

Institut "Jožef Stefan", Ljubljana, Slovenija

DRD3

DRD3 AIDAInnova CERN SPS Test Beam Readiness on FBK TI-LGADs for October 2025

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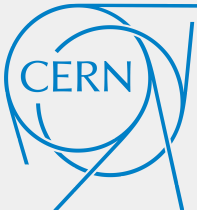
Overview



DRD3 AIDAInnova Test Beam - October '25

- Irradiated test structures for October TB are wire-bonded at JSI
- Test structures were checked with a radioactive source to verify signal detection
- Non-irradiated samples will be provided by CERN / Zürich
- Leakage Current Transition (LCT)¹ method applied to TI-LGADs in leakage current-voltage analysis, implemented with a skew-normal + baseline fit
- V_{gl} is defined as the location parameter μ , which generalizes the original LCT peak-based definition (explained in more detail later in the presentation)

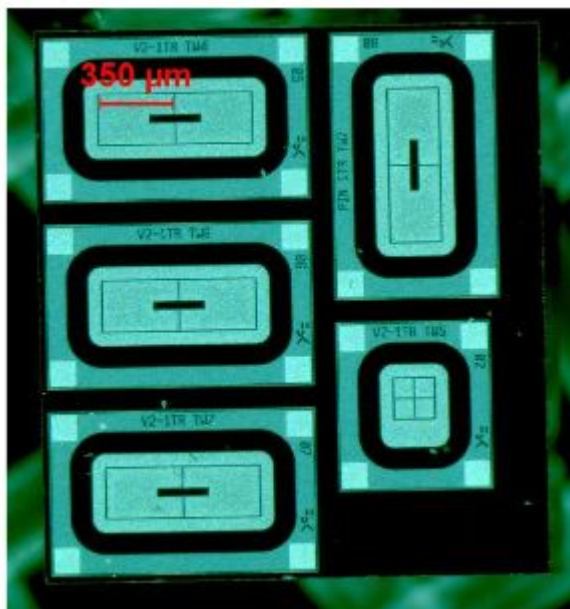
¹ Gkougkousis, E. L. (2021). Comprehensive technology study of radiation hard LGADs, CERN.
<https://cds.cern.ch/record/2790739>



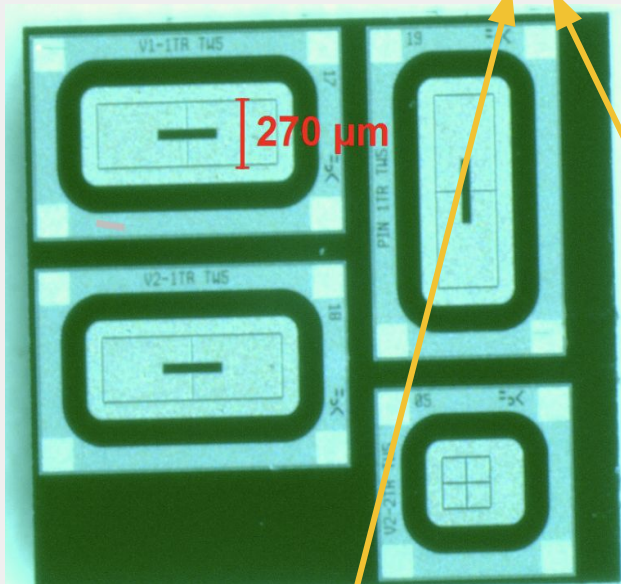
TI-LGAD test structures to be characterized at SPS

45 μm thick sensors

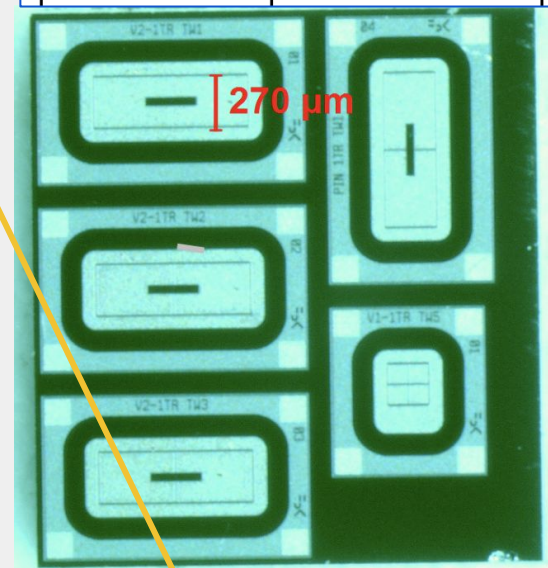
375 μm \times 250 μm pixel pitch



V2 - 1TR- TW 4/6/7



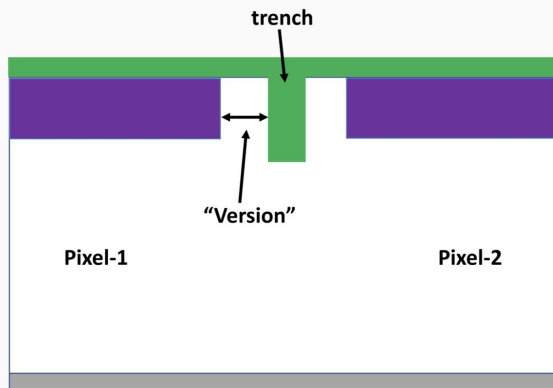
V 1/2 - 1TR- TW 5



V2 - 1TR- TW 1/2/3

Border version		Number of Trenches
V2		1TR
V1		1TR
V2		1TR
V2		2TR

Meaning of V1 & V2 Test Structures



Data Source – FBK

Versions:

- ▶ V1, V2, V3, and V4
- ▶ V1 → Aggressive
- ▶ V4 → Safe

V1	TW5
V1	TW5
V1	TW5
V1	TW5
V1	TW5
V1	TW5
V1	TW5
V2	TW 4/6/7
V2	TW 4/6/7
V2	TW 4/6/7
V2	TW 4/6/7
V2	TW 1/2/3
V2	TW 1/2/3
V2	TW 1/2/3
From previous test beam	
V2	TW 1/2/3
V2	TW 1/2/3

Testing V1 TW5 for the first time in October – previously only V2

V parameter refers to the distance that is left between the edge of the gain layer and the center of the trenches structure:

[Comprehensive Characterization of the TI-LGAD Technology](#)

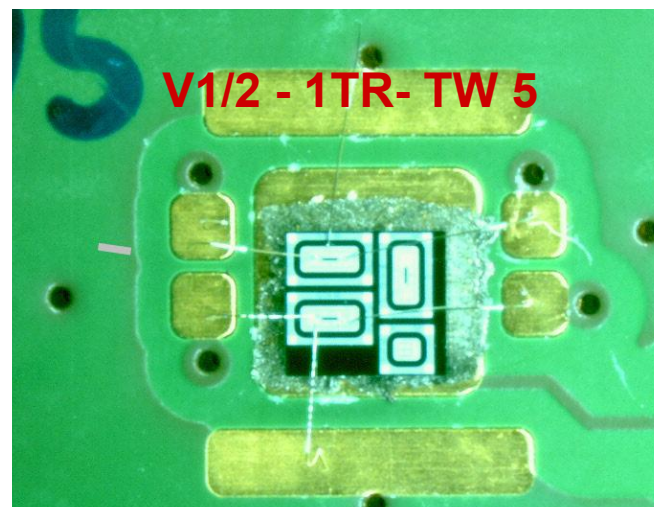
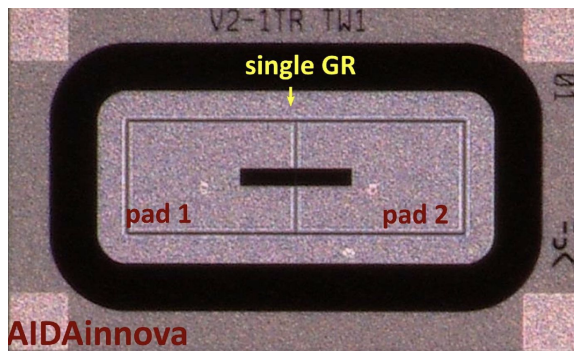
DRD3 AIDAInnova Test Beam October '25 TI-LGADs types



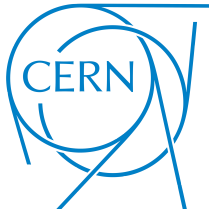
Link to TS:
[October_TB_2025](#)



DRD3 AIDAInnova Test Beam October '25 TI-LGADs types



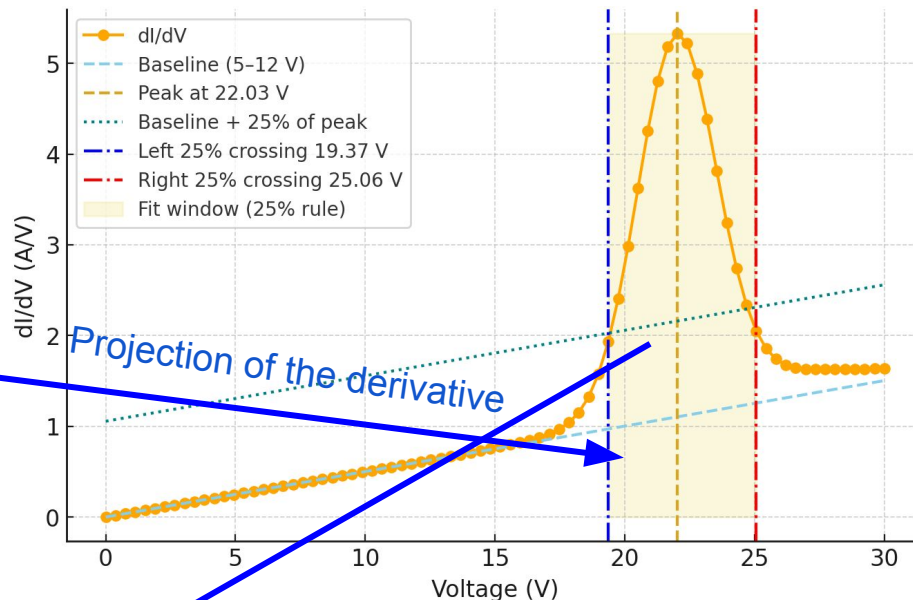
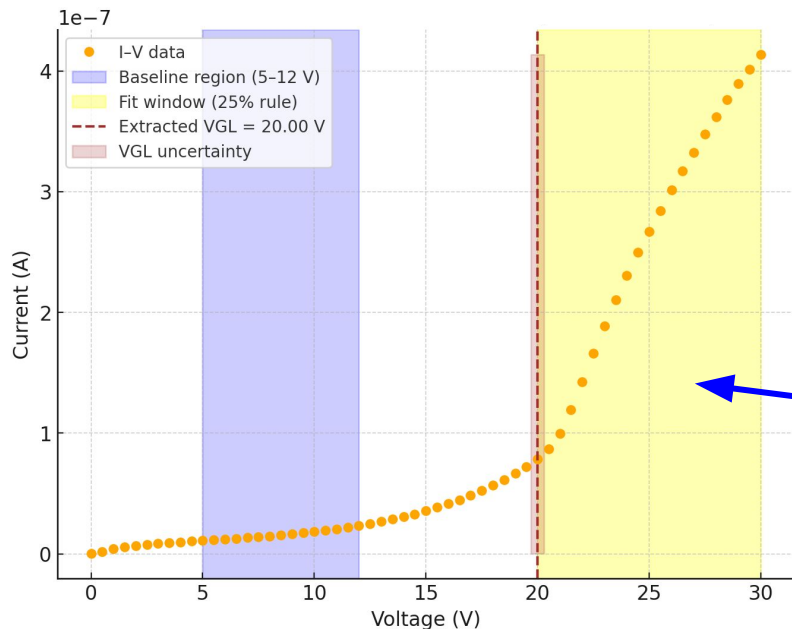
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[October_TB_2025](#)



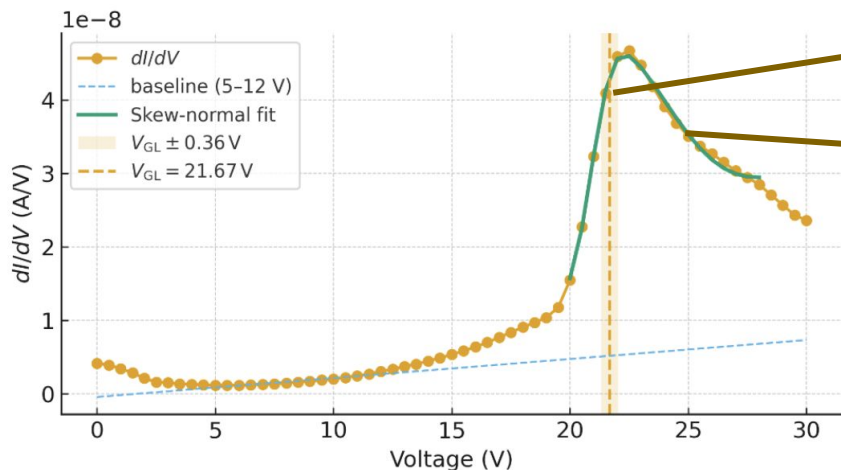
Wire-bonded test structures



Trench Depth	Trench parameter	Fluence (n _e q/cm ²)	Devices	Number of daughterboard	Chubut CH1,2	Chubut CH3,4	Batch Number (proposed)
V1	TW5	2.50E+15	V1TW5 / V2TW5	1	V1TW5	V2TW5	1
V1	TW5	2.50E+15	V1TW5 / V2TW5	2	V1TW5	V2TW5	2
V1	TW5	2.50E+15	V1TW5 / V2TW5	3	V1TW5	V2TW5	3
V1	TW5	2.50E+15	V1TW5 / V2TW5	4 @JSI	V1TW5	V2TW5	
					V1TW5	V2TW5	1
V1	TW5	1.50E+15	V1TW5 / V2TW5	5	V1TW5	V2TW5	2
V1	TW5	1.50E+15	V1TW5 / V2TW5	6	V1TW5	V2TW5	
V1	TW5	1.50E+15	V1TW5 / V2TW5	7 @JSI	V1TW5	V2TW5	3
V2	TW 4/6/7	1.50E+15	Standard	8	V2TW4	V2TW6	
V2	TW 4/6/7	1.50E+15	Standard	9 @JSI	V2TW4	V2TW6	3
V2	TW 4/6/7	2.50E+15	Standard	10	V2TW4	V2TW7	3
V2	TW 4/6/7	2.50E+15	Standard	11	V2TW4	V2TW6	2
V2	TW 1/2/3	1.50E+15	Standard	12	V2TW1	V2TW3	2
V2	TW 1/2/3	2.50E+15	Standard	13	V2TW1	V2TW2	1
V2	TW 1/2/3	2.50E+15	Standard	14	V2TW1	V2TW3	1
From previous test beam							
V2	TW 1/2/3	8.00E+14	Standard	15	V2TW1	V2TW2	Backup
V2	TW 1/2/3	1.50E+15	Standard	16	V2TW1	V2TW2	Backup



25% refers to amplitude in dI/dV : the window is where dI/dV stays above baseline + 25% of the peak height



We choose μ because it marks the stable center of the transition, while the apex shifts with skewness and slope. This makes V_{gl} unbiased.

The method defines V_{gl} as the fitted location parameter μ of the skew-normal, not the peak maximum -> positive skewness

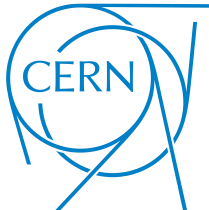
joint fit = baseline + skew-normal peak to the knee region
Savitzky-Golay smoothing filter was applied to get rid of noisy data

The fitting function is:

$$dI/dV(V) = A \cdot \text{SkewNormal}(V; \mu, \sigma, \alpha) + (mV + c)$$

For a **right-skewed** peak, the **mode** lies to the **right** of μ , so the dashed V_{gl} line will appear **slightly left** of the visible peak. That offset is expected and encodes the skewness.

For details on skew-normal distribution and derivation: see in backup

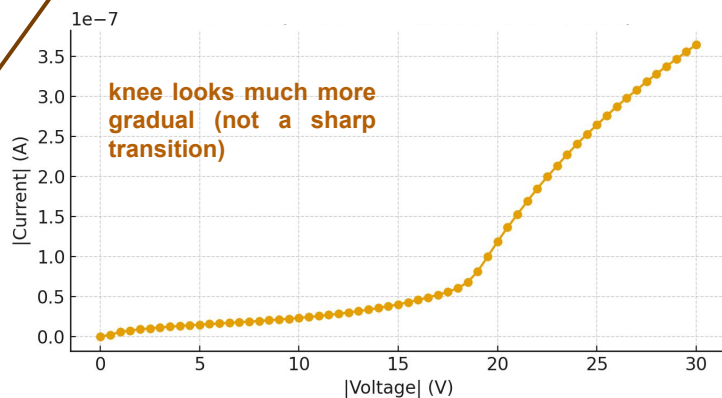
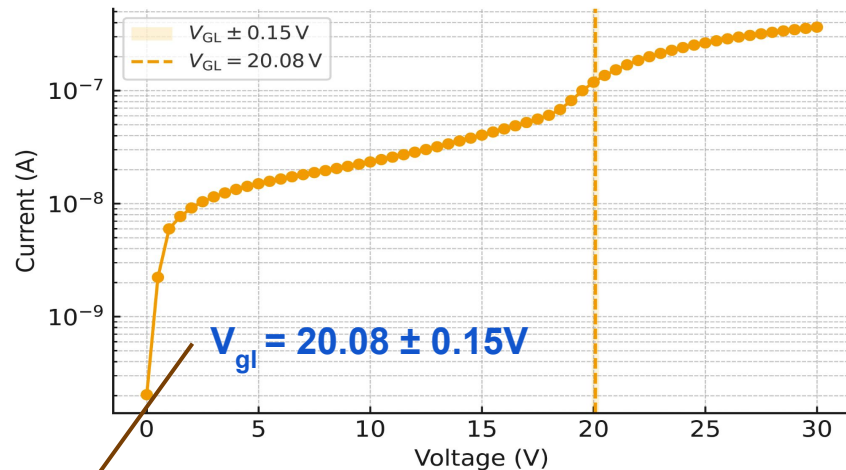
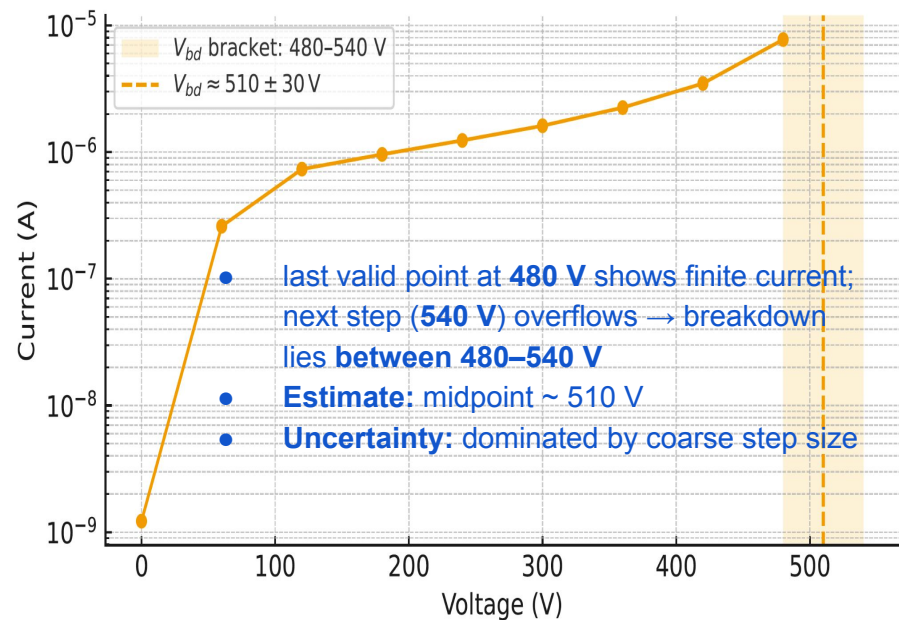


Why use LCT dI/dV fits instead of linear intersections?



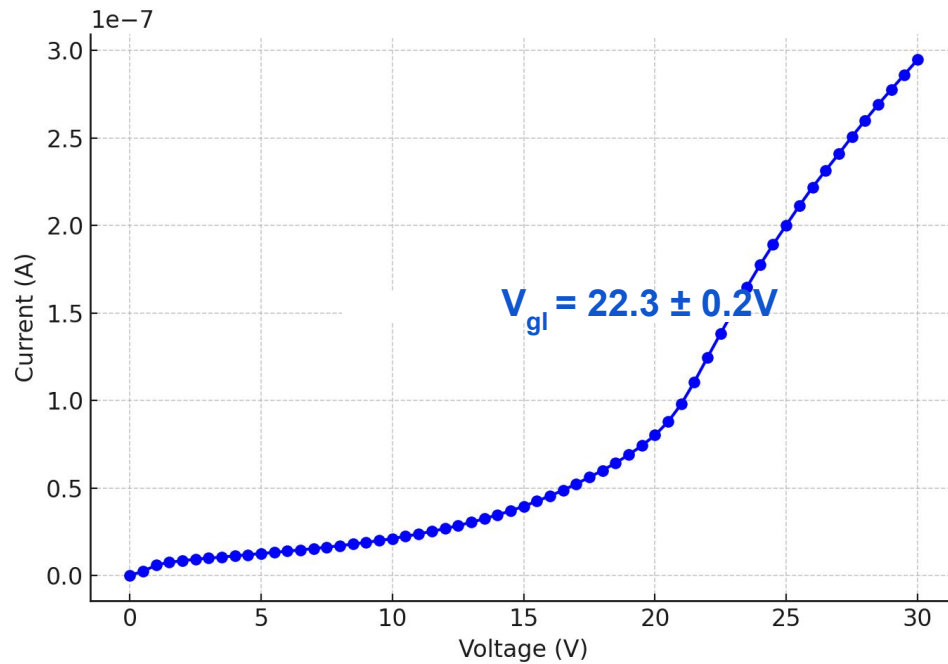
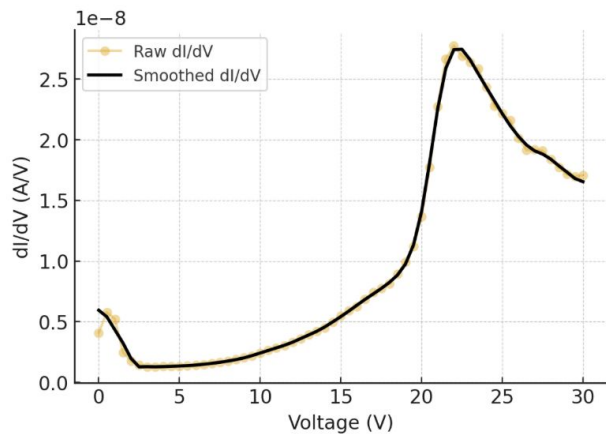
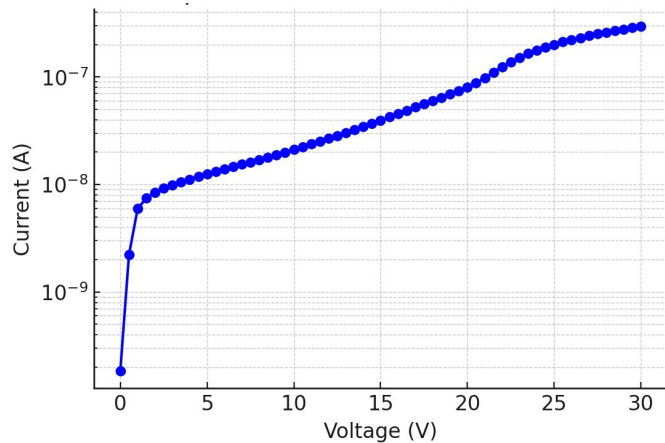
- **Directly probes the transition:** dI/dV shows the knee as a peak \rightarrow no need to extrapolate lines that don't really hold
- **Baseline bias corrected:** joint fit (baseline + peak) removes slope-induced shifts that would move V_{gl}
- **Provides real shape:** skew-normal/Voigt accounts for asymmetric tails
- **Robust & objective:** window defined by peak fraction (α) \rightarrow avoids tail bias, less sensitivity to point selection
- We use dI/dV only to pinpoint the knee voltage V_{gl} ; the actual leakage current is then taken from the original $I(V)$ at that voltage.

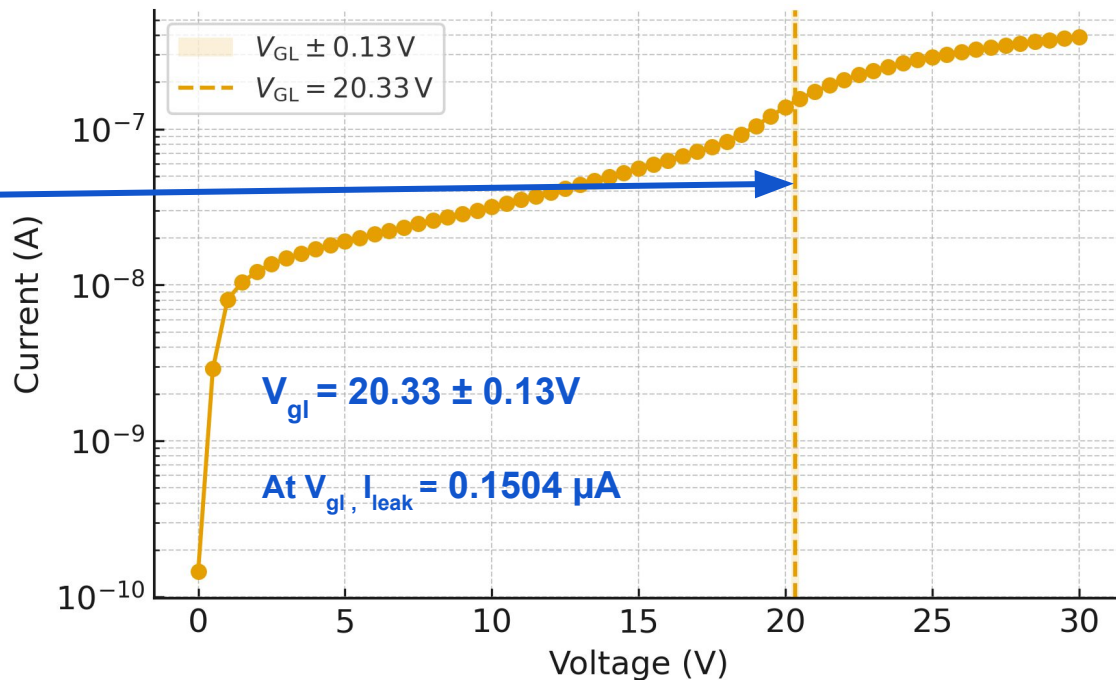
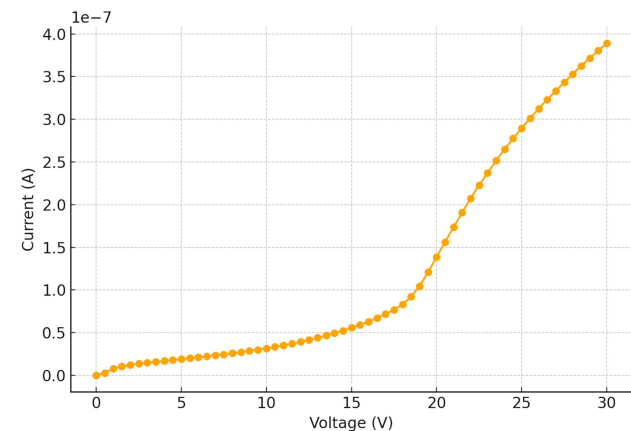
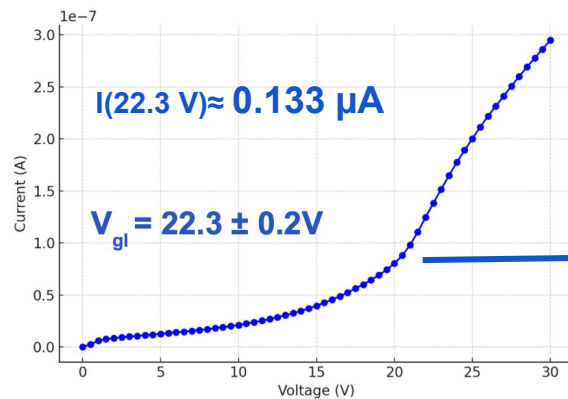
@ 480 V \rightarrow 7.73 μA

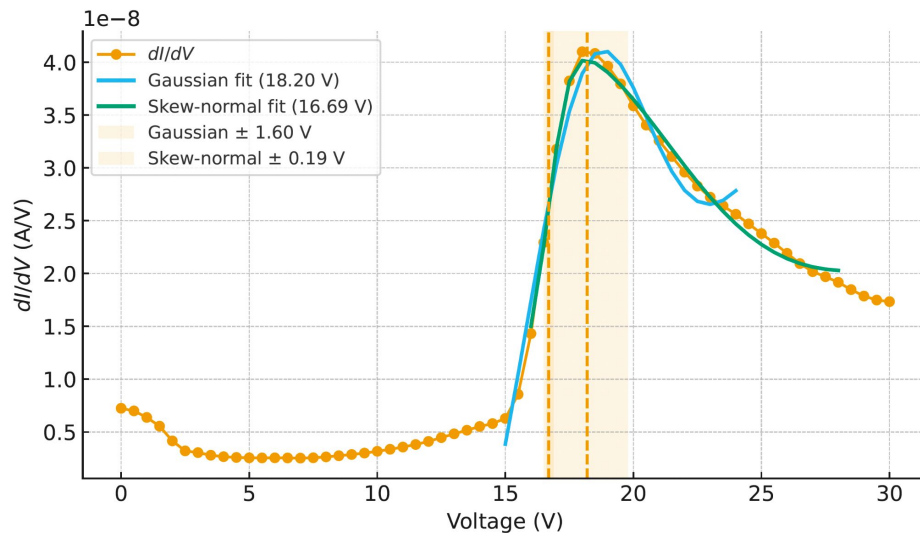
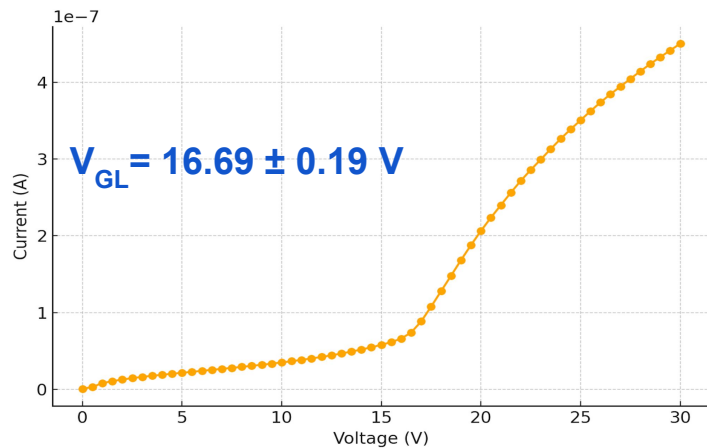
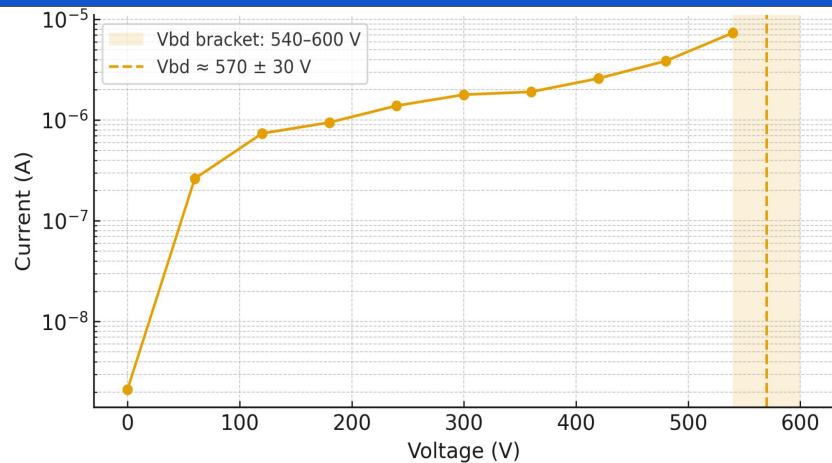


Model used for V_{gl} extraction: LCT with skew-normal fit + baseline;

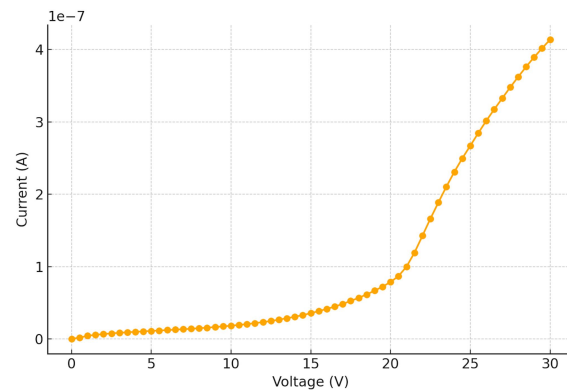
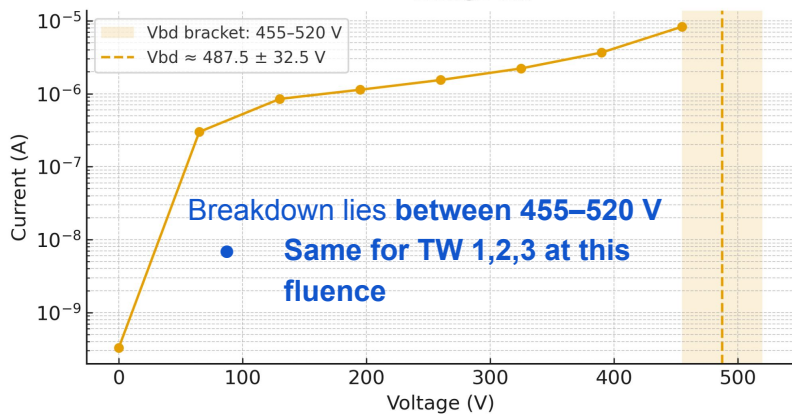
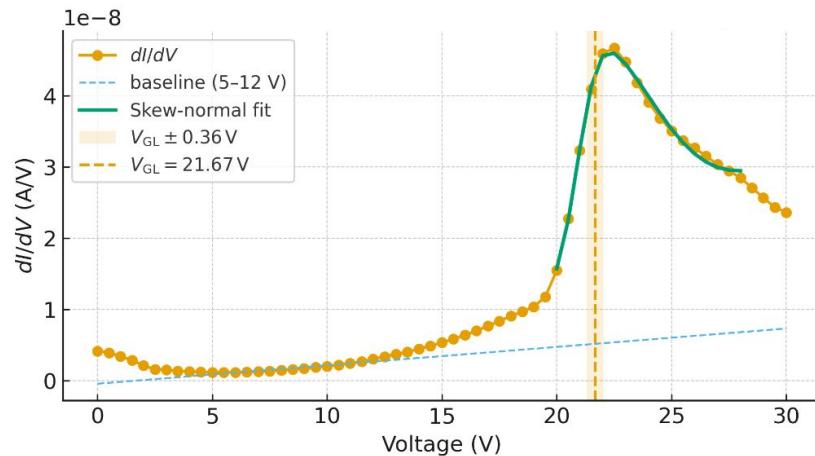
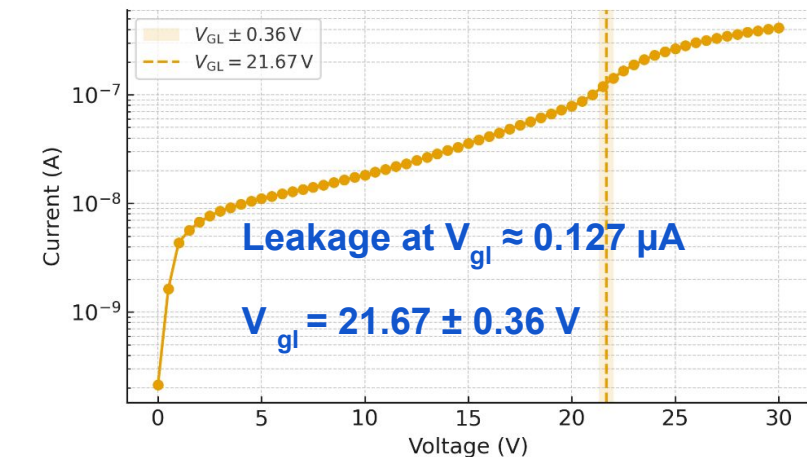
V_{gl} is defined as the location parameter μ of the fitted peak not the visual apex.

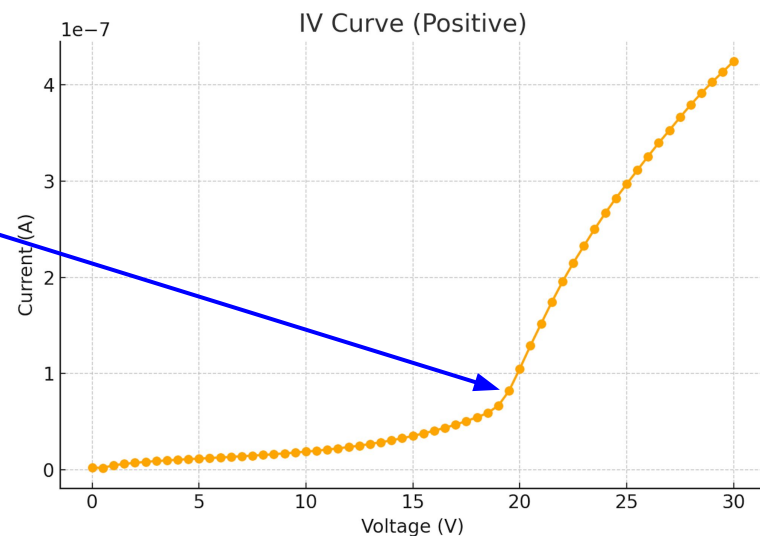
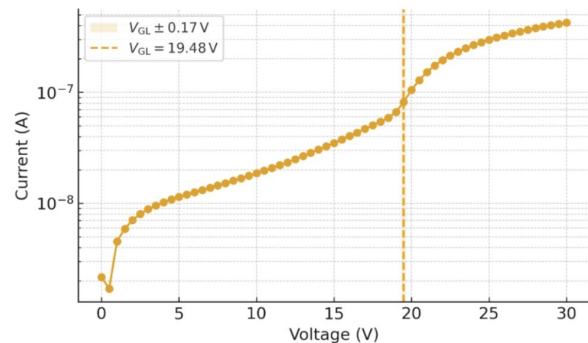
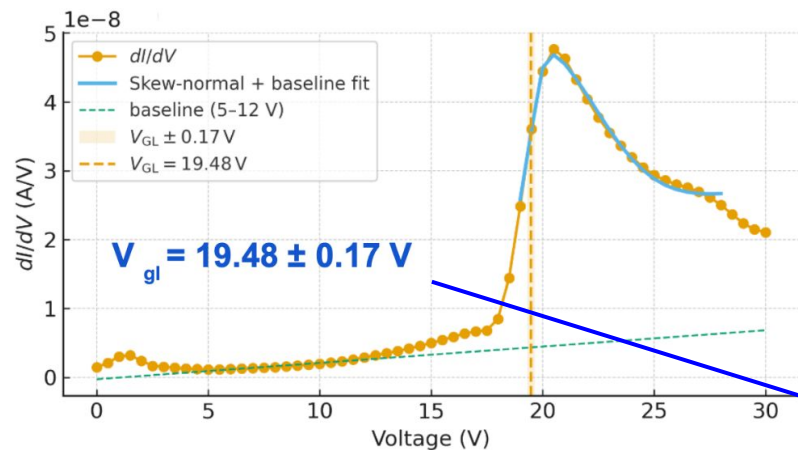


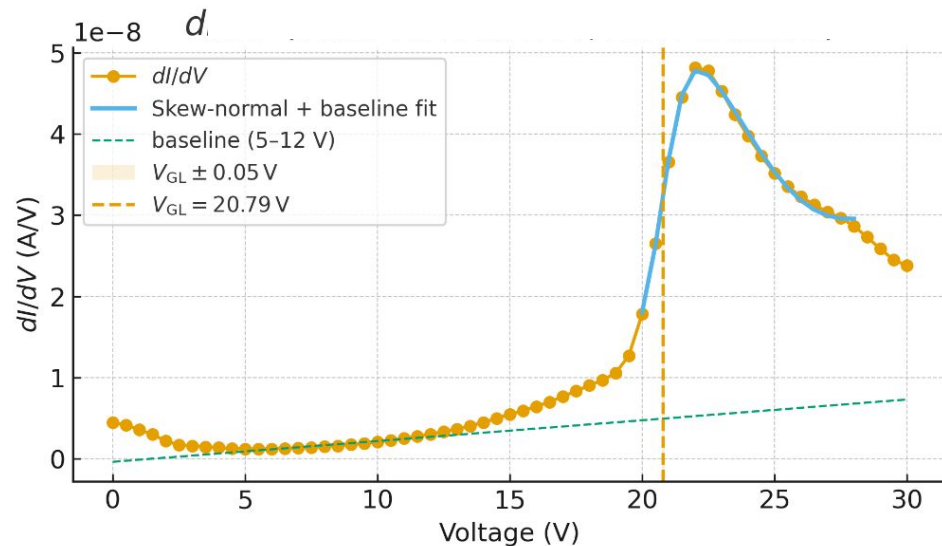
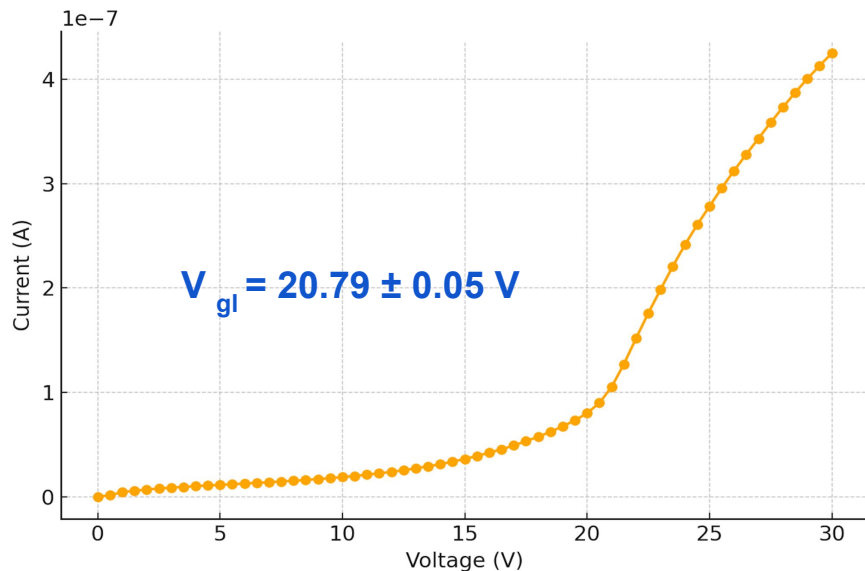




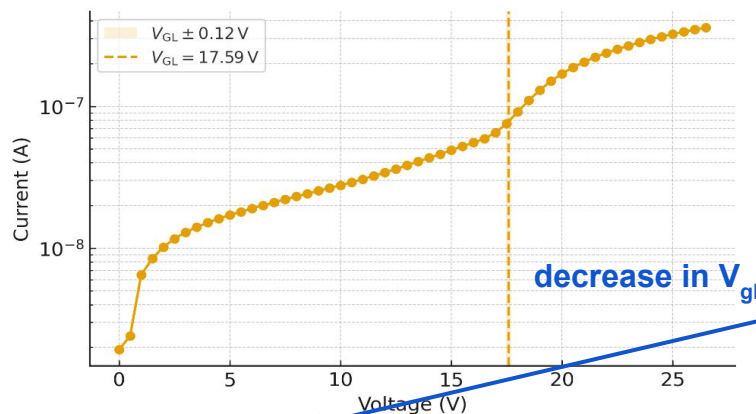
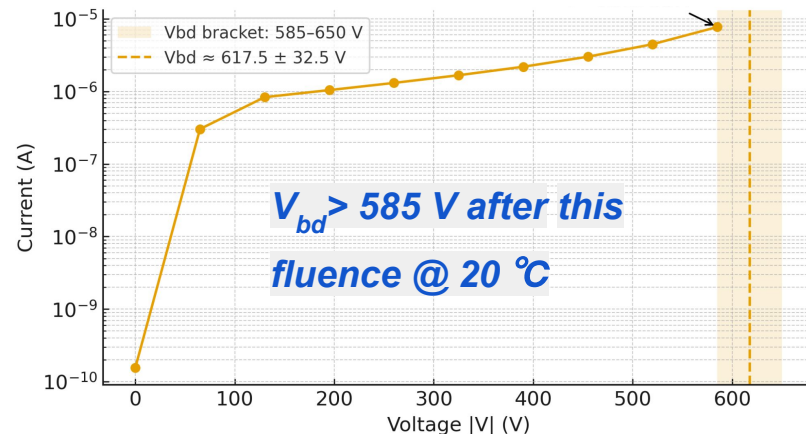
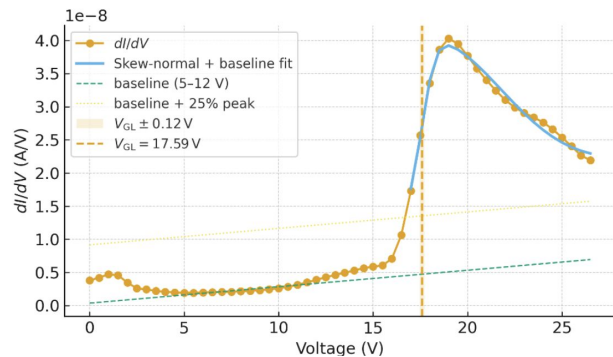
Teal line: Skew-normal + linear baseline within 25% objective window



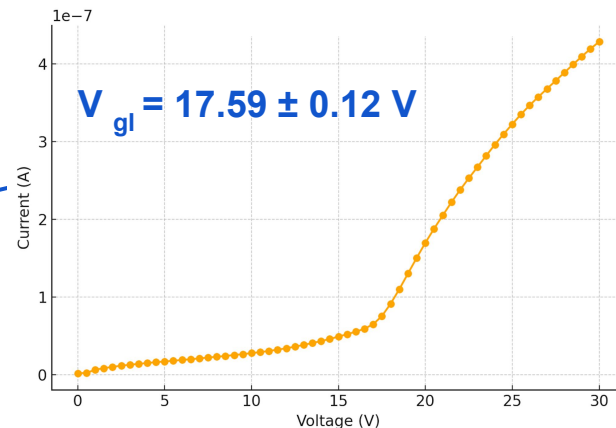


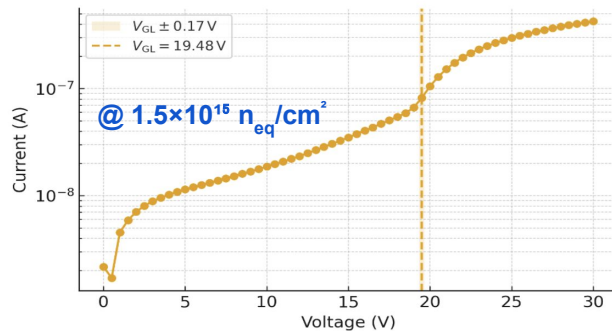
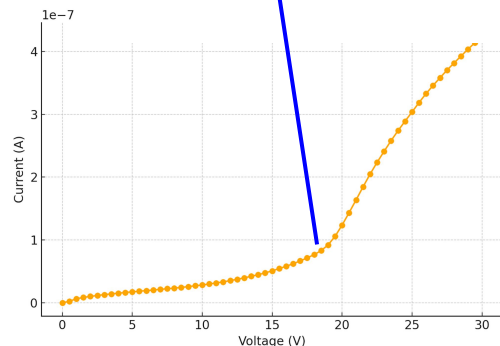
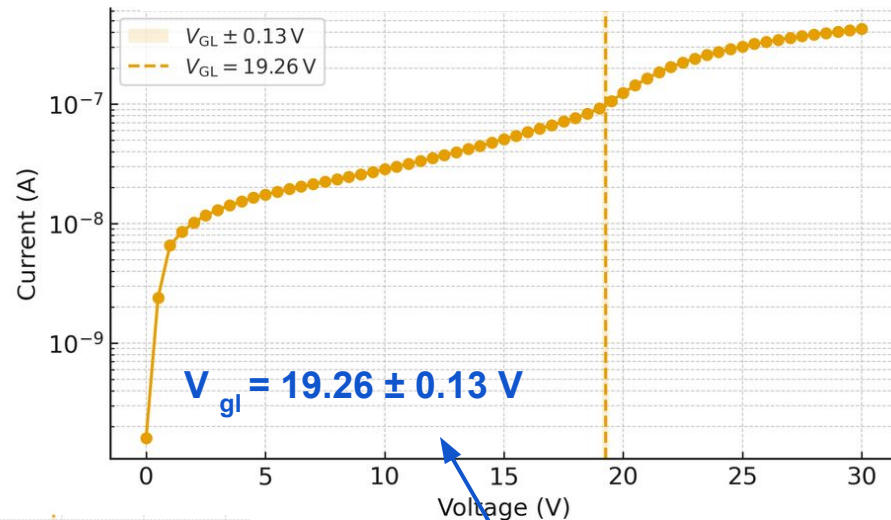
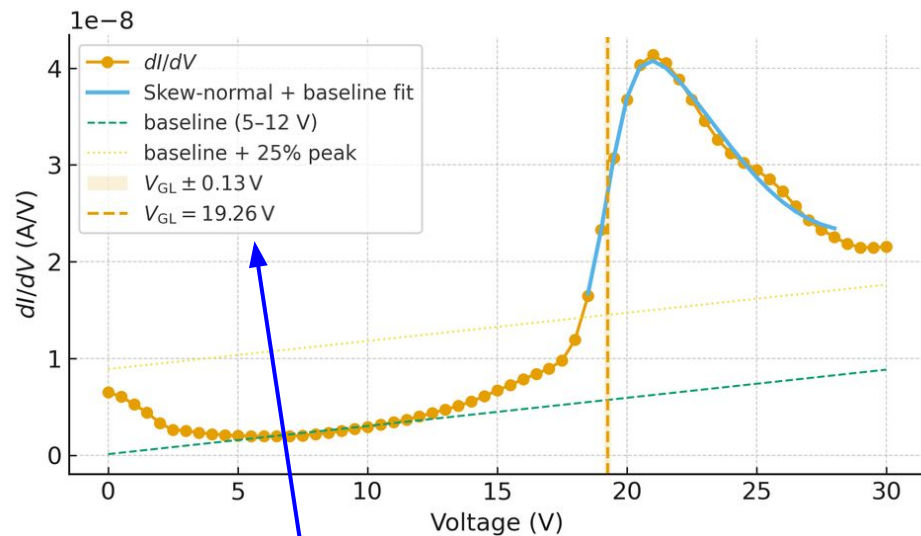


25% window: fit only the **middle of the rise**—keep points where the slope $> 25\%$ of its peak—to avoid tail bias

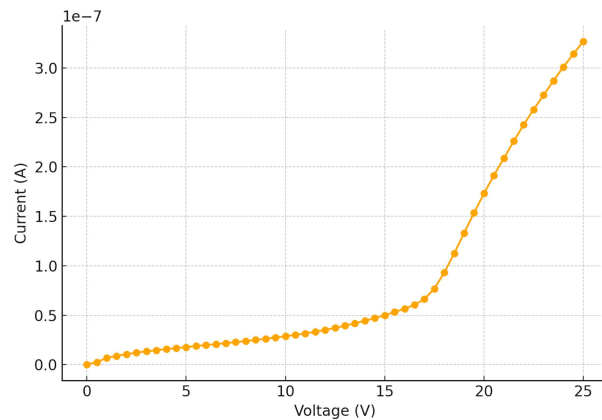
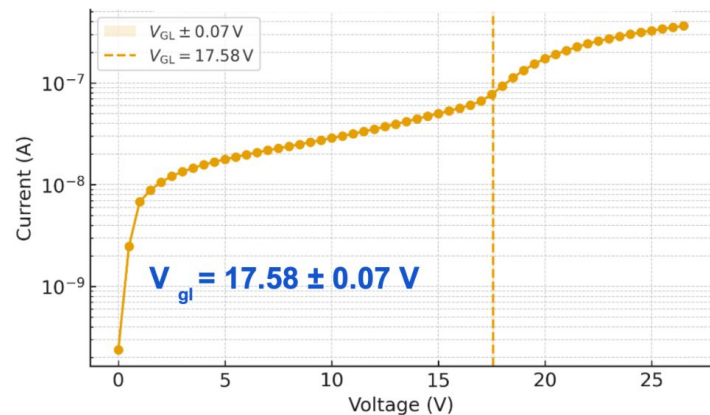
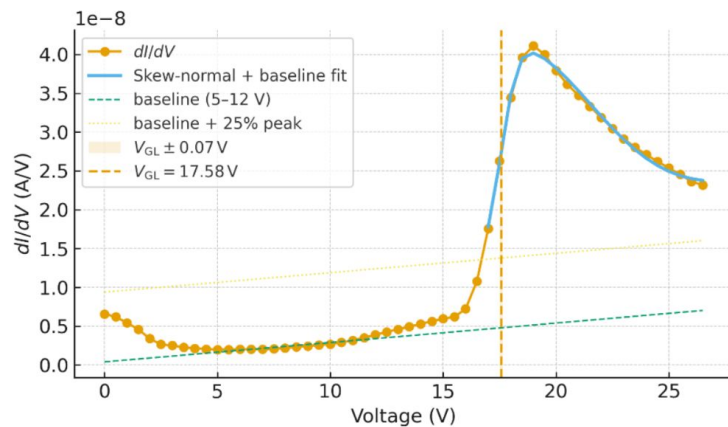


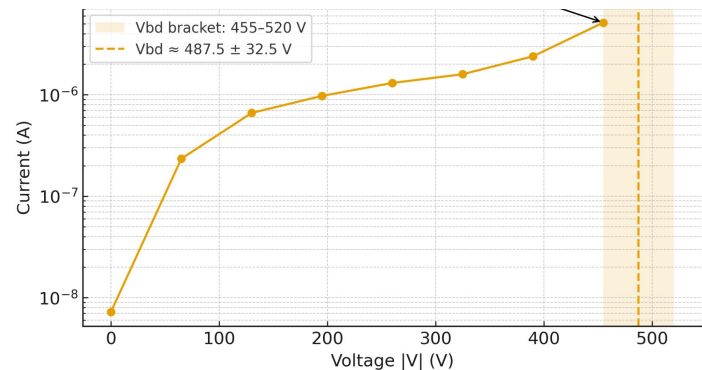
@ $1.5 \times 10^{15} \text{ n}_{\text{eq}}/\text{cm}^2$ $V_{gl} \sim 21.67 \text{ V}$ for TW1



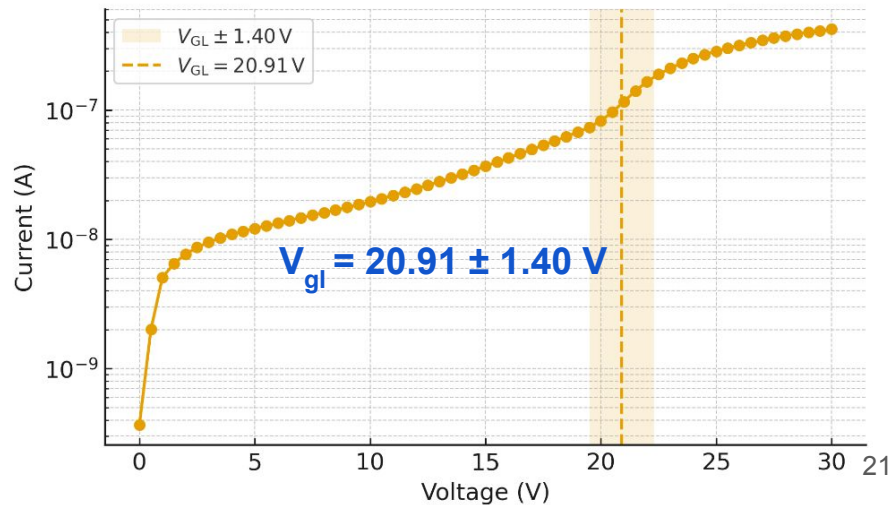
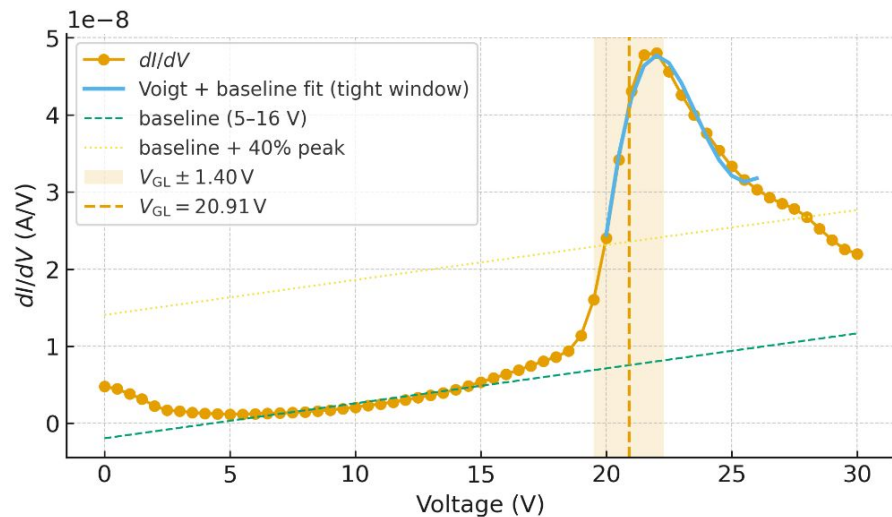
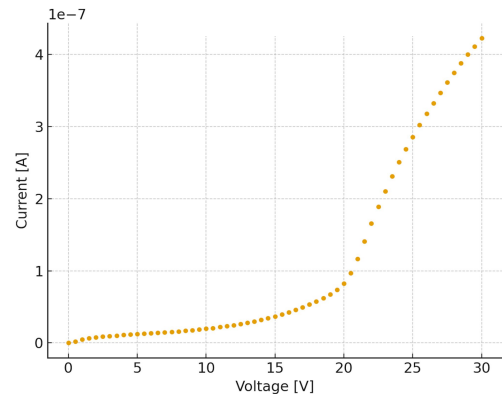


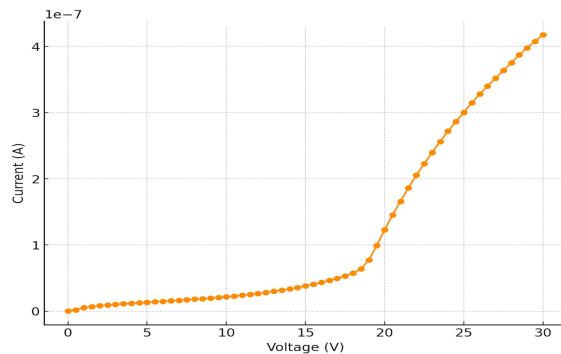
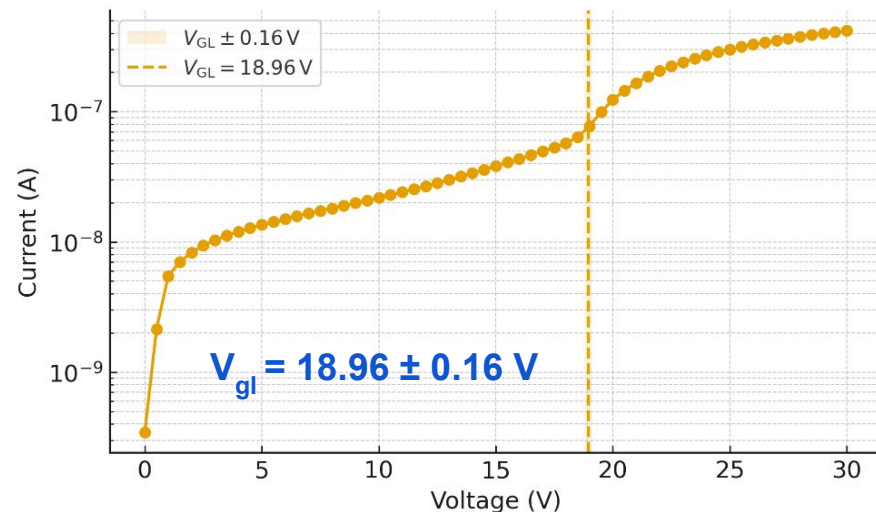
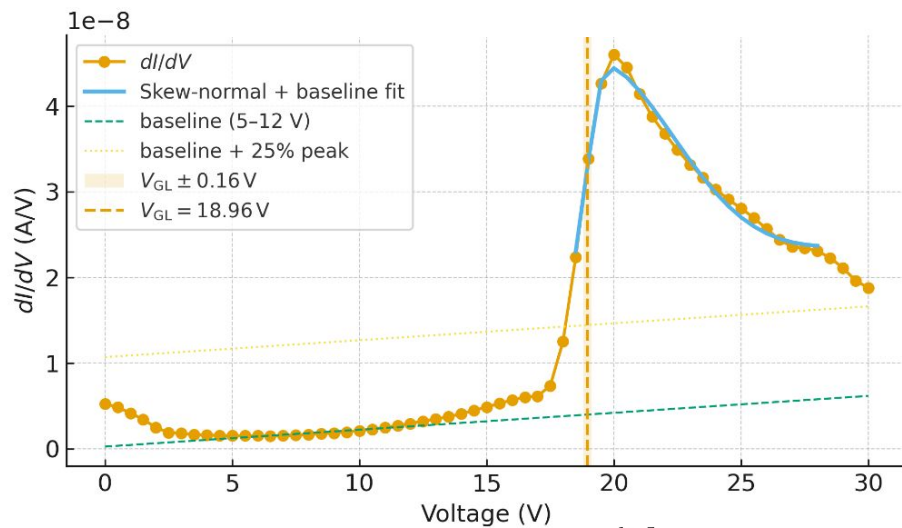
minimal dependence on irradiation for TW 2

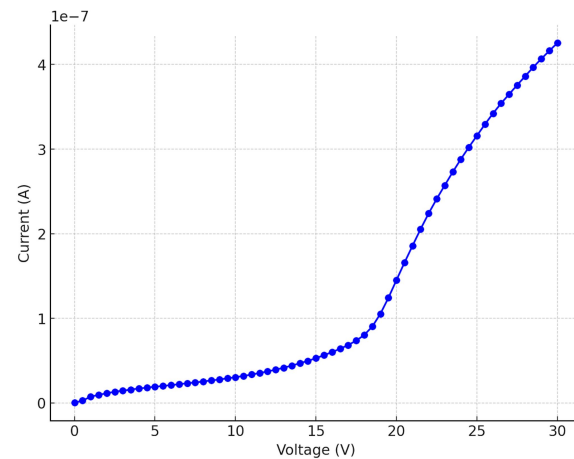
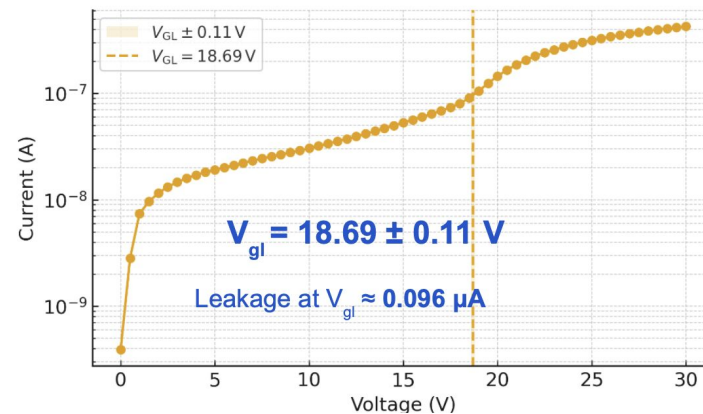
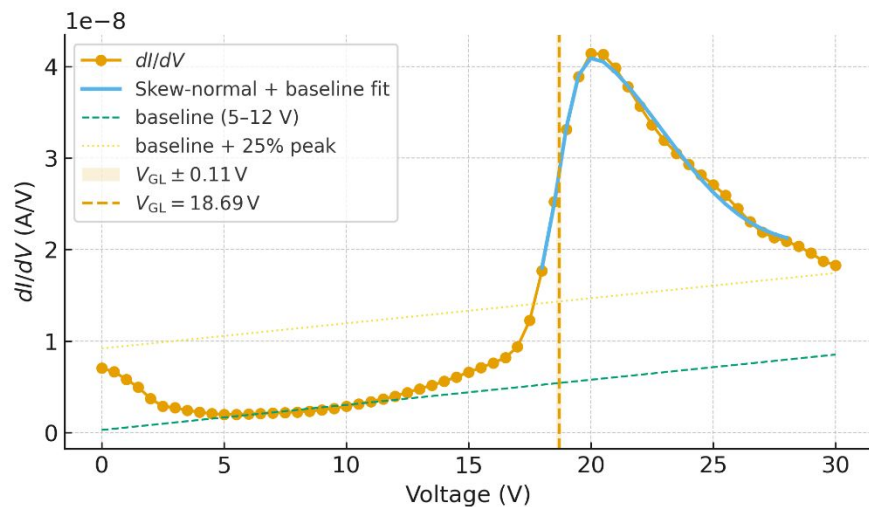
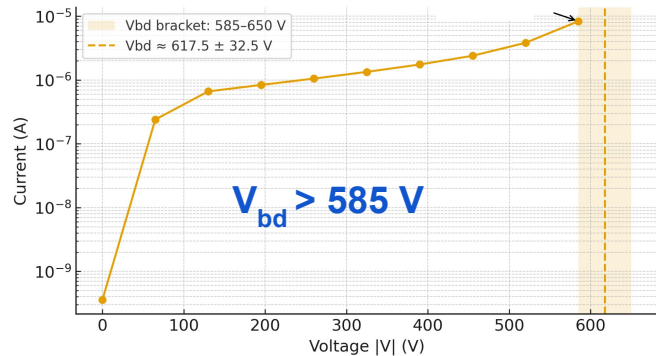


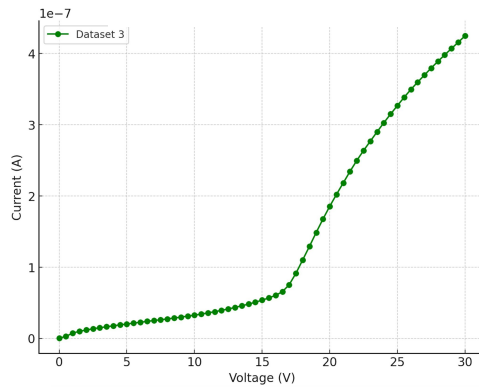
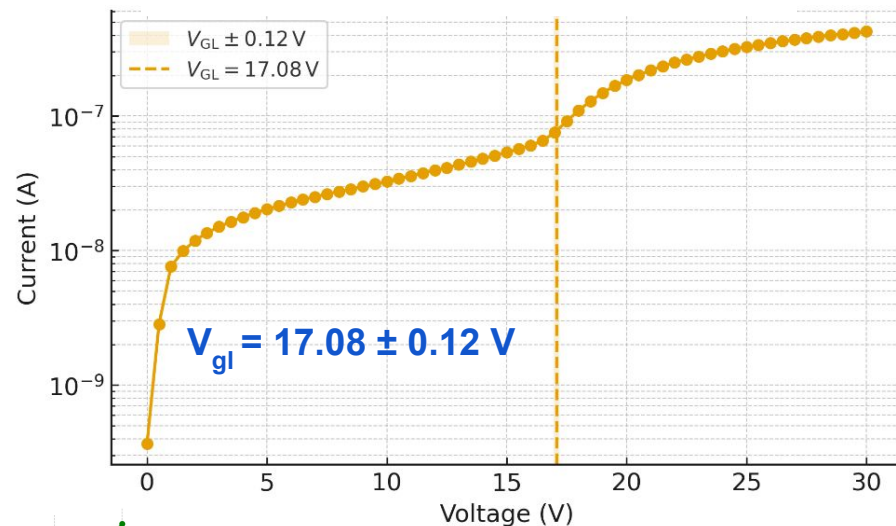
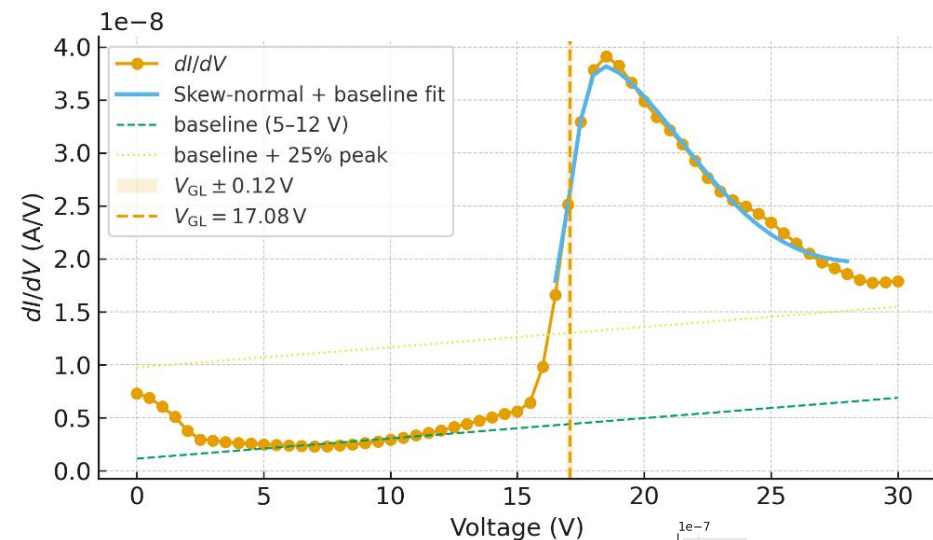


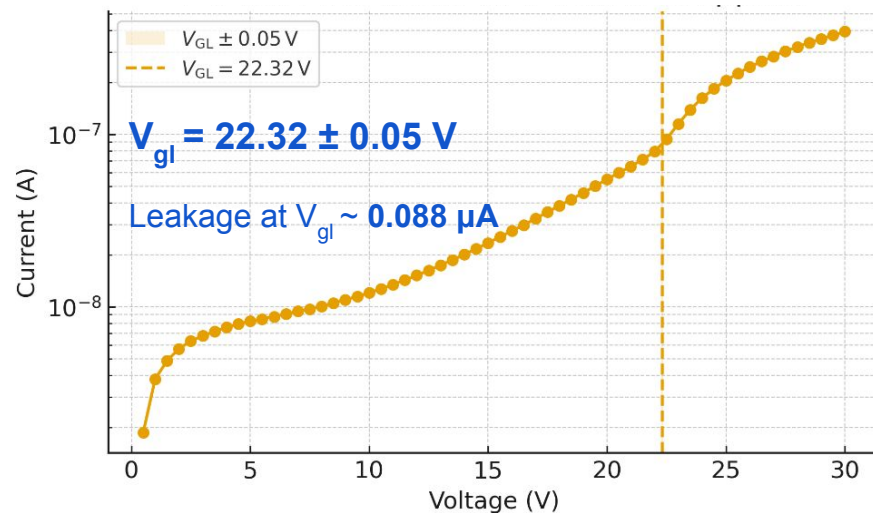
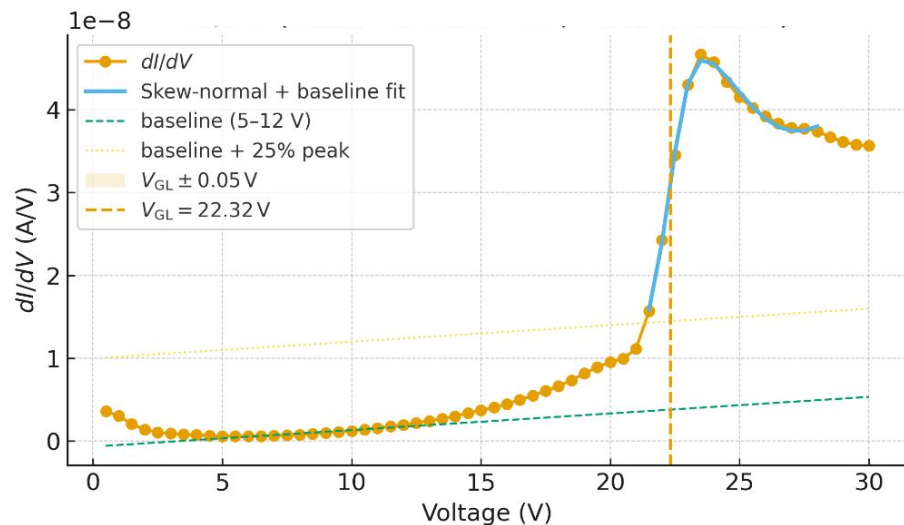
- $V_{\text{GL}} = 21.3 \pm 0.5$ V (skew-normal, 25% window)
- Cross-check: Voigt (40% window) gives $V_{\text{GL}} = 20.9 \pm 1.4$ V, consistent within 1σ
- $V_{\text{bd}} > 455$ V @ 20 °C

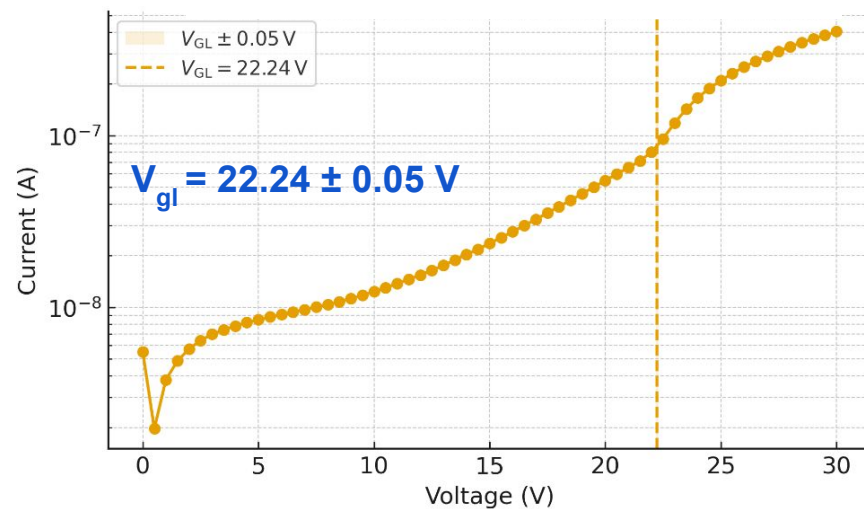
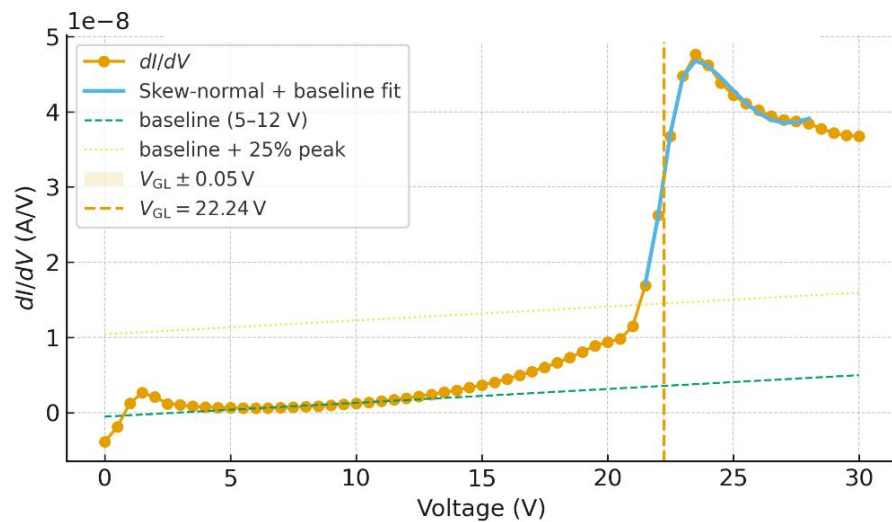


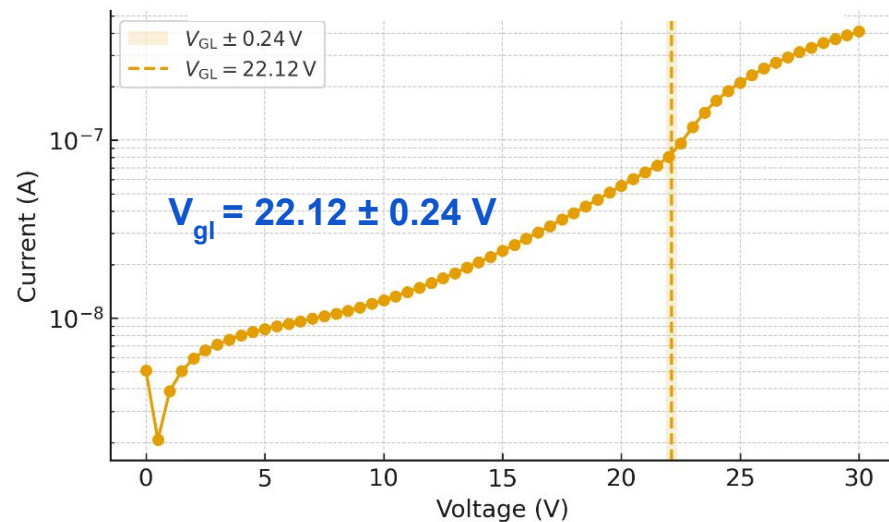
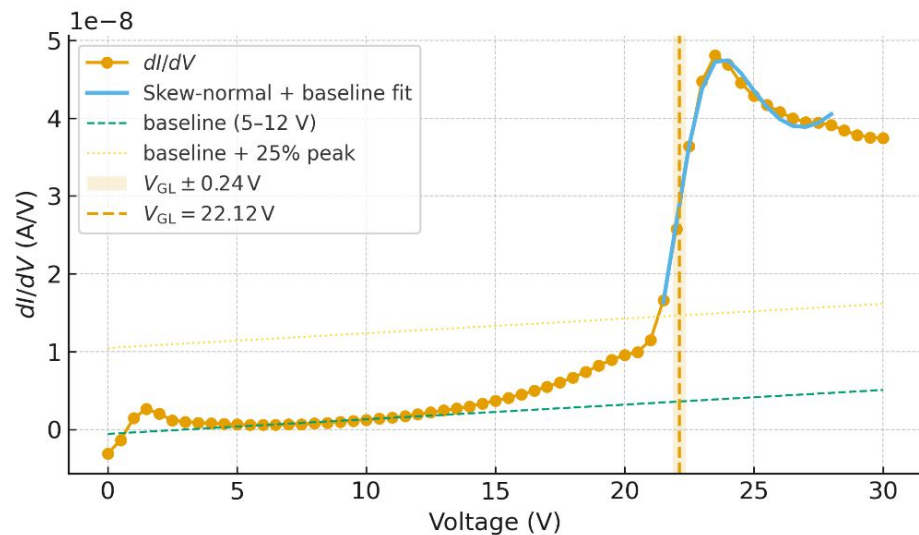


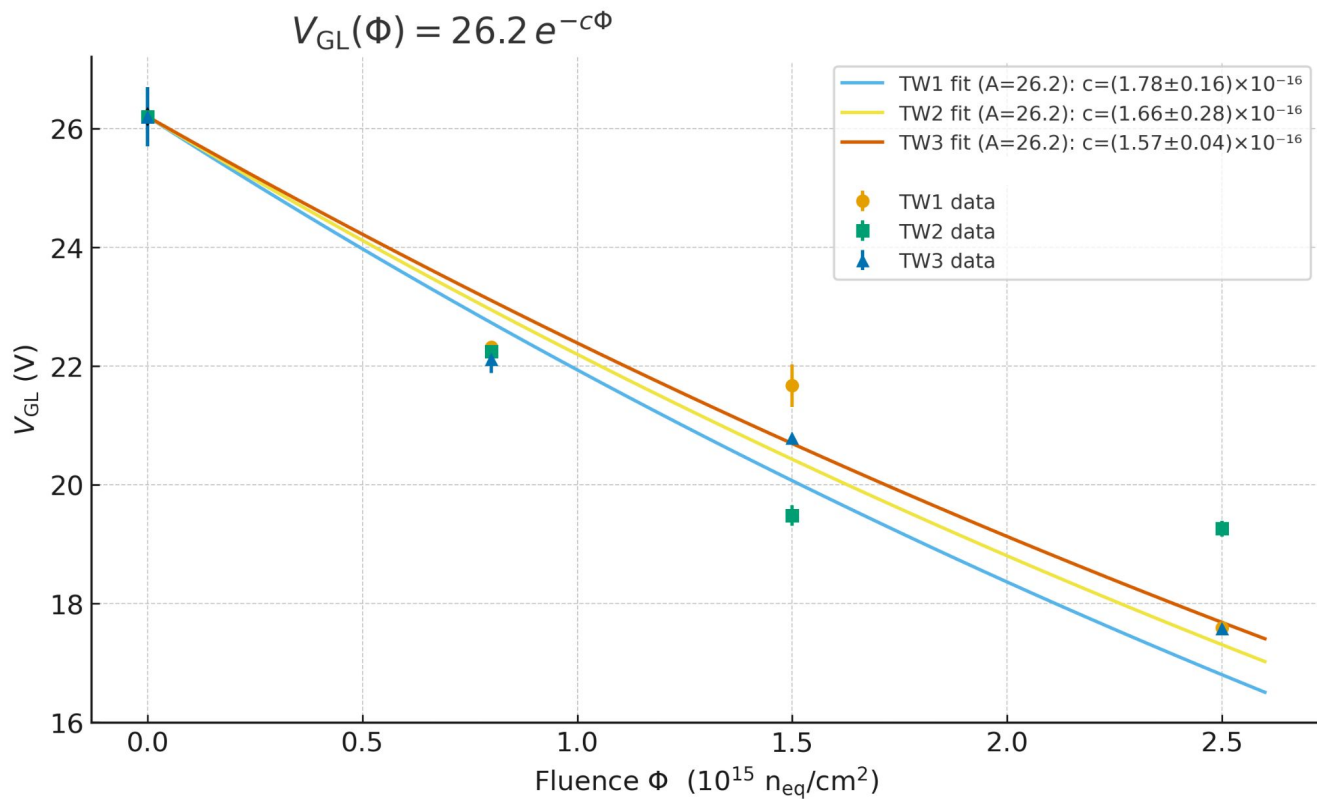


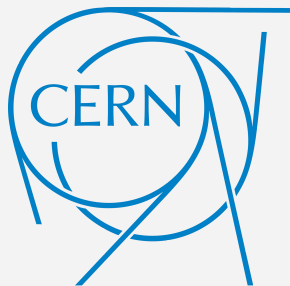












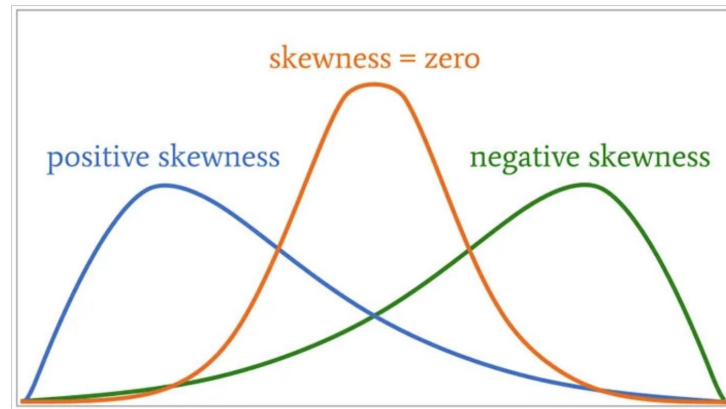
BACKUP

AIDAInnova Test Beam Readiness

In a **skew-normal distribution** (the model we are fitting):

- It has a **location parameter** μ
- It also has a **mode** (the apex, where the function reaches its maximum)
- If the peak is **perfectly symmetric** ($\alpha=0$), then μ = mode
- If the peak is **right-skewed** ($\alpha>0$), the distribution has a longer tail to the right → the **apex (mode) shifts to the right of μ → positive skewness**
- If it's **left-skewed** ($\alpha<0$), the apex shifts **to the left of μ → negative skewness**

$$f(x; \mu, \sigma, \alpha) = \frac{2}{\sigma} \phi\left(\frac{x - \mu}{\sigma}\right) \Phi\left(\alpha \frac{x - \mu}{\sigma}\right)$$



- $\mu \in \mathbb{R}$ = **location parameter** (shifts the distribution along the x-axis),
- $\sigma > 0$ = **scale (width) parameter**,
- $\alpha \in \mathbb{R}$ = **shape (skewness) parameter**,
- $\phi(z) = \frac{1}{\sqrt{2\pi}} e^{-z^2/2}$ = standard normal PDF,
- $\Phi(z) = \frac{1}{2} \left[1 + \operatorname{erf}\left(\frac{z}{\sqrt{2}}\right) \right]$ = standard normal CDF.



Why V_{GL} is defined as the location parameter μ



- The derivative curve dI/dV shows a **transition region ("knee")**
- This region is modeled as:
 $dI/dV \approx \text{Skew-normal peak} + \text{linear baseline}$
- In a skewed distribution: **μ is the location parameter ("center")** of the transition
- **The mode called apex is the highest point**
- If skewness $\alpha \neq 0$, then apex is not μ
- Adding a rising baseline pushes the **apex further right**
- The visible peak maximum is biased, but μ remains **stable**
- **μ tracks the intrinsic "onset" of the leakage-current transition, while the apex is distorted by skew and baseline**

- **Input:** I-V on **linear current** (use V if biased negative)
- **(Optional) Smooth:** light Savitzky-Golay (5–9 pts, poly 2–3) to tame point-to-point wiggles
- **Differentiate:** compute $\frac{dI}{dV}$
- **Window the peak:** keep **transition region** only (e.g., 15–24 V); exclude > 25–30 V tail
- **Fit model:**

$$\frac{dI}{dV}(V) = A \exp\left(-\frac{(V - \mu)^2}{2\sigma^2}\right) + mV + c$$

older convention, when skew couldn't be modeled

- **Extract:** $V_{GL} = \mu$; $\sigma \approx$ dopant-mixing width
- **If asymmetric:** use *skew-normal* or *Voigt*; still take **peak location** as V_{GL}
- **Report:** value \pm fit uncertainty and brief robustness check (window/smoothing insensitivity)

here skew-normal location parameter μ is used because it coincides with the peak in symmetric cases but remains a stable, unbiased marker of the transition when the peak is asymmetric

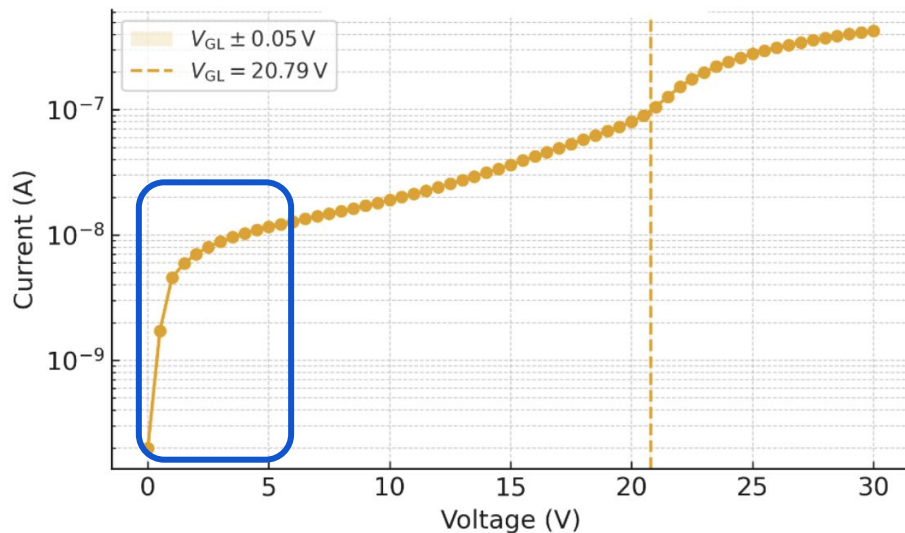
Measured slope is a peak plus a slow pedestal:

$$\frac{dI}{dV}(V) = Ae^{-\frac{(V-\mu)^2}{2\sigma^2}} + (b_0 + b_1 V).$$

Maximizing the raw sum shifts the apex to the right by approximately

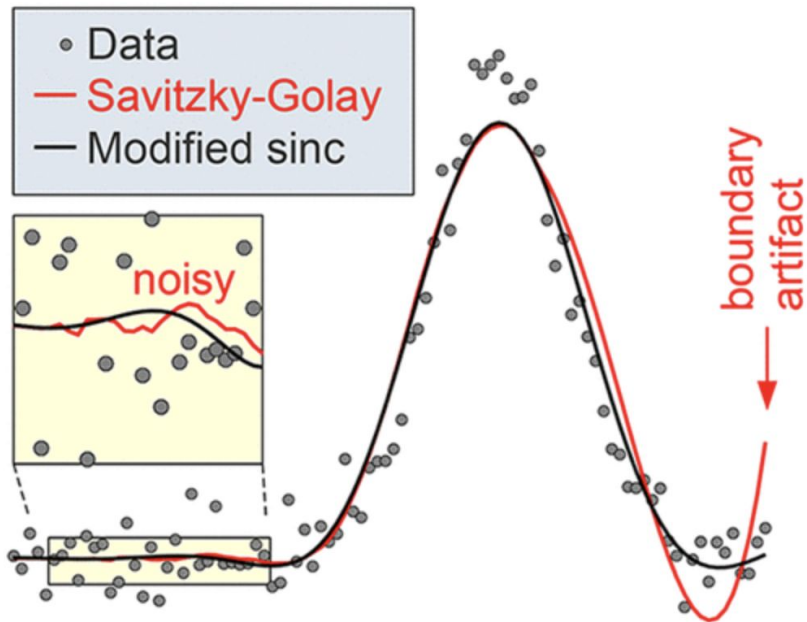
$$\boxed{\Delta V \approx \frac{b_1 \sigma^2}{A}} \quad (\text{for small shifts}),$$

hence a positive baseline slope biases the apparent maximum to higher V . Fitting (or subtracting) the baseline recovers the unbiased center μ .



- **Tiny kink @ ~3 V** on log I–V
- **Not V_{GL}** (we get $V_{GL} \approx 20.8 \text{ V}$ from dI/dV ; no sharp peak at 3 V)
- **Likely low-bias effects:** edge/guard-ring turn-on
- **No impact on V_{GL} :** baseline 5–12 V excludes 0–5 V

Savitzky-Golay Filter



The Savitzky-Golay filter is a digital filter that smooths data points by fitting successive sub-sets of adjacent data points with a low-degree polynomial using the method of [linear least squares](#)

The Savitzky-Golay filter works by sliding a window of fixed size (one of its hyperparameters) over the data and fitting a polynomial to the points within this window

