



$t\bar{t}H(H \rightarrow c\bar{c})$
in the 0-lepton channel

Trigger modelling, a 10-class classifier, and the first fit

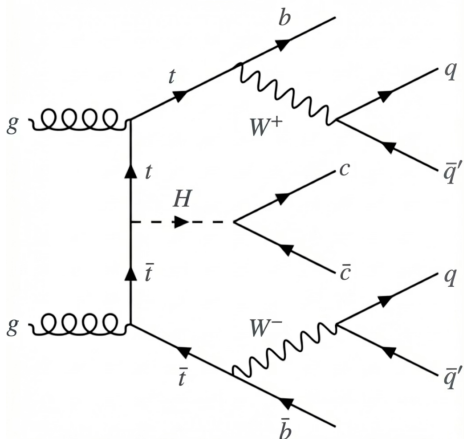
Krvavec

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The 0-lepton channel



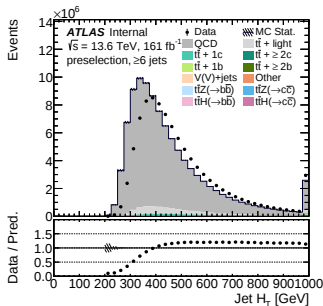
$t\bar{t}H(c\bar{c})$ 0L: both $W \rightarrow q\bar{q}'$, eight quarks in the final state.

Largest branching fraction, not used before.

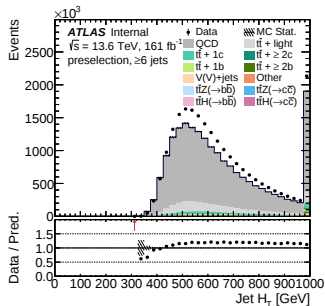
Needs multi- b -jet triggers, and carries a **heavy, poorly modelled QCD multijet background** not present in the other channels.

- Data: Run 2, 140 fb^{-1} at 13 TeV, plus partial Run 3 (2022–24), 161 fb^{-1} at 13.6 TeV.
- Preselection: 0 leptons, ≥ 6 jets, b -jet trigger with kinematic matching, ≥ 2 b -tagged, ≥ 3 $b+c$ -tagged $\rightarrow 1.36 \times 10^7$ data events.

The 0L problem: trigger modelling



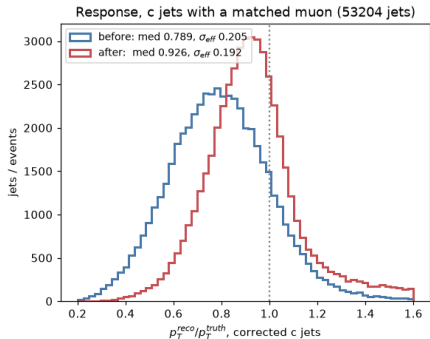
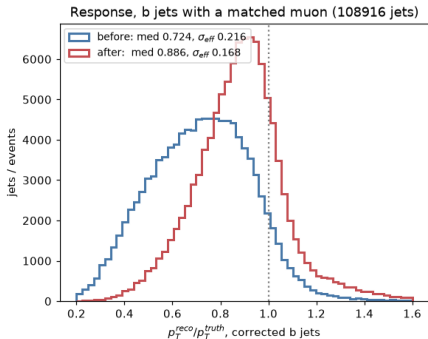
no trigger matching



after $1.5 \times$ kinematic matching

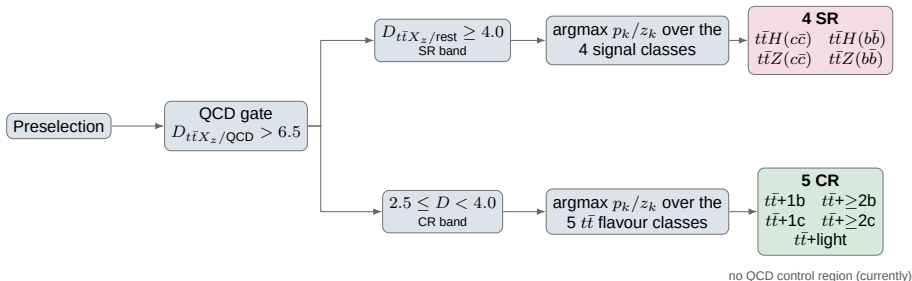
- Jet H_T (scalar $\sum p_T$ of jets): mismodelled at low H_T .
- Investigated with an ML QCD cut: partly **QCD mismodelling**, not only turn-on.
- Fix: kinematic matching, two trigger menus matched separately (p_T and b -tag WP), $1.5 \times p_T$ threshold. Less signal loss than an H_T cut; threshold may be loosened.
- Signals: $t\bar{t}H(c\bar{c})$, $t\bar{t}H(b\bar{b})$, $t\bar{t}Z(c\bar{c})$, $t\bar{t}Z(b\bar{b})$. Backgrounds: $t\bar{t}$, single/rare top, $t\bar{t}W$, $V(V)+\text{jets}$, all fine; QCD multijet is the “rotten egg”.

Muon-in-jet correction



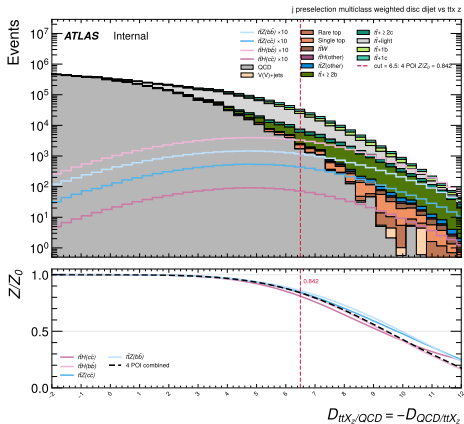
- Semileptonic b, c decays put a muon in the jet, whose energy the jet misses. Fix: **add the soft muon back**.
- Example: $B \rightarrow D \mu \nu$ ($b \rightarrow c$), then $D \rightarrow K \mu \nu$ ($c \rightarrow s$).
- Difference between reco and truth narrows, as the plots show.
- Corrected: 11.7% of b -jets, 5.5% of c , only 0.6% of light.

Ten classes, nine used in the fit



- ParticleTransformer, $\approx 2\text{M}$ parameters, jets plus a E_T^{miss} token. Discriminants from the class posteriors: $D_{A/B} = \log \left(\sum_{k \in A} p_k / \sum_{k \in B} p_k \right)$, $t\bar{t}X$ = the four signals.
- The tenth class, multijet, builds the gate but no region: QCD is still poorly modelled, so it is cut away rather than modelled.

The QCD cut: what it costs



	$t\bar{t}H(c\bar{c})$	$t\bar{t}H(b\bar{b})$	$t\bar{t}Z(c\bar{c})$	$t\bar{t}Z(b\bar{b})$
$\varepsilon(\text{sig.})$	23%	24%	24%	24%
Z/Z_0	0.808	0.835	0.843	0.858

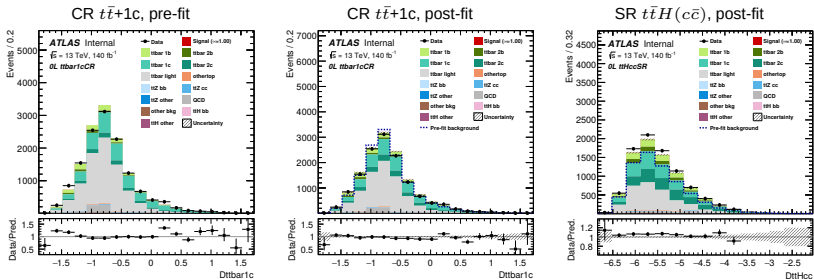
Gate on $t\bar{t}X$ vs QCD, signals weighted by cross section (the z in $t\bar{t}X_z$): one cut for four POIs.

Lose 3/4 of the signal, keep $\geq 80\%$ of Z .

0.036% of the QCD remains, 0.85% of the data.

- $Z^2 = \sum_{\text{bins}} 2[(s+b) \ln(1+s/b) - s]$, on $D_{t\bar{t}H(c\bar{c})/\text{rest}}$.
- Second cut on $D_{t\bar{t}X_z/\text{rest}}$ (backup), splits the SR from a CR band below it: Z/Z_0 almost 1. Both thresholds pending optimisation.

The fit and its expected significance



expected Z		$t\bar{t}H(c\bar{c})$	$t\bar{t}H(b\bar{b})$	$t\bar{t}Z(c\bar{c})$	$t\bar{t}Z(b\bar{b})$
Counting, preselection	per-bin Asimov, no fit	0.454	18.18	3.41	8.67
Counting, own SR	same rule, after the cuts	0.397	15.14	3.15	7.58
Fit, Asimov, stat only	no norm factors, no MC stat	0.392	14.28	2.99	7.20
Fit, expected pre-fit	full model, NPs at nominal	0.295	9.05	2.33	5.22
Fit, expected post-fit	NPs profiled to data at $\mu = 1$	0.239	8.02	2.02	4.60

- Every region has enough statistics, and all nine sit within a factor 3.3 of each other.
- The fit has **no systematics** yet.

Summary, and what needs work

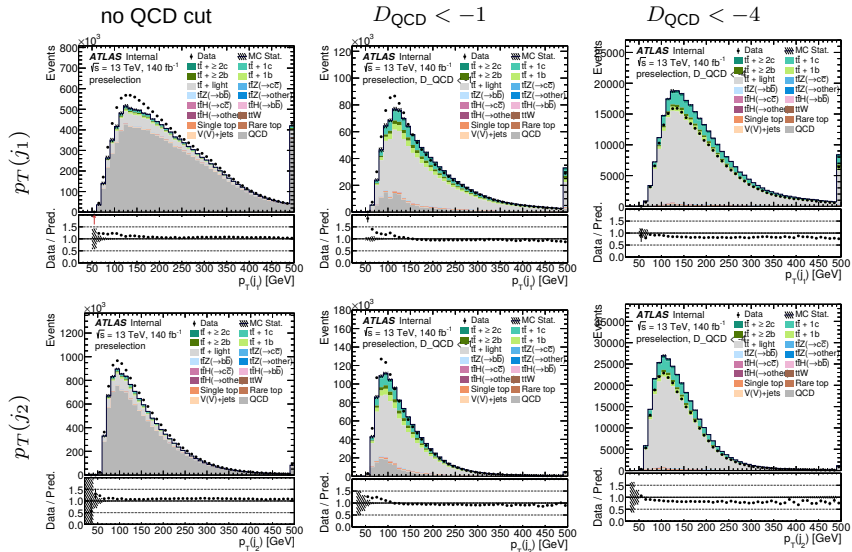
- 0L runs end to end: trigger modelling, objects, a 10-class transformer, nine regions, a fit that converges. **Only systematics are missing.**
- One QCD cut for all four SRs: loses $\sim 3/4$ of the signal and 16% of the significance, while cutting away more than three orders of magnitude of QCD.

- Systematics first. Experimental, then $t\bar{t}$ heavy-flavour modelling.
- Optimisation of the fit: cuts, binning, CR-to-SR closure.
- Modelling improvements for 0L.
- Run 3 fit, and the combined 0L+1L+2L fit.

Backup

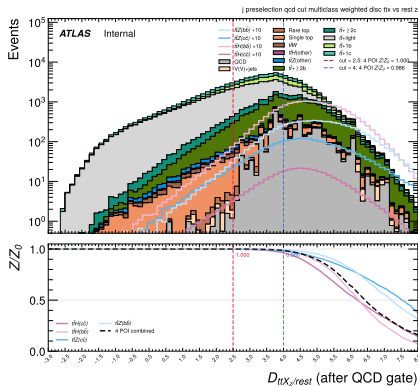
- Trigger matching and the ML QCD cut, jet p_T .
- The $t\bar{t}X_z$ band, the second cut.
- Post-fit control regions.
- Muon-in-jet: what it changes in 1L.

Trigger matching and the ML QCD cut, ≥ 2 b -jets



Mismodelling worse without the QCD cut, at low p_T .

The $t\bar{t}X_z$ band: the second cut

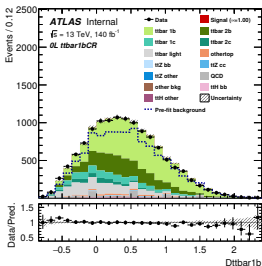


	$t\bar{t}H(c\bar{c})$	$t\bar{t}H(b\bar{b})$	$t\bar{t}Z(c\bar{c})$	$t\bar{t}Z(b\bar{b})$
CR band	26%	20%	24%	18%
SR band	70%	79%	70%	80%
Z/Z_0	0.963	0.984	0.981	0.993

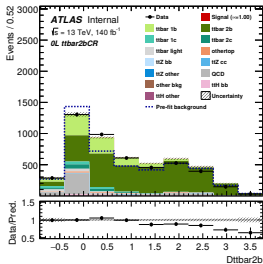
Z/Z_0 at the SR edge. Read after the gate: 99.1% of the background already gone.

CR band $2.5 \leq D < 4.0$, SR band $D \geq 4.0$: adjacent, and they partition what survives.

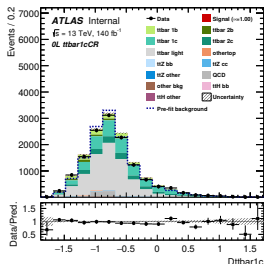
Post-fit control regions



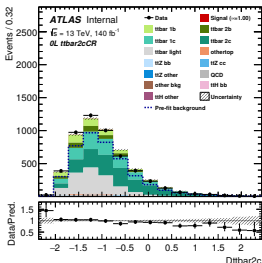
$t\bar{t}+1b$



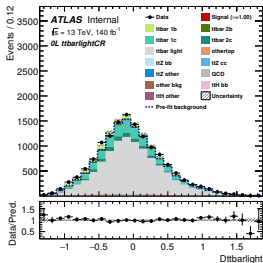
$t\bar{t}+2b$



$t\bar{t}+1c$



$t\bar{t}+2c$



$t\bar{t}+light$

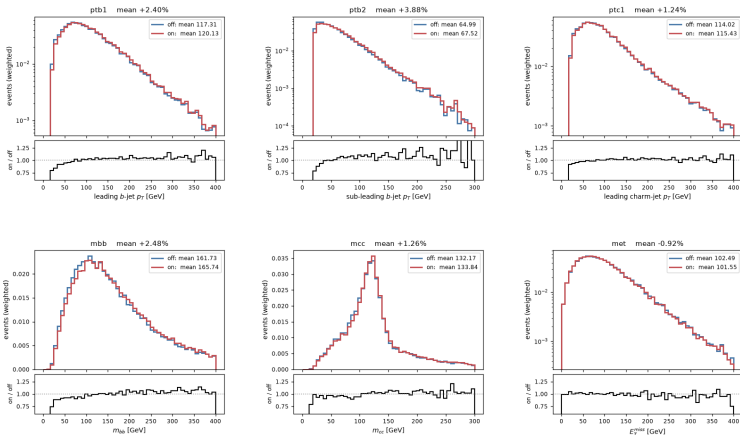
Global fit to data at $\mu = 1$.

Dashed: pre-fit background.

The $\geq 2b$ region keeps a slope after the fit.

Muon-in-jet: what it changes (1L $t\bar{t}H(c\bar{c})$, v4)

Muon-in-jet correction: what it changes
v4 1L ttH_cc MC20a, 100k events, useMuonInJetCorrection off vs on



- Cutoffs and everything the correction does not touch agree exactly.
- What moves: $p_T^{b1} + 2.4\%$, $p_T^{b2} + 3.9\%$, $p_T^{c1} + 1.2\%$, $m_{bb} + 2.5\%$, $m_{cc} + 1.3\%$, $E_T^{\text{miss}} - 0.9\%$.