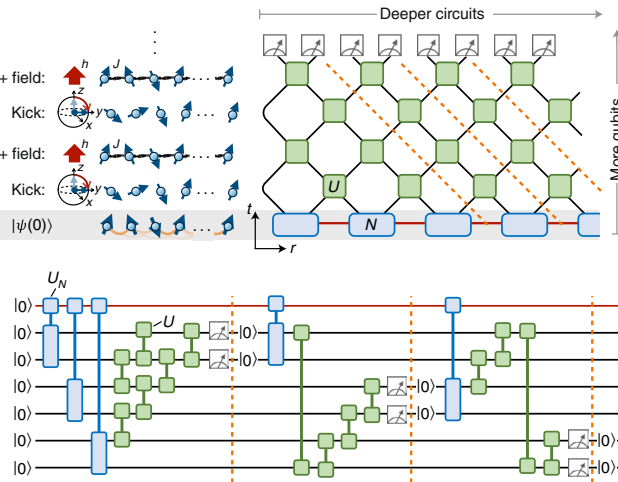
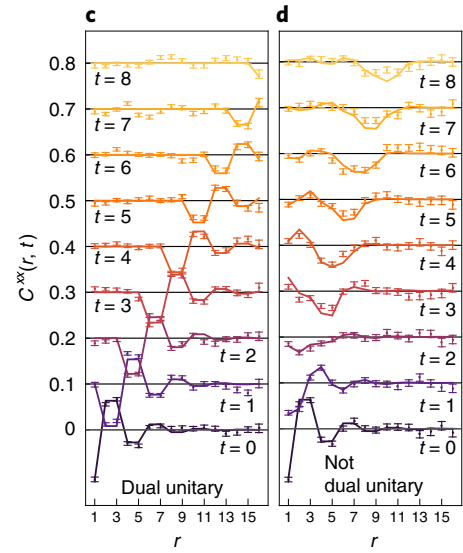
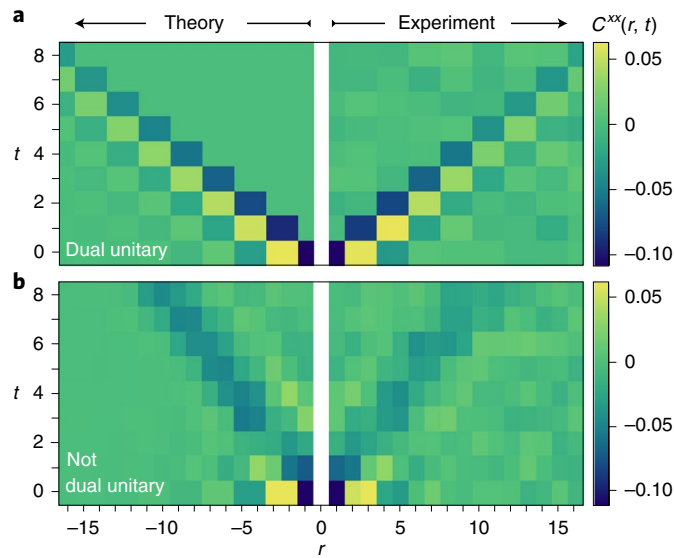
We consider a class of quantum lattice models in 1 + 1 dimensions represented as local quantum circuits that enjoy a particular dual-unitarity property. In essence, this property ensures that both the evolution in time and that in space are given in terms of unitary transfer matrices. We show that for this class of circuits, generically nonintegrable, one can compute explicitly all dynamical correlations of local observables. Our result is exact, nonperturbative, and holds for any dimension d of the local Hilbert space. In the minimal case of qubits ($d = 2$) we also present a classification of all dual-unitary circuits which allows us to single out a number of distinct classes for the behavior of the dynamical correlations. We find noninteracting classes, where all correlations are preserved, the ergodic and mixing one, where all correlations decay, and, interestingly, also classes that are both interacting and nonergodic.



Holographic dynamics simulations with a trapped-ion quantum computer

Eli Chertkov^{1,2}, Justin Bohnet¹, David Francois¹, John Gaebler¹, Dan Gresh¹, Aaron Hankin¹, Kenny Lee^{1,5}, David Hayes¹, Brian Neyenhuis¹, Russell Stutz¹, Andrew C. Potter^{3,4} and Michael Foss-Feig¹

Nature Phys. **18**, 1074 (2022)



First steps towards fault tolerance: Demonstration of stable logical qubits

Nature **626**, 58 (2024)

Nature **614**, 677 (2023)

Article

Suppressing quantum errors by scaling a surface code logical qubit

<https://doi.org/10.1038/s41586-022-05434-1> Google Quantum AI*

Received: 13 July 2022

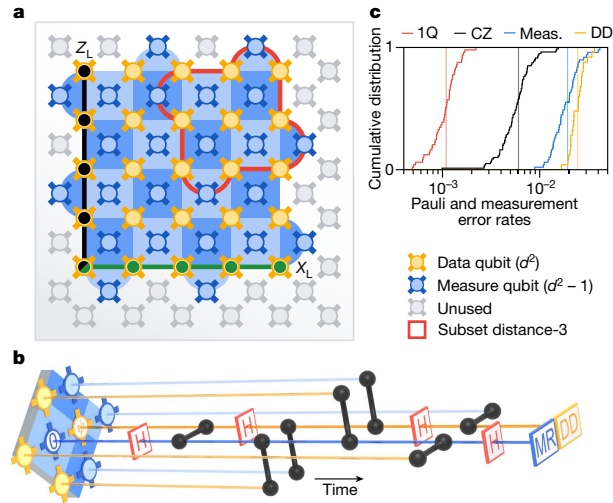
Accepted: 10 October 2022

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Practical quantum computing will require error rates well below those achievable with physical qubits. Quantum error correction^{1,2} offers a path to algorithmically relevant error rates by encoding logical qubits within many physical qubits, for which increasing the number of physical qubits enhances protection against physical errors. However, introducing more qubits also increases the number of error sources, so the density of errors must be sufficiently low for logical performance to improve with increasing code size. Here we report the measurement of logical qubit performance scaling across several code sizes, and demonstrate that our system of superconducting qubits has sufficient performance to overcome the additional errors from increasing qubit number.



Article

Logical quantum processor based on reconfigurable atom arrays

<https://doi.org/10.1038/s41586-023-06927-3>

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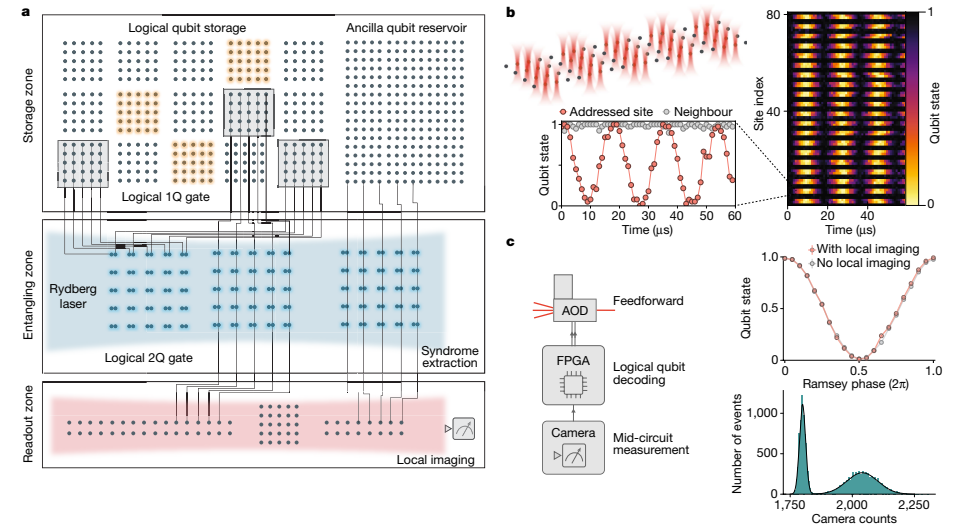
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Dolev Bluvstein¹, Simon J. Evered¹, Alexandra A. Geim¹, Sophie H. Li¹, Hengyun Zhou^{1,2}, Tom Manovitz¹, Sepehr Ebadi¹, Madelyn Cain¹, Marcin Kalinowski¹, Dominik Hangleiter³, J. Pablo Bonilla Ataides¹, Nishad Maskara¹, Iris Cong¹, Xun Gao¹, Pedro Sales Rodriguez², Thomas Karolyshyn², Giulia Semeghini⁴, Michael J. Gullans³, Markus Greiner¹, Vladan Vuletić⁵ & Mikhail D. Lukin^{1,5}

Suppressing errors is the central challenge for useful quantum computing¹, requiring quantum error correction (QEC)^{2–6} for large-scale processing. However, the overhead in the realization of error-corrected ‘logical’ qubits, in which information is encoded across many physical qubits for redundancy^{2–4}, poses substantial challenges to large-scale logical quantum computing. Here we report the realization of a programmable quantum processor based on encoded logical qubits operating with up to 280 physical qubits. Using logical-level control and a zoned



Quantum Computers are approaching break-even point as compared to best classical computers/algorithms, for specific tasks, mainly related to dynamical phenomena in fundamental physics

Fault tolerant QC is still sometime in future, but no fundamental obstacles are foreseen, and when done, there will be no limit..

Funding

This project has received funding from the European High-Performance Computing Joint Undertaking (JU) under grant agreement No 101101903. The JU receives support from the Digital Europe Programme and Germany, Bulgaria, Austria, Croatia, Cyprus, Czech Republic, Denmark, Estonia, Finland, Greece, Hungary, Ireland, Italy, Lithuania, Latvia, Poland, Portugal, Romania, Slovenia, Spain, Sweden, France, Netherlands, Belgium, Luxembourg, Slovakia, Norway, Türkiye, Republic of North Macedonia, Iceland, Montenegro, Serbia.

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